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**DESCRIPTION OF THE TERP SYSTEM, A FORTRAN II/63, IV/63,
360 SYSTEM FOR EFFICIENT INTERPOLATION**

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ABSTRACT

When repetitive calculation of complicated or nonlibrary functions is anticipated, use of an efficient numerical approximation is highly desirable. The system to be described (TERP) provides a means for obtaining such an approximation when the user can furnish routines to calculate the functions he desires. The entire system is available in FORTRAN. For increased speed, a machine-coded version of the interpolation routine is also included for 7090-FORTRAN-II, 7090-FORTRAN-IV, CDC-1604 FORTRAN-63, and 360-FORTRAN. Using these hand-coded routines, the time required for interpolation is 255 μ sec (IBM-7090), 107 μ sec (IBM-7094-II), 441 μ sec (CDC-1604A), and 45 μ sec (IBM-360). The system works by table look-up and parabolic interpolation, and its accuracy depends on the functions and on the number of storage locations allocated for the table. For example, the function $ERF(X)$, $0 \leq X \leq 4.5$, can be reproduced to 0.002% with 250 storage locations or to 0.00005% with 450 locations. The system can produce symbolic language (FAP, MAP, CODAP-2, or 360 assembly) decks for computing the functions and/or their inverses (backward interpolation). The function values may be obtained from these decks by FORTRAN statements such as $Y = ERF(X)$, and $X = ERFBK(Y)$, where the names are chosen by the user.

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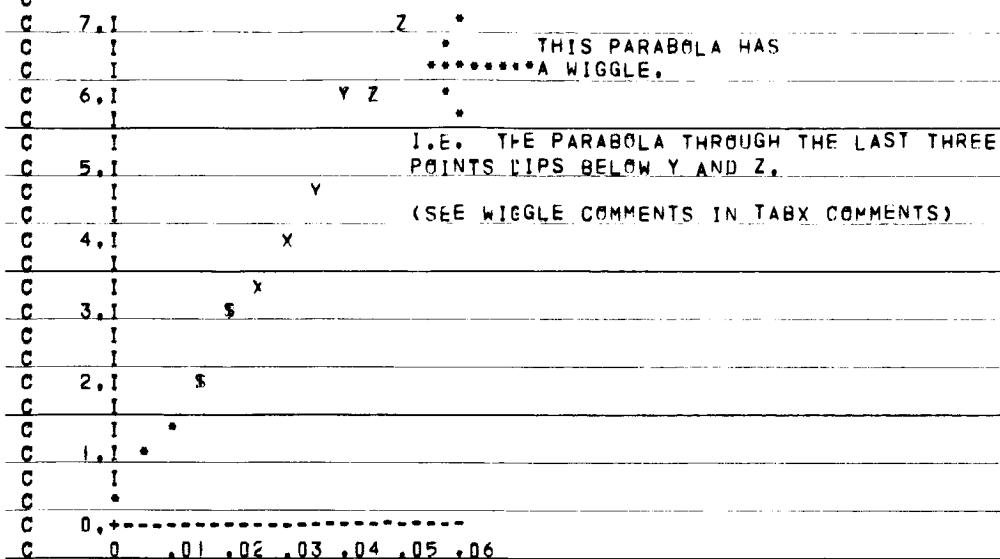
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C INTRODUCTION

C THE GRAPH BELOW SHOWS HOW THE SYSTEM WORKS. (FIG. 1.)



C A PARABOLA ($y = a + b*x + c*x^{**2}$) IS CONSTRUCTED THROUGH THE
C FIRST THREE POINTS (DENOTED BY *), ANOTHER PARABOLA IS CONNECTED
C THROUGH POINTS 3 TO 5, ETC.

C FIRST, THE ROUTINES TABSET AND TABX ARE USED TO SET UP A
C TABLE WHICH CONTAINS THE COEFFICIENTS OF THE PARABOLAS AND OTHER
C RELEVANT INFORMATION. THE FIRST SIX ENTRIES ARE...

C 1ST ENTRY $T(1,1) = XLO$
C 2ND ENTRY $T(2,1) = 1./XDEL$ XDEL IS THE SPACING BETWEEN PARABOLAS
C XDEL/2. IS THE SPACING BETWEEN POINTS
C 3RD ENTRY $T(3,1) = XUP$
C 4TH ENTRY $T(1,2) = \text{NUMBER OF PARABOLAS OR NUMBER OF PANELS}$
C 5TH ENTRY $T(2,2) = \text{TONIC}$ I.E. -1, IF DECREASING, +1, IF INCREASING,
C 0 IF NOT MONOTONIC, TONIC IS SET IN TABX.
C 6TH ENTRY $T(3,2) = \text{EXTRA SPACE AVAILABLE TO ONE WHO WISHES TO USE IT.}$

C THEREAFTER, THE TABLE CONSISTS OF THE A, B, AND C COEFFICIENTS OF
C EACH PARABOLA.

C FOR EXAMPLE, TO SET UP A FUNCTION FOR SIN(X) FOR X FROM 0.0 TO 1.0
C YOU MIGHT WRITE THE FOLLOWING CODE.

C DIMENSION SINTAB(200)
C CALL TABSET(0., 1., 200, K, SINTAB)
C X = 0.0
C DO 10 I = 1, K
C Y = SIN(X)
C 10 CALL TABX(X, Y, I, SINTAB)
C NOW THAT THE TABLE IS SET UP, YOU MAY USE THE FOLLOWING SUBROUTINES...

C Y = TERPT(X,SINTAB) RETURNS THE VALUE OF Y FOR ANY VALID X,
C
C X = BTERP(X,SINTAB) RETURNS THE VALUE OF X FOR ANY VALID Y (PROVIDED
C THE FUNCTION IS SINGLE VALUED...I.E. MONOTONIC INCREASING OR DECREASING.)
C
C D = TERPD(X,SINTAB) RETURNS THE VALUE OF THE DERIVATIVE OF Y FOR ANY
C VALID X. NOTE, HOWEVER THAT THE DERIVATIVE OF A FUNCTION WHICH CONSISTS
C OF PIECEWISE PARABOLAS MAY HAVE DISCONTINUITIES AT THE JUNCTION
C OF ONE PARABOLA WITH THE NEXT, THUS TERPD USUALLY HAS LARGE ERRORS
C AND IS NOT VERY USEFUL EXCEPT FOR CALCULATIONS CONCERNING ENGINEERING.
C
C Y = TERPI(A,B,SINTAB) RETURNS THE INTEGRAL OF Y FROM A TO B,
C THE RESULT OF TERPI IS MORE ACCURATE THAN TERPT SINCE INTEGRATION
C TENDS TO INCREASE ACCURACY (JUST THE REVERSE OF DIFFERENTIATION).
C
C Y = TERP2(X,SINTAB) IS SIMILAR TO TERPT... SEE COMMENTS UNDER TERP2
C
C IHUNT AND IHUNT3 ARE FUNCTIONS WHICH ARE USED TO SEARCH AN
C ARRAY FOR THE NEAREST MATCH TO A GIVEN NUMBER. THEY ARE
C USED BY TERPU AND BTERP RESPECTIVELY.
C
C TERPU IS AN AUXILLIARY ROUTINE WHICH IS USED WHEN CONSTRUCTING
C TABLES FROM DATA OBTAINED FROM GRAPHS OF TABLES WHICH MAY NOT
C BE REGULARLY SPACED.
C
C TTRACE IS A SUBROUTINE WHICH WRITES ERROR MESSAGES FOR INVALID
C CONDITIONS. NONE OF THE ROUTINES LISTED ABOVE CONTAIN ANY I/O
C STATEMENTS, HOWEVER TTRACE DOES. THE I/O STATEMENTS IN TTRACE CONTAIN
C TAPE NUMBERS, AND WILL HAVE TO BE MODIFIED TO MATCH THE LOCAL STANDARDS.
C IN OTHER ROUTINES WHICH ARE LISTED LATER, SOME I/O OCCURS, BUT THE TAPE
C NUMBERS ARE ARGUMENTS WHICH ARE SET BY THE CALLING PROGRAMS, SO THAT
C THEY DO NOT NEED MODIFICATION. A LIST OF ERROR MESSAGES IS IN TTRACE.
C
C EQUIV IS AN AUXILLIARY ROUTINE USED BY TTRACE (SEE COMMENTS UNDER EQUIV)
C
C
C MDECK, FDECK, AND CDECK ARE ROUTINES WHICH ARE USED TO PUNCH
C THE ARRAY AND AN ASSEMBLY LANGUAGE PROGRAM WHICH MAY BE LATER
C ASSEMBLED TO GIVE A BINARY DECK OF A DESIRED FUNCTION.
C
C FAPP AND CODAP ARE AUXILLIARY ROUTINES USED BY MDECK, FDECK, AND CDECK.
C
C
C ***DEMONSTRATION PROGRAM***
C
C FOR PURPOSE OF DEMONSTRATION, A MAIN PROGRAM IS INCLUDED WHICH
C ILLUSTRATES SOME OF THE WAYS OF USING THE TERP SYSTEM. YOU SHOULD
C REFER TO THE FORTRAN LISTING OF THE MAIN PROGRAM FOR DETAILS. THE
C FOLLOWING PROBLEMS ARE ILLUSTRATED...
C
C 1 SET UP A TABLE OF LOG10(X) AND CHECK ACCURACY USING EVEN SPACING OF X.
C
C 2 SET UP A TABLE FOR EXP10(X) AND USE TO OBTAIN LOG10(X) BY BACK
C INTERPOLATION. NOTE THAT FOR THE SAME TABLE LENGTH OF 100 WORDS,
C THE BACK INTERPOLATION IS MORE ACCURATE.
C
C NOTE THAT THE LOG FUNCTION IS A DIFFICULT ONE TO INTERPOLATE OVER
C A WIDE RANGE BECAUSE OF THE SINGULARITY AT X = 0.

C IN PRACTICE, ONE WOULD INTERPOLATE OVER JUST ONE OCTAVE INSTEAD OF
C OVER THREE DECADES AS IN THIS EXAMPLE.

C 3 SET UP A TABLE OF LOG10(X) USING UNEVEN SPACING FOR X.
C BY CLEVER CHOICE OF THE X SPACING, WE HAVE RECTIFIED THE FUNCTION,
C AND WOULD OBTAIN A PERFECT FIT WITH JUST ONE PARABOLA.

C 4 SET UP TABLE OF SIN(X) AND CHECK ACCURACY.

C 5 SAME AS ABOVE, EXPECT USE TERP2 FOR INTERPOLATION. NOTE THAT
C THE ACCURACY IS CONSIDERABLY BETTER THAN TERPT AT THE EXPENSE OF A
C SLOWER ROUTINE (SEE COMMENTS UNDER TERP2).

C 6 DEMONSTRATE THE BACKWARD INTERPOLATION OF SIN (I.E. ARCSIN)

C 7 CALCULATE 100,000 SINES TO DEMONSTRATE SPEED

C 8 ILLUSTRATE HOW A TABLE OF VALUES CAN BE READ IN AND A TABLE
C SET UP. IN THIS CASE, WE READ IN THE RANGE-ENERGY RELATIONS
C FOR PROTONS ON ALUMINUM FROM RICH AND MADEY (UCRL - 2301).
C THE TABLE IS SET UP FOR LOG-LOG INTERPOLATION.

C 9 ILLUSTRATE THE USE OF THE TABLE FOR RANGE AND DE/DR. NOTE
C THAT THE DERIVATIVE CALCULATION IS PROBABLY AS ACCURATE AS THE
C EXPERIMENTAL DATA. NOTE THAT THERE IS AN INTENTIONAL TYPOGRAPHICAL
C ERROR IN THE INPUT DATA AT 80, MEV. THIS ERROR CAUSES A WIGGLE
C WARNING MESSAGE.
C THE WIGGLE IS SUCH AN OUTSTANDING PROBLEM THAT THERE IS A SPECIAL
C SECTION GIVEN TO IT.

C 10 NOTE THAT THERE IS AN ADDITIONAL ERROR WARNING MESSAGE
C IN SETTING UP THE TABLE WITH TERPU, A VALUE OF X WAS USED
C OUTSIDE THE RANGE OF THE DATA.

C 11 ILLUSTRATE THE USE OF MDECK, FDECK, AND CDECK TO GENERATE
C AN ASSEMBLY LANGUAGE DECK.

C NOTE THAT OUR DEMONSTRATION PROGRAM USES A SUBROUTINE TYME
C TO TIME THE SPEED OF TERPT. FOR COMPLETENESS, WE LIST THREE
C DIFFERENT VERSIONS OF TYME APPROPRIATE FOR OUR LOCAL MACHINES.
C THE 1604 VERSION OF TYME AND KLOCK WILL WORK ON ANY 1604 COMPUTER
C WITH ANY SOFTWARE.
C THE 7090 (FORTRAN-2) VERSION OF TYME, STOP AND WIND WILL WORK ON
C ANY 7090 WHICH IS FORTRAN-2 ADAPTED.
C THE 7090 (FORTRAN-4) VERSION OF TYME AND TAD WILL ONLY WORK AT
C THE COMPUTER CENTER AT K-25 (OAK RIDGE, TENNESSEE).

C ***LANGUAGE COMPATIBILITY PROBLEMS***

C THE CORE OF THE SYSTEM,,, ROUTINES TABSET, TABX, TERPT, BTERP,
C IHUNT, IHUNTS, AND TERPI ARE WRITTEN IN BASIC FORTRAN AND ARE
C COMPATIBLE WITH NEARLY ALL FORTRANS WITH ONE EXCEPTION. THE
C FUNCTION SQRT OCCURS IN BTERP WHICH MUST BE SQRT IN FORTRAN-IV,
C WHEN ONE SEES THE STATEMENTS (THIS IS WRITTEN IN FORTRAN-2, THIS IS
C WRITTEN IN FORTRAN-4.), ONE SHOULD BE AWARE THAT ALL THE FORTRAN-2

C OR FORTRAN-4 ROUTINES USED IN THIS SYSTEM ARE FORTRAN-63 ADAPTABLE.

C
C THERE ARE ALSO HAND CODED VERSIONS OF TERPT FOR THE 7090-FORTRAN II,
C 7090-FORTRAN IV, AND 1604-FORTRAN 63. THESE OF COURSE,
C ARE SPECIAL TO THE MACHINE. AT PRESENT, THEY DO NOT DO ANY ERROR
C CHECKING, SO THAT ONE SHOULD FIRST CHECK HIS PROGRAM WITH THE
C COMPATIBLE FORTRAN TERPT, BEFORE USING THE HAND CODED VERSION.
C EVENTUALLY WE PLAN TO ADD ERROR CHECKING TO THE HAND CODED VERSION.

C

C

ACKNOWLEDGEMENT

C
C THE TERP SYSTEM EVOLVED OVER A LONG PERIOD OF TRIAL AND REVISION.
C THE FIRST VERSION OF TERPT AND BTERP WAS WRITTEN BY DIXON BOGERT IN 1962.
C MANY BUGS WERE DISCOVERED BY USERS WHO VOLUNTEERED TO USE THE
C EARLY SYSTEMS. IN PARTICULAR, WE ARE INDEBTED TO JOHN WACHTER
C AND BOB PEELLE FOR FINDING MANY PROBLEMS AND MAKING SUGGESTIONS.
C
RETURN
END

```
CMAIN
C DEMONSTRATION OF THE USE OF INTERPOLATIVE ROUTINES
C
C THIS IS THE FORTRAN-4 VERSION OF MAIN.
C
C DIMENSION TLOGI(103),TLOG2(100),TSIN(100),TSINB(103)
C DIMENSION RANGE(106),E(40),R(40)
C
C THESE TAPE NUMBERS MUST BE CHANGED FOR YOUR NEEDS.
C NIN=5
C NOU=6
C NPP=7
C
C SET UP TABLE TLOGI OF LOG10(X) WITH DIMENSION (100),
C LETTING X VALUES RANGE FROM .01 TO 10.
C
C CALL TABSET(.01,10.,100,K,TLOGI)
C X=.01
C DO 5 I=1,K
C Y=ALOG(X)/2.302585093
C 5 CALL TABX(X,Y,I,TLOGI)
C
C TABLE IS NOW COMPLETED
C
C X1=.0005
C WRITE(NOU,900)
C WRITE(NOU,901)
C DO 10 I=1,3
C X1=10.*X1
C XX=X1
C DO 10 J=1,4
C XX=2.*XX
C
C INTERPOLATE IN TABLE FOR LOG10(XX)
C
C YY=TERPT(XX,TLOGI)
C Y=ALOG(XX)/2.302585093
C DY=Y-YY
C 10 WRITE(NOU,902)XX,Y,YY,DY
C XX=10.
C YY=TERPT(XX,TLOGI)
C Y=ALOG(XX)/2.302585093
C DY=Y-YY
C WRITE(NOU,902)XX,Y,YY,DY
C
C SET UP TABLE OF EXP10(X)
C
C CALL TABSET(-2.,1.,103,K,TLOGI)
C X=-2.
C DO 12 I=1,K
C Y=10.*X
C 12 CALL TABX(X,Y,I,TLOGI)
C
C X1=.0005
C WRITE(NOU,922)
C WRITE(NOU,923)
C DO 15 I=1,3
C X1=10.*X1
C XX=X1
```

```
DO 15 J=1,4
XX=2.*XX
C
C   INTERPOLATE BACKWARDS IN TABLE FOR LOG10(XX)
C
C   YY=BTERP(XX,TLOG1)
C
C   Y=ALOG(XX)/2.302585093
C   DY=Y-YY
15 WRITE(NOU,902)XX,Y,YY,DY
XX=10.
YY=BTERP(XX,TLOG1)
Y=ALOG(XX)/2.302585093
DY=Y-YY
WRITE(NOU,902)XX,Y,YY,DY
C
C   SET UP TABLE OF LOG10(X) USING LOG SPACING FOR ABSISSA
C
C   CALL TABSET(ALOG(.01),ALOG(10.),100,K,TLOG2)
C   X=ALOG(.01)
C   DO 20 I=1,K
C     X=EXP(X)
C     Y=ALOG(X)/2.302585093
20 CALL TABX(X,Y,I,TLOG2)
C
C     XI=.0005
C     WRITE(NOU,903)
C     WRITE(NOU,901)
C     DO 30 I=1,3
C       XI=10.*XI
C       XX=XI
C       DO 30 J=1,4
C         XX=2.*XX
C
C   ENTER TABLE WITH LOG(XX), INTERPOLATE FOR LOG10(XX)
C
C   X2=ALOG(XX)
C   YY=TERPT(X2,TLOG2)
C
C   Y=ALOG(XX)/2.302585093
C   DY=Y-YY
30 WRITE(NOU,902)XX,Y,YY,DY
XX=10.
X2=ALOG(10.)
YY=TERPT(X2,TLOG2)
Y=ALOG(XX)/2.302585093
DY=Y-YY
WRITE(NOU,902)XX,Y,YY,DY
C
C   SET UP TABLE OF SIN(X)
C
C   CALL TABSET(0.,1.7,100,K,TSIN)
C   X=0.
C   DO 35 I=1,K
C     Y=SIN(X)
35 CALL TABX(X,Y,I,TSIN)
C
C     XX=-.1
C     WRITE(NOU,904)
C     WRITE(NOU,905)
```

```
DO 40 I=1,18
XX=XX+.1
C
C   INTERPOLATE FOR SIN(XX)
C
YY=TERPT(XX,TSIN)
C
Y=SIN(XX)
DY=Y-YY
40 WRITE(NUU,902)XX,Y,YY,DY
XX=-.1
WRITE(NUU,904)
WRITE(NUU,911)
DO 45 I=1,18
XX=XX+.1
C
C   INTERPOLATE FOR SIN(XX) USING AVERAGE OF TWO PARABOLAS
C
YY=TERP2(XX,TSIN)
C
Y=SIN(XX)
DY=Y-YY
45 WRITE(NUU,902)XX,Y,YY,DY
C
C   SET UP MONOTONIC INCREASING TABLE OF SIN(X)
C
CALL TABSET(0.,1.5,103,K,TSINB)
X=0.
DO 48 I=1,K
Y=SIN(X)
48 CALL TABX(X,Y,I,TSINB)
WRITE(NUU,906)
WRITE(NUU,907)
XX=-.1
DO 50 I=1,16
XX=XX+.1
C
C   INTERPOLATE BACKWARDS FOR X FROM SIN(X)
C
Y=SIN(XX)
X=BTERP(Y,TSINB)
C
DX=X-XX
50 WRITE(NUU,908)Y,XX,X,DX
WRITE(NUU,906)
XX=-.1
WRITE(NUU,912)
DO 55 I=1,16
XX=XX+.1
C
C   INTERPOLATE BACKWARDS FOR X FROM INTERPOLATED SIN(X)
C
Y=TERPT(XX,TSINB)
X=BTERP(Y,TSINB)
C
DX=X-XX
55 WRITE(NUU,908)Y,XX,X,DX
WRITE(NUU,909)
WRITE(NUU,910)
XX=-.1
```

```
DO 60 I=1,18
X=X+.1
Y=COS(X)
C
C   CALCULATE INTEGRAL OF SIN(X) FROM X TO PI/2
C
C   YY=TERPI(X,1,57079635,TSIN)
C
C   DY=Y-YY
60 WRITE(NU0,902)X,Y,YY,DY
X=0.
DO 65 I=1,100
65 TSINB(I)=X+.016
WRITE(NU0,913)
C
C   INTERPOLATE 100,000 SINES TO DEMONSTRATE SPEED
C
CALL TYME(0,NU0)
DO 70 I=1,100
DO 70 J=1,1000
70 Y=TERPT(TSINB(I),TSIN)
WRITE(NU0,914)
CALL TYME(1,NU0)
C
C   READ IN ENERGY-RANGE TABLE AND CONVERT TO LOG
C
READ(NIN,915)(E(I),R(I),I=1,39)
WRITE(NU0,921)
DO 80 I=1,39
WRITE(NU0,915)E(I),R(I)
E(I)=ALOG(E(I))
80 R(I)=ALOG(R(I))
C
C   SET UP LOG-LOG ENERGY-RANGE TABLE USING TERPU INTERPOLATION
C   TO FIND THE ORDINATES FOR EQUALLY SPACED ARCSISSA VALUES
C
CALL TABSET(ALOG(1.),ALOG(1000.),106,K,RANGE)
X=ALOG(1.)
DO 85 I=1,k
Y=TERPU(X,E,R,39)
85 CALL TABX(X,Y,I,RANGE)
C
WRITE(NU0,916)
WRITE(NU0,917)
X=.5
XX=.25
DO 95 I=1,10
XX=2.*XX
DO 95 J=1,5
X=X+XX
IF(1000.-X)100,90,90
C
C   ENTER TABLE WITH LOG(ENERGY), INTERPOLATE FOR LOG(RANGE),
C   AND TAKE ANTI-LOG TO GET RANGE
C
90 XZ=ALOG(X)
Y=EXP(TERPT(XZ,RANGE))
C
C   CALCULATE DLOG(R)/DLOG(E) FROM TABLE AND CONVERT TO DE/DR
C
```

```
DEDR=X/(Y*TERPD(XZ,RANGE))  
C  
95 WRITE (N0U,918)X,Y,DEDR  
100 WRITE(N0U,920)  
C  
PUNCH OUT LOG-LOG ENERGY-RANGE TABLE COEFFICIENTS FOR  
INCORPORATION INTO A FAP SUBROUTINE  
C  
DO 110 II=1,106  
C  
ARRAYS RUN BACKWARDS IN FORTRAN-2  
C  
I=106-II+1  
110 CALL FAPP(RANGE(I),I,NPP)  
C  
CALL CDECK(6HBRANGE,5HTERPT,RANGE,NPP)  
CALL MDECK(6HBRANGE,5HTERPT,RANGE,NPP)  
CALL FDECK(6HBRANGE,5HTERPT,RANGE,NPP)  
C  
TABLE COEFFICIENTS FOR INCORPORATION INTO A CODAP SUBROUTINE  
PUNCH OUT LOG-LOG ENERGY-RANGE  
C  
DO 130 I=1,106  
130 CALL CODAP(RANGE(I),I,NPP)  
STOP  
900 FORMAT(55H1      CALCULATE LOG10(.01,10.) N=100      )  
901 FORMAT(55H0      X      LOG(X)      TERPT(X)      ERROR      )  
902 FORMAT(F12.2,3F12.7)  
903 FORMAT(55H2      LOG10(.01,10.) USING UNEQUAL SPACING N=100      )  
904 FORMAT(55H2      CALCULATE SIN(0.,1.7) N=100      )  
905 FORMAT(55H0      X      SIN(X)      TERPT(X)      ERROR      )  
906 FORMAT(55H2      INTERPOLATE SIN(0.,1.5) BACKWARDS N=100      )  
907 FORMAT(55H0      Y=SIN(X)      X      BTERP(Y)      ERROR      )  
908 FORMAT(F15.7,F7.2,2F12.7)  
909 FORMAT(55H2      CALCULATE INTEGRAL OF SIN(X,PI/2.) N=100      )  
910 FORMAT(55H0      X      INTEGRAL      TERPI      ERROR      )  
911 FORMAT(55H0      X      SIN(X)      TERP2(X)      ERROR      )  
912 FORMAT(55H0      Y=TERPT(X)      X      BTERP(Y)      ERROR      )  
913 FORMAT(55H2      DEMONSTRATE SPEED OF SUBROUTINE TERPT      )  
914 FORMAT(55H0      TERPT HAS CALCULATED 100000 SINES      )  
915 FORMAT(F18.2,F23.5)  
916 FORMAT(55H2      LOG-LOG INTERPOLATION OF PROTON RANGES IN AL      )  
917 FORMAT(55H0      ENERGY      RANGE      DE/DR      )  
918 FORMAT(11XF6.1,2(4XF7.3))  
919 FORMAT(8DX,E20.8)  
920 FORMAT(1H0)  
921 FORMAT(1H2,12X6HENERGY,15X5HRANGE)  
922 FORMAT(55H2      CALCULATE LOG10 FROM EXPONENTIAL N=100      )  
923 FORMAT(55H0      Y      LOG(Y)      BTERP(Y)      ERROR      )  
END
```

SUBROUTINE TABSET(XL0,XUP,N,K,TB0B)

C N=DIMENSION OF ARRAY
C K=NUMBER OF POINTS USED IN GENERATING TABLE (THE RELATIONSHIPS BETWEEN
C K AND N ARE THE FOLLOWING.)
C NUMBER OF PARABOLA = (N-7)/3
C K=2*(NUMBER OF PARABOLAS)+1
C K=2*(N-7)/3+1
C IF ONE WISHES TO USE EXACTLY K DATA POINTS IN GENERATING THE TABLE, T,
C THE DIMENSION ,N, MUST BE = (3/2)*K+11/2 OR (3/2)*K+13/2 OR (3/2)*K+15/2
C I.E. IF N = 154 OR 155 OR 156
C NUMBER OF PARABOLAS = (N-7)/3 = 49
C NUMBER OF POINTS USED IN GENERATING TABLE ,K, = 99
C THE REVERSE IS TRUE! IF ONE HAS 99 DATA POINTS THEN THE DIMENSION OF,T,
C IS = (3/2)*K+11/2 OR (3/2)*K+13/2 OR (3/2)*K+15/2 = 154 OR 155 OR 156.
C XL0=SMALLEST VALUE OF X
C XUP=LARGEST VALUE OF X
C TB0B=NAME OF ARRAY ONE USES
C
C 1ST ENTRY T(1,1) = XL0
C 2ND ENTRY T(2,1) = 1./XDEL XDEL IS THE SPACING BETWEEN PARABOLAS
C XDEL/2. IS THE SPACING BETWEEN POINTS
C 3RD ENTRY T(3,1) = XUP
C 4TH ENTRY T(1,2) = NUMBER OF PARABOLAS OR (NUMBER OF PANELS)
C 5TH ENTRY T(2,2) = TONIC I.E. -1, IF DECREASING, +1, IF INCREASING,
C 0 IF NOT MONOTONIC, TONIC IS SET IN TABX,
C 6TH ENTRY T(3,2) = EXTRA SPACE AVAILABLE TO ONE WHO WISHES TO USE IT.
C
DIMENSION TB0B(3,77)
NPARAB=(N-7)/3
A=NPARAB
TB0B(1,1)=XL0
TB0B(2,1)=A/(XUP-XL0)
TB0B(3,1)=XUP
TB0B(1,2)=NPARAB
TB0B(2,2)=0.
TB0B(3,2)=0.0
K=2*NPARAB+1
RETURN
END

SUBROUTINE TABX (X,Y,I,T)

C Y IS THE VALUE OF THE FUNCTION AT THE ITH VALUE OF X.
C I IS THE RUNNING INDEX FOR THE ITH VALUE OF X AND Y.
C TABX COMPUTES THE VALUE OF THE I+1TH VALUE OF X WHICH
C THE CALLING PROGRAM MAY USE TO GET THE NEXT VALUE OF Y.
C T IS THE NAME OF THE TABLE WHICH IS BEING GENERATED.
C
C ON THE FIRST CALL TO TABX, THE A COEFFICIENT OF THE FIRST PARABOLA IS
C SET. I.E. TABLE(1,3) IS SET TO Y.
C
C ON THE SECOND CALL TO TABX, THE VALUE OF Y, WHICH IS THE MIDPOINT
C OF A PARABOLA, IS TEMPORARILY STORED IN TABLE(2,3) AND NO FURTHER
C COEFFICIENT CALCULATION IS DONE.
C
C ON THE THIRD CALL TO TABX, THE B AND C COEFFICIENTS OF THE FIRST
C PARABOLA ARE COMPUTED AND STORED IN TABLE(2,3) AND TABLE(3,3), THE
C MONOTONICITY AND WIGGLES ARE CHECKED, AND ERROR MESSAGES ISSUED
C IF APPROPRIATE. THEN THE A COEFFICIENT OF THE NEXT PARABOLA IS SET.
C I.E. TABLE(1,4) IS SET TO Y.
C
C THE PROCEDURE OF THE SECOND AND THIRD CALL ARE THEN REPEATED
C UNTIL ALL THE COEFFICIENTS HAVE BEEN GENERATED. AT THE CONCLUSION
C THE A,B,AND C COEFFICIENTS WILL HAVE BEEN GENERATED FOR NPARABS,
C AND THE A COEFFICIENT ONLY GENERATED FOR THE LAST.

C ***WIGGLE***

C WIGGLES ARE A PECULIARITY OF THE TERP SYSTEM WHICH HAVE CAUSED
C MORE TROUBLE THAN ANYTHING ELSE. INDEED, IT IS HARD TO CONCEIVE
C OF ANY INTERPOLATION SYSTEM WHICH IS FREE FROM WIGGLE PROBLEMS.
C A WIGGLE IS DEFINED AS A CHANGE IN THE SIGN OF THE SLOPE WITHIN A
C PARABOLA I.E. THE LAST PARABOLA IN FIG. 1. WOULD HAVE A WIGGLE.
C SOMETIMES THE WIGGLES ARE DUE TO A POOR CHOICE IN SETTING UP THE
C TABLE OR A BAD POINT IN THE INPUT DATA. SOMETIMES THE WIGGLES ARE
C PERFECTLY LEGITIMATE AND ARE HARD TO REMOVE. SOME CASES THAT MAY
C RESULT IN WIGGLES ARE...
C
C WHEN A FUNCTION IS GENERALLY MONOTONIC, BUT TWO ADJACENT POINTS ARE
C EQUAL, THE ONLY WAY TO PUT A SMOOTH CURVE THROUGH THE TWO EQUAL POINTS IS
C TO HAVE A WIGGLE.
C
C WHEN ONE HAS A FUNCTION THAT IS DECREASING. IF THE DECREASE
C BECOMES TOO RAPID, THEN A WIGGLE IS LIKELY. FOR EXAMPLE, IN SETTING
C UP A TABLE OF THE GAUSSIAN FUNCTION, A WIGGLE IS LIKELY TO OCCUR
C FOR A VALUE OF X ABOUT 4 TO 6 STANDARD DEVIATIONS, UNLESS THE WIDTH
C OF THE PARABOLAS (XDFL) IS TAKEN VERY SMALL.
C
C THE EFFECT OF WIGGLES ON THE ACCURACY OF INTERPOLATION IS NOT AS
C SERIOUS AS SOME OF THEIR MORE SUBTLE CONSEQUENCES. FOR EXAMPLE, IF ONE
C SETS UP A TABLE FOR THE GAUSSIAN FUNCTION, ALL THE INPUT POINTS
C WILL BE POSITIVE, BUT IT IS POSSIBLE THAT SOME PARABOLA MAY
C GO NEGATIVE DUE TO A WIGGLE. IF THE PROGRAM EXPECTS POSITIVE VALUES
C FOR ALL X, THEN ONE MAY GET AN ERROR FOR THE SQRT OF A NEGATIVE NUMBER,
C ETC. FURTHERMORE, WHEN ONE INTEGRATES A POSITIVE FUNCTION FROM 0 TO C,
C ONE EXPECTS TO GET A MONOTONIC INCREASING FUNCTION. BUT DUE TO A WIGGLE
C THE RESULT MAY NOT BE STRICTLY INCREASING, SO THAT IF ONE TRIES TO
C USE BTERP ON THE RESULTANT FUNCTION, ONE WILL OBTAIN A .NOT. MONOTONIC
C ERROR MESSAGE.

C
C IN ORDER TO COMBAT WIGGLES, TABX MAKES A CHECK FOR WIGGLES AND ISSUES
C A WARNING MESSAGE. IF YOU GET WIGGLE WARNING, YOU SHOULD CHECK TO SEE
C IF ANY DISASTERIOUS CONSEQUENCES WILL RESULT.
C

C 1ST ENTRY T(1,1) = XLO
C 2ND ENTRY T(2,1) = 1./XDEL XDEL IS THE SPACING BETWEEN PARABOLAS
C XDEL/2, IS THE SPACING BETWEEN POINTS
C 3RD ENTRY T(3,1) = XUP
C 4TH ENTRY T(1,2) = NUMBER OF PARABOLAS OR (NUMBER OF PANELS)
C 5TH ENTRY T(2,2) = TONIC I,E, +1, IF DECREASING, +1, IF INCREASING,
C 6TH ENTRY T(3,2) = EXTRA SPACE AVAILABLE TO ONE WHO WISHES TO USE IT.
C
C CONCRETE EXAMPLE OF COEFFICIENT CALCULATION IN COMMENTS OF TERPT.
C

DIMENSION T(3,777)
IF(I=1)2,1,2
2 IF(I=2*(1/2))20,10,20
1 T(1,3)=Y
CHECK = 1,0
GO TO 88
10 K=(I+1)/2+2
T(2,K)=Y
TONIC = T(2,2)
GO TO 88
20 J=I/2+2
H2=Y
H0=T(1,J)
H1=T(2,J)
T(2,J)=4.0*(H1-H0)-H2+H0
T(3,J)=H2-H0-T(2,J)
T(1,J+1)=H2
IF(CHECK)24,79,24
24 IF(H1-H0)25,30,40
30 IF(H2-H1)31,79,32
31 IF(TONIC)79,26,36
32 IF(TONIC)36,41,79
25 IF(TONIC)27,26,36
26 T(2,2) = -1,0
27 IF(H2-H1)79,79,36
40 IF(TONIC)36,41,42
41 T(2,2) = +1,0
42 IF(H2-H1)36,79,79
79 DY0=T(2,J)
DY1=T(2,J)+2.*T(3,J)
IF(DY0)80,88,82
80 IF(DY1)88,88,86
82 IF(DY1)86,88,88
86 CALL TTRACE(6HXVALUE,X,6HWIGGLE,6H TABX)
GO TO 86
36 T(2,2)=0.0
CHECK = 0,0
88 A=I
X=T(1,I)+A/T(2,I)/2
101 RETURN
END

```
FUNCTION TERPU(X,XX,Y,N)
C
C      UNEQUAL INTERVAL PARABOLA INTERPOLATION,
C      FUNCTION TERPU INTERPOLATES BETWEEN THREE POINTS WITH A PARABOLA,
C      AND RETURNS THE VALUE FOR A SPECIFIED VALUE X.
C
C      N = THE NUMBER OF POINTS IN THE ARRAYS Y AND XX.
C
C      X = VALUE AT WHICH INTERPOLATION IS TO BE DONE.
C
C      Y IS THE ARRAY WHICH CONTAINS THE POINTS WHICH ONE WANTS TO INTERPOLATE
C      BETWEEN. THEY MUST BE IN INCREASING ORDER.
C
C      XX IS THE ARRAY WHICH CONTAINS THE X COORDINATES OF THE POINTS IN
C      THE Y ARRAY. THEY MUST BE EITHER STRICTLY INCREASING OR DECREASING.
C      OTHERWISE A MESSAGE WILL BE ISSUED FROM IHUNT.
C
C      THIS ROUTINE IS AN AUXILIARY ROUTINE WHICH HAS NOTHING TO DO
C      WITH THE SETTING UP OF PARABOLAS BY THE TERP SYSTEM. ONE USES IT
C      IF ONE HAS SOME DATA AT UNEVENLY SPACED VALUES OF X, AND WISHES TO
C      CONVERT THIS DATA INTO EQUALLY SPACED DATA FOR USE IN SETTING UP
C      THE REGULAR TABLES.
C
C      DIMENSION XX(777),Y(777)
I=IHUNT(XX,N,X)
IF(I)10,20
C
C      THE FOLLOWING TTRACE ISSUES AN ERROR MESSAGE IF THE VALUE X IS NOT
C      WITHIN THE LIMITS OF THE XX ARRAY.
C
10 IF (X>9.99999*XX(1)) 18,11,11
11 IF (X<1.00001*XX(N)) 19,19,18
18 CALL TTRACE(6H      X:X      ,6H .N,IN,5HTERPU)
19 IF (X=XX(1))30,30,40
30 TERPU=Y(1)
RETURN
40 TERPU=Y(N)
RETURN
20 IF(I=(N-1))21,22,22
21 I=1
GO TO 23
22 I=N+1
23 IF(I-2)24,25,25
24 I=2
GO TO 26
25 I=1
C
C      THE FOLLOWING FORMULA IS THE STANDARD LAGRANGIAN INTERPOLATION
C      FORMULA FOR INTERPOLATING BETWEEN THREE POINTS BY MEANS OF A PARABOLA.
C
26 TERPU=Y(I-1)*(X-XX(I-1))*(X-XX(I+1))/(XX(I-1)-XX(I+1))
1((XX(I-1)-XX(I+1)))
2      +Y(I )*(X-XX(I-1))*(X-XX(I+1))/(XX(I )-XX(I+1))
3((XX(I )-XX(I+1)))
4      +Y(I+1)*(X-XX(I-1))*(X-XX(I ))/(XX(I+1)-XX(I ))
5((XX(I+1)-XX(I )))
RETURN
END
```

FUNCTION TERPT (X,T)

C GRAPH SHOWING TYPICAL PARABOLA USED IN TERP SYSTEM

C 2=1
C !
C !
C !
C !
C !
C 1=1
C !
C !
C !
C !
C .166=
C 0=1
C -----
C 0 ,5 1.0

C IN THIS CASE ZERO TO ONE MIGHT BE EQUAL TO THE INTERVAL ONE-HUNDRETH,
C THIS DOES NOT MATTER SINCE THE COEFFICIENTS ARE CALCULATED WITH
C THIS INTERVAL EVERY TIME.
C WHEN ONE ASKS FOR A VALUE OF X THE PROGRAM ACTUALLY USES THIS TO
C FIND WHERE THE COEFFICIENTS ARE STORED.

C FIND THE VALUE OF Y AT X = .005 WHICH IS 1/2 OF XDEL.
C FORMULAS FROM TABX CALCULATE THE COEFFICIENTS.

C H0 = .1666
C H1 = 1.0
C H2 = 2.0
C A = .1666
C B = 1.5
C C = .3333

C A, B, AND C CORRESPOND TO THE FORMULA $Y = A+B*X+C*X^{**2}$.
C USING XDEL = .01 AND XLO = 0.0 WE STEP THROUGH THE PROGRAM,
C Z = .005=.0/.01 = .5
C .5 SATISFIES THE CONDITIONS OF THE TWO IF STATEMENTS SO WE CONTINUE.
C I = 2 O=.5
C A = I O = 0
C F = Z-A ,5 = .5=0.
C II = 3*I O = 3*0
C TERPT = T(II+7)+F*(T(II+8)+F*T(II+9))
C SINCE II = 0 WE HAVE THE 7TH, 8TH, AND 9TH ELEMENTS OF THE ARRAY TABB,
C THEREFORE A, B, AND C CORRESPOND TO OURS.
C TERPT = .1666+1.5*.5+.3333*(.5)**2 = 1.0 WHAT DO YOU KNOW THAT IS OUR
C ANSWER, AND THAT IS RIGHT, IF THE GRAPH IS ,

C IF X IS OUTSIDE THE LIMITS (XLO,XUP) THEN AN ERROR IS GIVEN.

C 1ST ENTRY T(1,1) = XLO
C 2ND ENTRY T(2,1) = 1./XDEL XDEL IS THE SPACING BETWEEN PARABOLAS
C XDEL/2, IS THE SPACING BETWEEN POINTS
C 3RD ENTRY T(3,1) = XUP
C 4TH ENTRY T(1,2) = NUMBER OF PARABOLAS OR (NUMBER OF PANELS)
C 5TH ENTRY T(2,2) = TONIC I.E. -1, IF DECREASING, +1, IF INCREASING,
C 0 IF NOT MONOTONIC, TONIC IS SET IN TABX.
C 6TH ENTRY T(3,2) = EXTRA SPACE AVAILABLE TO ONE WHO WISHES TO USE IT.

C DIMENSION T(777)

```
Z = (X-T(1))*T(2)
IF (Z)      100,10,10
10 IF (Z = T(4))  20,112,110
20 I = Z
A=I
F=Z-A
24 II = 3*I
30 TERPT = T(II+7)+F*(T(II+8)+F*T(II+9))
RETURN
100 IF (Z = (-1,E-7))  101,101,102
101 CALL TTRACE (6H    X,X,6H ,TS,,6HTERPT )
102 Z = 0.0
GO TO 20
110 IF (Z = (T(4)+1,E-7))  112,112,111
111 CALL TTRACE (6H    X,X,6H ,TB,,6HTERPT )
112 I = Z-I,
F = I,
GO TO 24
END
```

FUNCTION TERPD (X,T)

C TERPD CALCULATES THE DERIVATIVE OF THE PARABOLA AT THE SPECIFIED VALUE
C OF X.
C X IS THE VALUE AT WHICH ONE WISHES THE DERIVATIVE.
C T IS THE NAME OF THE ARRAY CNE USES.
C
C Y = A*B*X+C*X**2, THEREFORE
C DY/DX = B+2*C*X,
C
C 1ST ENTRY T(1,1) = XLO
C 2ND ENTRY T(2,1) = 1./XDEL XDEL IS THE SPACING BETWEEN PARABOLAS
C XDEL/2, IS THE SPACING BETWEEN POINTS
C 3RD ENTRY T(3,1) = XUP
C 4TH ENTRY T(1,2) = NUMBER OF PARABOLAS OR (NUMBER OF PANELS)
C 5TH ENTRY T(2,2) = TONIC I.E. +1, IF DECREASING, -1, IF INCREASING,
C 0 IF NOT MONOTONIC, TONIC IS SET IN TABX.
C 6TH ENTRY T(3,2) = EXTRA SPACE AVAILABLE TO ONE WHO WISHES TO USE IT.
C
C DIMENSION T(777)
Z = (X-T(1))*T(2)
IF (Z) 100,10,10
10 IF (Z = T(4)) 20,112,110
20 I = Z
A=I
F=Z=A
24 II = 3*I
30 TERPD =(T(II+8)*2.0*T(II+9)*F)*T(2)
RETURN
C
C THIS SECTION IS ENTERED IF THE VALUE OF X IS OUTSIDE THE
C INTERVAL FROM XLO TO XUP, IF IT IS VERY NEAR TO THE LIMITS
C (WITHIN 1.0 E-7 OF XDEL), THEN IT IS ASSUMED TO BE EXACTLY ON THE EDGE,
C AND THE COMPUTATION PROCEEDS.
C
C BUT IF IT IS FURTHER FROM THE EDGES, THEN A TTRACE MESSAGE IS
C ISSUED, AND THE VALUE AT THE NEAREST EDGE IS RETURNED.
C
100 IF (Z = (-1.E-7)) 101,101,102
101 CALL TTRACE (6H X,X,6H ,TS,,5HTERPD)
102 Z = 0.0
GO TO 20
110 IF (Z = (T(4)+1.E-7)) 112,112,111
111 CALL TTRACE (6H X,X,6H ,TB,,5HTERPD)
112 I = Z*I.
F = 1,
GO TO 24
END

FUNCTION TERPI(A,B,TB0B)

C C A IS THE LOWER LIMIT OF INTEGRATION,
C B IS THE UPPER LIMIT OF INTEGRATION.
C TB0B IS THE ARRAY ONE USES.

C FIRST THE LIMITS ARE INTERCHANGED IF B .LT. A.
C THE FUNCTION TERPI INTEGRATES BETWEEN THE LIMITS A AND B.
C THE DO LOOP CALCULATES THE INTEGRAL OF ALL THE PARABOLAS INCLUDED
C BETWEEN A AND B. THEN THE FRACTIONS OF A PARABOLA AT BOTH ENDS
C (IF ANY) ARE INTEGRATED, AND TERPI RETURNS THE TOTAL INTEGRAL.
C AN ERROR MESSAGE IS ISSUED BY TTRACE IF A OR B ARE OUTSIDE THE
C INTERVAL FROM XLO TO XUP.

C 1ST ENTRY T(1,1) = XLO
C 2ND ENTRY T(2,1) = 1./XDEL XDEL IS THE SPACING BETWEEN PARABOLAS
C XDEL/2. IS THE SPACING BETWEEN POINTS
C 3RD ENTRY T(3,1) = XUP
C 4TH ENTRY T(1,2) = NUMBER OF PARABOLAS OR (NUMBER OF PANELS)
C 5TH ENTRY T(2,2) = TONIC I.E. +1. IF DECREASING,
C 0 IF NOT MONOTONIC, TONIC IS SET IN TABX.
C 6TH ENTRY T(3,2) = EXTRA SPACE AVAILABLE TO ONE WHO WISHES TO USE IT.

C DIMENSION TB0B(3,777)

XL=A
XU=B
S=1.

IF(B-A)2,4,6

2 XU=A
XL=B
S=-1.
GO TO 6

4 TERPI=0.
GO TO 101

6 SUM=0.
Z1=1.+(XL -TB0B(1,1))*TB0B(2,1)
Z2=1.+(XU -TB0B(1,1))*TB0B(2,1)
II=Z1
I2=Z2

IF(II) 8,8,10
8 IF(XL-TB0B(1,1)+1,E+7/TB0B(2,1))9,9,11
9 CALL TTRACE(6H A,XL,6H ,TS,,6HTERPI)

11 Z1=1.0
II=1
10 Q=II

IF(Q -TB0B(1,2)-1,)20,12,12
12 IF(XU-TB0B(3,1)-1,E-7/TB0B(2,1))15,13,13
13 CALL TTRACE(6H B,XU,6H ,TB,,6HTERPI)
15 Z2=TB0B(1,2)+1.0

I2=Z2
20 Q=I2

IF(Q -Z2)30,25,100
25 I2=I2+1
30 W=II
IF(W -Z1)40,45,100
40 W=II
Z=Z1-W

SUM= -Z*(TB0B(1,1)+2)+Z*(TB0B(2,II+2)/2.+Z*TB0B(3,II+2)/3.)

45 IF(I2=II)100,75,50
50 LOOP=I2+1

```
DO 60 I=11,L000
SUM=SUM+TBEB(3,I+2)/3.+.5*TBEB(2,I+2)+TBEB(1,I+2)
60 CONTINUE
75 BETA=12
Z=Z2-BETA
SUM=SUM+Z*(TBEB(1,I2+2)+Z*(TBEB(2,I2+2)/2.+Z*TBEB(3,I2+2)/3.))
80 TERPI=S*SUM/TBEB(2,1)
GO TO 101
100 CALL TTRACE(6H      A,XL,6H LURK,6HTERPI )
101 RETURN
END
```

FUNCTION BTERP(Y,T)

C THE FUNCTION BTERP IS USED FOR BACKWARD INTERPOLATION. THE
C SUBROUTINE IS ENTERED WITH A Y VALUE AND AN ARRAY, T. I HUNTS
C IS CALLED ON TO FIND THE PARABOLA WHICH CORRESPONDS TO THE
C EXPLICIT VALUE OF Y. THE VALUATION OF X IS PERFORMED BY ONE OF
C TWO FORMULAS. I.E. IF $4.*A*C/B^{**2} < 0.05$ THEN THE SERIES
C EXPANSION OF $X = -(A/B)^*(2/Z)^*(1,-SQRT(1,-Z))$ IS USED, WHERE
C Z EQUALS $4.*A*C/B^{**2}$.
C IF $4.*A*C/B^{**2} > 0.05$ THEN THE RATIONALIZED FORM OF THE
C QUADRATIC EQUATION IS USED, I.E. $X = -2.*A/(B+/-SQRT(B^{**2}-4.*A*C))$.
C THE SIGN OF THE TERM(SQRT(B^{**2}-4.*A*C)) IS DETERMINED BY THE SIGN
C OF THE SLOPE WHICH IS GIVEN BY THE MONOTONOUSNESS OF THE DATA POINTS.
C THEREFORE TO OBTAIN THE CORRECT VALUE OF X (THERE ARE TWO ROOTS)
C WE USE THIS MODIFIED FORM OF THE EQUATION,
C I.E. $X = -2.*A/(B+TONIC*SQRT(B^{**2}-4.*A*C))$
C THE SERIES EXPANSION IS USED WHERE IT CONVERGES ($>.05$, GT, Y, LT, $.05$),
C BECAUSE IT IS FASTER.
C
C IF THE DATA POINTS ARE NOT MONOTONIC THEN BTERP WILL NOT WORK.
C
C 1ST ENTRY T(1,1) = XLO
C 2ND ENTRY T(2,1) = 1./XDEL XDEL IS THE SPACING BETWEEN PARABOLAS
C XDEL/2. IS THE SPACING BETWEEN POINTS
C 3RD ENTRY T(3,1) = XUP
C 4TH ENTRY T(1,2) = NUMBER OF PARABOLAS OR (NUMBER OF PANELS)
C 5TH ENTRY T(2,2) = TONIC I.E. -1, IF DECREASING, +1, IF INCREASING,
C 0 IF NOT MONOTONIC, TONIC IS SET IN TABX,
C 6TH ENTRY T(3,2) = EXTRA SPACE AVAILABLE TO ONE WHO WISHES TO USE IT,
C
C DIMENSION T(3,777)
TONIC = T(2,2)
IF (TONIC)20,90,20
20 NN = T(1,2)
I = IHUNT3(T(1,3),NN+1,Y)
IF(I)60,110,23
C I = NN+1 ONLY IF Y = YLAST
23 IF(I-(NN+1))40,24,110
24 IF(TONIC)25,110,26
25 BTERP = T(1,1)
GO TO 88
26 BTERP = T(3,1)
GO TO 88
C EVERYTHING OK HERE, OBTAIN A, B, AND C COEFFICIENTS, AND BACKWARD
C INTERPOLATE.
40 A = T(1,I+2)-Y
B = T(2,I+2)
C = T(3,I+2)
IF(B)45,55,45
45 Z = $4.*A*C/B^{**2}$
IF(Z^{**2}<.0025)50,50,55
50 FRAC = $-(A/B)^*(1.+Z*(.25+Z*(.125+Z*(.078125+Z*(.0546875))))$
GO TO 56
C
C THIS IS A FORTRAN FOUR FUNCTION.
C
55 FRAC = $-2.*A/(B+TONIC*SQRT(E^{**2}-4.*A*C))$
C
56 FIMI = I-1
C BTERP = T(1,1)+(FIMI+FRAC)/T(2,1)

88 RETURN

C THIS SECTION ENTERED FOR FIXING OF ERRORS.

60 YFIRST = T(1,3)

YLAST = T(1,NN+3)

IF(TONIC)61,110,62

61 YLO = YLAST

YUP = YFIRST

GO TO 63

62 YLO = YFIRST

YUP = YLAST

63 IF(Y=YUP)94,110,100

C IF TONIC = 0, ISSUE MESSAGE AND SET BTERP = XLO.

90 CALL TTRACE(6H TONIC,TONIC,6H,N,MN,6HBTERP)

BTERP = T(1,1)

GO TO 88

C

C IF Y LESS THAN YLO, CHECK TO SEE HOW BADLY. IF BAD ISSUE MESSAGE.

C SET BTERP = XLO(IF TONIC = +1.)

C BTERP = XUP(IF TONIC = +1.)

C

94 IF(Y-(.9999999*YLO))95,96,96

95 CALL TTRACE(6H Y,Y,6H ,TS, ,6HBTERP)

96 IF(TONIC)97,110,98

97 BTERP = T(3,1)

GO TO 88

98 BTERP = T(1,1)

GO TO 88

C IF Y GREATER THAN YUP CHECK TO SEE IF Y IS CLOSE TO YUP. IF NOT ISSUE MESSAGE. SET BTERP = XLO(IF TONIC = -1.)

C BTERP = XUP(IF TONIC = +1.)

C

100 IF(Y-(1.0000001*YUP))101,101,102

102 CALL TTRACE(6H Y,Y,6H ,TB, ,6HBTERP)

101 IF(TONIC)103,110,104

103 BTERP = T(1,1)

GO TO 88

104 BTERP = T(3,1)

GO TO 88

C ONE CANNOT GET HERE...WE HOPE.

110 CALL TTRACE(6H Y,Y,6HLURK ,5HBTERP)

GO TO 88

END

```
FUNCTION IHUNT(E,N,X)
C E IS THE ARRAY OF N DATA POINTS, WHICH MUST BE EITHER STRICTLY
C INCREASING OR DECREASING (MONOTONIC).
C
C IHUNT SEARCHES THE ARRAY E BY BINARY SECTION IN ORDER TO FIND
C THE CLOSEST MATCH BETWEEN X AND THE VALUES IN THE ARRAY E.
C THE VALUE RETURNED IS THE POSITION IN THE ARRAY OF THE LAST
C POINT IN THE ARRAY WHICH IS SMALLER OR LARGER THAN X, DEPENDING
C UPON WHETHER THE TABLE IS MONOTONIC INCREASING OR DECREASING
C RESPECTIVELY. IHUNT IS USED BY TERPU.
C
C THIS ROUTINE COMPARES X WITH E(1),E(2),...,E(N) AND RETURNS A
C VALUE FOR IHUNT
C
C IF X IS OUTSIDE THE INTERVAL FROM (E(1),E(N)), THEN IHUNT = -1.
C
DIMENSION E(777)
IF(E(N)-E(1))1,200,2
1 S=-1,
GO TO 5
2 S=1,
5 IF(S*(X-E(1)))20,30,10
10 IF(S*(X-E(N)))40,25,20
25 IHUNT=N
GO TO 101
30 IHUNT=1
GO TO 101
40 ILG=1
IUP=N
DO 99 K=1,16
M=(ILG+IUP)/2
IF(S*(X-E(M)))50,80,60
50 IUP=M
IF(IUP-ILG-1)100,80,99
60 ILG=M
IF(IUP-ILG-1)100,70,99
99 CONTINUE
70 IHUNT=M
GO TO 101
80 IHUNT=M-1
GO TO 101
100 CALL TTRACE(3HARG,X,6H LURK,5HIHUNT)
GO TO 20
200 CALL TTRACE(3HELO,E(1),6H = EUP,5HIHUNT)
20 IHUNT=-1
101 RETURN
END
```

FUNCTION IHUNT3(E,N,Y)

C E IS THE ARRAY ONE USES.
C N IS THE NUMBER OF POINTS IN THE TABLE,
C Y IS THE VALUE ON THE ORDINATE AXIS WHICH CORRESPONDS TO THE
C NUMBER OF SOME PARABOLA.
C
C IHUNT3 DOES EXACTLY THE SAME AS IHUNT, EXCEPT THAT IT LOOKS AT
C ONLY EVERY THIRD ELEMENT IN THE ARRAY STARTING WITH THE FIRST,
C THIS IS USED BY BTRP TO SEARCH THROUGH A TABLE OF PARABOLA
C COEFFICIENTS, SINCE EVERY THIRD COEFFICIENT IS THE VALUE OF
C Y AT THE BEGINNING OF A PARABOLA. THIS LOCATES THE PARABOLA
C NUMBER WHICH CORRESPONDS TO X = A SPECIFIED VALUE OF Y,
C
C 1ST ENTRY T(1,1) = XLO
C 2ND ENTRY T(2,1) = 1./XDEL XDEL IS THE SPACING BETWEEN PARABOLAS
C XDEL/2, IS THE SPACING BETWEEN POINTS
C 3RD ENTRY T(3,1) = XUP
C 4TH ENTRY T(1,2) = NUMBER OF PARABOLAS OR (NUMBER OF PANELS)
C 5TH ENTRY T(2,2) = TONIC I.E., -1, IF DECREASING,
C 0 IF NOT MONOTONIC, TONIC IS SET IN TABX.
C 6TH ENTRY T(3,2) = EXTRA SPACE AVAILABLE TO ONE WHO WISHES TO USE IT.
C
DIMENSION E(3,777)
X = Y
IF(E(1,N)=E(1,1))1,200,2
1 S=-1.
GO TO 5
2 S=1.
5 IF(S*(X-E(1,1)))20,30,10
10 IF(S*(X-E(1,N)))40,25,20
25 IHUNT3=N
GO TO 101
30 IHUNT3=1
GO TO 101
40 ILG=1
IUP=N
DG 99 K=1,16
M=(ILG+IUP)/2
IF(S*(X-E(1,M)))50,80,60
50 IUP=M
IF(IUP=ILG+1)100,80,99
60 ILG=M
IF(IUP=ILG+1)100,70,99
99 CONTINUE
70 IHUNT3=M
GO TO 101
80 IHUNT3=M-1
GO TO 101
100 CALL TTRACE(3HARG,X,6H LURK,6HIHUNT3)
GO TM 20
200 CALL TTRACE(3HELO,E(1,1),6H = EUP,6HIHUNT3)
20 IHUNT3=-1
101 RETURN
END

FUNCTION TERP2(X,TAB)

C X IS THE VALUE AT WHICH ONE WANTS AN INTERPOLATED VALUE OF Y.
C TAB IS THE ARRAY ONE USES.

C TERP2 IS SORT OF AN ANACRONISM WHICH MAY PROVE USEFUL. IT HAS THE
C SAME PURPOSE AS TERPT, EXCEPT IT IS SOMEWHAT MORE ACCURATE AT THE
C EXPENSE OF MUCH LONGER EXECUTION TIME.

C IT IS BASED ON THE PRINCIPLE THAT ONE CAN DO A PARABOLIC INTERPOLATION
C BY USING TWO DIFFERENT SETS OF THREE POINTS, THUS TERP2 IN EFFECT
C DOES TWO PARABOLA INTERPOLATIONS USING EACH POSSIBLE SET, AND THEN
C RETURNS THE AVERAGE OF THE TWO. THIS SYMMETRICAL TREATMENT GIVES
C EQUAL CONSIDERATION TO EVERY DATA POINT (EXCEPT THE END ONES),
C AT THE ENDS, THE RESULT IS THE SAME AS TERPT.

C 1ST ENTRY T(1,1) = XLO
C 2ND ENTRY T(2,1) = 1./XDEL XDEL IS THE SPACING BETWEEN PARABOLAS
C XDEL/2. IS THE SPACING BETWEEN POINTS
C 3RD ENTRY T(3,1) = XUP
C 4TH ENTRY T(1,2) = NUMBER OF PARABOLAS OR (NUMBER OF PANELS)
C 5TH ENTRY T(2,2) = TONIC I.E. -1. IF DECREASING, +1. IF INCREASING,
C 0 IF NOT MONOTONIC, TONIC IS SET IN TABX,
C 6TH ENTRY T(3,2) = EXTRA SPACE AVAILABLE TO ONE WHO WISHES TO USE IT.

C

DIMENSION TAB(77),C(7),T(9)	234 0102
DO 4 I=1,7	234 0103
4 C(I)=TAB(I)	234 0104
NPRAB=C(4)	234 0105
C(6)=TAB(3*NPRAB+7)	234 0106
Z=(X-C(1))*C(2)	234 0107
20 II=Z	234 0108
FI=II	234 0110
F=2.0*(Z-FI)	234 0111
22 I=3*II+4	234 0109
DO 34 K = 1,9	
T(K)=TAB(I)	234 0115
34 I=I+1	234 0116
IF(Z-.5)90,24,24	234 0112
24 IF(Z-(C(4)+.5))30,100,100	
30 IF (F = 1.0) 2,2,3	
C POINT IS IN LEFT HALF OF PARABOLA	234 0118
C	234 0119
2 Q=F	234 0120
YMI=T(1)+.5*T(2)+.25*T(3)	234 0121
Y0=T(4)	234 0122
Y1=T(4)+.5*T(5)+.25*T(6)	234 0123
Y2=T(7)	234 0124
GO TO 50	234 0125
C POINT IS IN RIGHT HALF OF PARABOLA	234 0126

C		234 0127
3 Q=F=1,0		234 0128
YMI=T(4)		234 0129
Y0=T(4)+.5*T(5)+.25*T(6)		234 0130
Y1=T(7)		234 0131
Y2=T(7)+.5*T(8)+.25*T(9)		234 0132
50 TERP2 = Y0 + .25*Q*(-(YMI+Y2)-3, *Y0+5, *Y1 + Q*((YMI+Y2)-Y0-Y1))		234 0137
88 RETURN		234 0059
C THIS SECTION IS ENTERED FOR FURTHER CHECKING IF POINT NEAR EDGES		234 0060
C CHECK FOR POINT... IN 1ST HALF PARABOLA OR BELOW XLO		234 0061
90 IF (Z) 91,94,95		
91 IF (Z - (-1,E-7)) 92,93,93		
92 CALL TTRACE(6H X,C(1)+Z/C(2),6H .TS.,6H3TERP2)		
93 Z = 0,		
GO TO 20		
94 CONTINUE		
95 Q = F		234 0068
Y0=T(4)		234 0069
Y1=T(4)+.5*T(5)+.25*T(6)		234 0070
Y2=T(7)		234 0071
YMI = 3, *Y0 = 3, *Y1 + Y2		234 0072
GO TO 50		234 0073
C CHECK FOR POINT... IN LAST HALF PARABOLA OR ABOVE XUP		
C IF POINT AT CR SLIGHTLY OVER UPPER EDGE, REDUCE TO JUST BELOW.		
C IF POINT TOO FAR ABOVE EDGE, ISSUE MESSAGE AND REDUCE TO JUST BELOW.		
100 IF (Z = C(4)) 104,103,101		
101 IF (Z - (C(4)+1,E-7)) 103,103,102		
102 CALL TTRACE(6H X,C(1)+Z/C(2),6H .TB.,6H3TERP2)		
103 Z = .99999998 * C(4)		
GO TO 20		
104 Q = F = 1,0		234 0080
YMI = T(4)		234 0081
Y0 = T(4) + .5*T(5) + .25*T(6)		234 0082
Y1 = T(7)		234 0083
Y2 = 3, *Y1 = 3, *Y0 + YMI		234 0084
GO TO 50		234 0164
END		

```
C SUBROUTINE TTRACE(VAR,VAL,TYP,SUB)
C THIS IS FORTRAN FOUR VERSION OF TERP SYSTEM
C .TB. MEANS TOO BIG.
C .TS. MEANS TOO SMALL.
C .N.MON MEANS NOT MONOTONIC.
C LURK MEANS THE IMPOSSIBLE OCCURED IN A ROUTINE. ( WE HOPE YOU NEVER
C SEE THIS MESSAGE .)
C ELO = X.XXXXE-XX = EUP MEANS THAT THE TABLE OF DATA POINTS USED
C BY IHUNT AND TERPU IS NOT MONOTONIC AND CANNOT BE USED BY TERP SYSTEM.
C .N.IN. MEANS THIS VALUE IS NOT IN THE SPECIFIED ARRAY.
C WIGGLE MEANS THAT THE SLOPE HAS CHANGED WITHIN A PARABOLA.
C
C IF(KKK=15178)10,20,10
C 10 KKK=15178
C
C THIS TAPE NUMBER MUST BE CHANGED IN DIFFERENT FORTRANS.
C
C NTOU=6
C KOUNT1=0
C KOUNT2=0
C KOUNT3=0
C KOUNT4=0
C KOUNT5=0
C CALL EQUIV(SUB1,6HTERP )
C CALL EQUIV(SUB2,6BTERP )
C CALL EQUIV(SUB3,6TERPI )
C
C THIS SECTION CONTROLS NUMBER OF LURKS PRINTED. MAXIMUM OF FIVE...
C
C 20 KOUNT5=KOUNT5+1
C IF(KOUNT5=5)30,30,40
C 30 WRITE(NTOU,901)
C     WRITE(NTOU,902)
C     WRITE(NTOU,903)
C
C THIS SECTION CONTROLS NUMBER OF ERROR MESSAGES GIVEN. MAXIMUM OF
C TEN FOR TERPT, BTERP, AND TERPI. MAXIMUM OF TWENTY FOR ALL OTHER
C SUBROUTINES...
C
C 40 IF(SUB=SUB1)50,70,50
C 50 IF(SUB=SUB2)60,80,60
C 60 IF(SUB=SUB3)100,90,100
C 70 KOUNT1=KOUNT1+1
C     IF(KOUNT1=10)110,110,120
C 80 KOUNT2=KOUNT2+1
C     IF(KOUNT2=10)110,110,120
C 90 KOUNT3=KOUNT3+1
C     IF(KOUNT3=10)110,110,120
C 100 KOUNT4=KOUNT4+1
C     IF(KOUNT4=20)110,110,120
C 110 WRITE(NTOU,900)VAR,VAL,TYP,SUB
C 120 RETURN
C
C THIS IS THE ERROR MESSAGE.
C
C 900 FORMAT(15H0***** ERROR A6.3H * E10.3,2XA6,4H IN A6,7H *****)
C
C THIS IS THAT MONSTER LURK,
```

C

901	FORMAT(1H25X26HB beware the lurk, zap, zap.42X1HX/	01
	=72X2HXX11X3HZAP/	02
	=71X3HXXXV8X3HXXX/	03
	=70X4HXXXVV9X2HXX/	04
	=69X3HXXXV10X1HX1X1HX/	05
	=68X4HXXXVV5X1HX3X1HX/	06
	=67X3HXXXV6X1HX1X1HX1X1HX)	07
902	FORMAT(66X4HXXXVV5X1HX3X1HX/	08
	=65X3HXXXV2X1HX3X1HX/	09
	=64X4HXXXVV1X1HX1X1HX1X1HX/	10
	=60X2H001X3HXXXV1X2HXX3X1HX/	11
	=58X9HXXXXXXXXXXXX/	12
	=57X8HXXXXXXXXXAIXIHAIXIHAIXIHAIXIHAIXIHAIXIHAIXIHA/	13
	=56X26HXXXXXXXXXXXXAAA	14
903	FORMAT(19X64(1HX)/	15
	=18X2HXX5X1L4X1HU2X1HU X4HRRRRR1X1HK1X2WKK1 X23(1HX)/	16
	=17X2HXX6X1L4X1HU2X9HU R R KKI2X4HXXXX/	17
	=16X2HXX7X1L4X1HU2X9HU RRRR KKI1X3HXXX/	18
	=15X2HXX8X4L4X13HUU R R K K8X3HXXX/	19
	=14X2HXX3X4L(1HX)/	20
	=5X14HXXXXXXXXXXXXXX4X2HXX3X2HXX X2HXX3X2HXX/	21
	=6X12HXXXXXXXXXXXX5X9HXXXX XXXX9X4HXXXX)	22
	END	

SUBROUTINE EQUIV(X,Y)

C EQUIV IS USED SO THAT ONE CAN DEFINE A HOLLERITH LITERAL.
C I. E. IF ONE WISHES TO SEE IF THE WORD DENOTED BY X CONTAINS A
C CERTAIN SIX HOLLERITH LETTERS, ONE COULD USE AN IF STATEMENT....
C IF (X=WORD)A,B,C
C BUT ONE NEEDS SOME WAY OF SETTING WORD EQUAL TO THE HOLLERITH
C INFORMATION THAT ONE WISHES TO CHECK. ONE EASY WAY IS TO READ THE
C INFORMATION INTO WORD USING A 1A6 FORMAT.
C HOWEVER, EQUIV OFFERS AN ALTERNATIVE WAY, BASED ON THE FACT THAT
C NEARLY ALL FORTRAN COMPILERS WILL ACCEPT AT LEAST ONE WORD OF HOLLERITH
C INFORMATION AS A SUBROUTINE ARGUMENT. FOR EXAMPLE,
C CALL EQUIV(WORD,5HSMITH)
C THEN WORD WILL CONTAIN THE CODED HOLLERITH FOR SMITH.

C
X=Y
RETURN
END

SUBROUTINE MDECK(NAME1,NAME2,T,NT)

C C THIS SUBROUTINE WAS WRITTEN IN FORTRAN FOUR.

C C T=ARRAY NAME (THE ONE TO BE PUNCHED BY THIS SUBROUTINE.)
C C NAME1=IS THE DESIRED NAME ONE WISHES TO CALL HIS NEW SUBROUTINE.
C C NAME2=SUBROUTINE CALLED(TERPT,,, ETC.,)
C C NT=TAPE NUMBER

C C THIS SUBROUTINE MAY BE USED WHEN IT IS DESIRED TO OBTAIN
C A BINARY DECK OF SOME FUNCTION WHICH HAS BEEN GENERATED BY THE TERP
C SYSTEM. IN ORDER TO DO THIS, ONE MUST FIRST GET AN ASSEMBLY LANGUAGE
C DECK AND THEN ASSEMBLE IT. THIS SUBROUTINE MAKES THE ASSEMBLY
C LANGUAGE DECK.

C C AFTER ASSEMBLY, IN ORDER TO EXECUTE, ONE MUST LOAD THE BINARY DECK
C FOR THE TABLE, AND THE SPECIFIED SUBROUTINE(TERPT,JOE, OR QDISK),
C AND THE SUBROUTINES WHICH IT CALLS(TTRACE, JOEJOE, OR KDISK).

C C FAPP AND CEDAP PUNCH THE ARRAYS IN 7090 OR 1604 COMPUTER FORMATS
C RESPECTIVELY.

C C THIS CAPABILITY IS NOT LIMITED TO THE TERP SYSTEM.

C C MDECK PRODUCES A DECK OF CARDS ACCEPTABLE TO THE FORTRAN FOUR
C ASSEMBLER ON THE 7090.

DIMENSION T(777)

WRITE(NT,90)NAME1,NAME1,NAME1

WRITE(NT,91)NAME2

90 FORMAT(7H\$IBMAP I46 ,67X/
1 15H ENTRY I46 ,59X/
2 16HEGIN EQU * ,64X/
3 A6,15H SXA BACK,4 ,59X/
4 18H CLA 3,4 ,62X)
91 FORMAT(18H STA **4 ,62X/
1 15H CALL I46 ,60X/
2 19H ETC (**, ,61X/
3 18H ETC T1) ,62X/
4 19HEACK AXT **,4 ,61X/
5 18H TRA 1,4 ,62X)

N=3,*T(4)+7.

DO 110 I=1,N

110 CALL FAPP(T(I),I,NT)

WRITE(NT,92)

92 FORMAT(1UH END,70X)
RETURN
END

```
SUBROUTINE FDECK(NAME1,NAME2,T,NT)
C THIS SUBROUTINE WAS WRITTEN IN FORTRAN FOUR.
C
C T=ARRAY NAME (THE ONE TO BE PUNCHED BY THIS SUBROUTINE.)
C NAME1=IS THE DESIRED NAME ONE WISHES TO CALL HIS NEW SUBROUTINE.
C NAME2=SUBROUTINE CALLED(TERPT..., ETC.)
C NT-TAPE NUMBER
C
C THIS SUBROUTINE MAY BE USED WHEN IT IS DESIRED TO OBTAIN
C A BINARY DECK OF SOME FUNCTION WHICH HAS BEEN GENERATED BY THE TERP
C SYSTEM. IN ORDER TO DO THIS, ONE MUST FIRST GET AN ASSEMBLY LANGUAGE
C DECK AND THEN ASSEMBLE IT. THIS SUBROUTINE MAKES THE ASSEMBLY
C LANGUAGE DECK.
C
C AFTER ASSEMBLY, IN ORDER TO EXECUTE, ONE MUST LOAD THE BINARY DECK
C FOR THE TABLE, AND THE SPECIFIED SUBROUTINE(TERPT, JOE, OR QDISK),
C AND THE SUBROUTINES WHICH IT CALLS(TTRACE, JOEJOE, OR KDISK).
C
C FAPP AND CODAP PUNCH THE ARRAYS IN 7090 OR 1604 COMPUTER FORMATS
C RESPECTIVELY.
C
C THIS CAPABILITY IS NOT LIMITED TO THE TERP SYSTEM.
C
C FDECK PRODUCES A DECK OF CARDS ACCEPTABLE TO THE FORTRAN TWO
C ASSEMBLER ON THE 7090.
C
DIMENSION T(777)
WRITE(NT,90)NAME1,NAME1
WRITE(NT,91)NAME2
90 FORMAT(24H*      FAP      ,56X/
        1      15H      ENTRY    1A6      ,59X/
        2      16HEEGIN  EQU      *       ,64X/
        3      A6,18H  SXD      BEGIN-2,4,56X/
        4      24H      CLA      1,4      ,56X/
        5      24H      STA      *+2      ,56X)
91 FORMAT(24H      TSX      BEGIN-3,4,56X/
        1      24H      TSX      **,      ,56X/
        2      24H      TSX      T1,0      ,56X/
        3      24H      LXD      BEGIN-2,4,56X/
        4      24H      TRA      2,4      ,56X/
        5      16H      NOP      $1A6      ,58X)
N=3,*T(4)+7.
C ARRAYS RUN BACKWARDS IN FORTRAN-2
DO 110 II=1,N
I=N-II+1
110 CALL FAPP(T(I),I,NT)
WRITE(NT,92)
92 FORMAT(10H      END,70X)
RETURN
END
```

SUBROUTINE CDECK(NAME1,NAME2,T,NT)

C THIS SUBROUTINE WAS WRITTEN IN FORTRAN FOUR.
C
C T=ARRAY NAME (THE ONE TO BE PUNCHED BY THIS SUBROUTINE.)
C NAME1=IS THE DESIRED NAME ONE WISHES TO CALL HIS NEW SUBROUTINE,
C NAME2=SUBROUTINE CALLED(TERPT,,, ETC.)
C NT=TAPE NUMBER
C
C THIS SUBROUTINE MAY BE USED WHEN IT IS DESIRED TO OBTAIN
C A BINARY DECK OF SOME FUNCTION WHICH HAS BEEN GENERATED BY THE TERP
C SYSTEM. IN ORDER TO DO THIS, ONE MUST FIRST GET AN ASSEMBLY LANGUAGE
C DECK AND THEN ASSEMBLE IT. THIS SUBROUTINE MAKES THE ASSEMBLY
C LANGUAGE DECK.
C
C AFTER ASSEMBLY, IN ORDER TO EXECUTE, ONE MUST LOAD THE BINARY DECK
C FOR THE TABLE, AND THE SPECIFIED SUBROUTINE(TERPT,JOE, OR QDISK),
C AND THE SUBROUTINES WHICH IT CALLS(TTRACE, JOEJOE, OR KDISK).
C
C FAPP AND CODAP PUNCH THE ARRAYS IN 7090 OR 1604 COMPUTER FORMATS
C RESPECTIVELY.
C
C THIS CAPABILITY IS NOT LIMITED TO THE TERP SYSTEM.
C
C CDECK PRODUCES A DECK OF CARDS ACCEPTABLE TO THE FORTRAN 63
C ASSEMBLER ON THE 1604
C
DIMENSION T(777)
WRITE(NT,90)NAME1,NAME1,NAME1,NAME1
WRITE(NT,91)NAME2,NAME2
90 FORMAT(19H IDENT 1A6 ,55X/
1 19H ENTRY 1A6 ,55X/
2 A6,3X,12H 0 ** ,59X/
3 24H SIU 6 SAVE6 ,56X/
4 19H LIU 6 1A6 ,55X/
5 20H LDA 6 0 ,60X/
6 20H INI 6 1 ,60X/
7 25H SIU 6 RETURN ,55X/
8 25H ARS 24 ,55X)
91 FORMAT(25H SAU XADD ,55X/
* 19H EXT 1A6 ,55X/
1 19H RTJ 1A6 ,55X/
2 25HXADD 0 ** ,55X/
3 25H 0 T001 ,55X/
4 25HSAVE6 ENI 6 ** ,55X/
5 25HRETURN SLJ ** ,55X)
N=3,*T(4)+7.
DO 50 I=1,N
50 CALL CODAP(T(I),I,NT)
WRITE(NT,92)
92 FORMAT(12H END ,68X)
RETURN
END

```
SUBROUTINE CODAP(A,N,NT)
C THIS SUBROUTINE WAS WRITTEN IN FORTRAN FOUR.
C
C A IS THE NUMBER ONE WANTS CONVERTED TO MACHINE LANGUAGE,
C N IS THE VALUE OF THE DO LOOP USED TO GENERATE THE PUNCHED CARDS.
C NT IS THE TAPE NUMBER
C
C CODAP PUNCHES THE SPECIFIED ARRAY, T, IN A FORMAT ACCEPTABLE TO THE 1604.
C
N100=N/100
N10=(N-100*N100)/10
NI=N-100*N100-10*N10
IF(A)10,60,15
10 ABSA=A
GO TO 16
15 ABSA=A
16 EE=0.434294481*ALOG(ABSA)
IE=EE+40,
IE=IE-40
FRAC=ABSA/(1D.**IE)
IF(FRAC-9.9999995)25,25,20
20 FRAC=1.
IE=IE+1
25 IIE=IE
IF(IIE)21,30,30
21 IE=-IE
30 IID=IE/10
II=IE-10*IID
IF(IIE)40,50,50
40 IF(A)41,60,42
41 WRITE(NT,900)N100,N10,NI,FRAC,IID,II
GO TO 70
42 WRITE(NT,901)N100,N10,NI,FRAC,IID,II
GO TO 70
50 IF(A)51,60,52
51 WRITE(NT,902)N100,N10,NI,FRAC,IID,II
GO TO 70
52 WRITE(NT,903)N100,N10,NI,FRAC,IID,II
GO TO 70
60 WRITE(NT,904)N100,N10,NI
70 RETURN
900 FORMAT(IHT,3I1,4X,12H DEC      -F 9.7,2HD-2I1,47X)
901 FORMAT(IHT,3I1,4X,12H DEC      +F 9.7,2HD-2I1,47X)
902 FORMAT(IHT,3I1,4X,12H DEC      -F 9.7,2HD+2I1,47X)
903 FORMAT(IHT,3I1,4X,12H DEC      +F 9.7,2HD+2I1,47X)
904 FORMAT(IHT,3I1,4X,25H DEC      +0,0000000D+00,47X)
END
```

SUBROUTINE FAPP(A,INT)

C THIS SUBROUTINE WAS WRITTEN IN FORTRAN FOUR.
C
C A IS THE NUMBER ONE WANTS CONVERTED TO MACHINE LANGUAGE.
C I IS THE VALUE OF THE DO LOOP USED TO GENERATE THE PUNCHED CARDS.
C NT IS THE TAPE NUMBER
C
C FAPP PUNCHES THE SPECIFIED ARRAY, T, IN A FORMAT ACCEPTABLE TO THE 7090.
C
C EXAMBLE
C ..T..I.....DEC...-1,1234567E+04
C
IF(A)10,60,15
10 ABSA=A
GO TO 16
15 ABSA=A
16 EE=0,434294481*ALOG(ABSA)
IE=EE*40,
IE=IE*40
FRAC=A/(10,**IE)
IF(FRAC**2>9.9999995**2)25,25,20
20 FRAC=1,
IE=IE+1
25 IIE=IE
IF(IIE)21,30,30
21 IE=IE
30 II0=IE/10
II=IE-10*II0
IF(IIE)40,50,50
40 WRITE(NT,900)I,FRAC,II0,II
GO TO 70
50 WRITE(NT,901)I,FRAC,II0,II
GO TO 70
60 WRITE(NT,902)I
70 RETURN
900 FORMAT(2XIFT13,8H DEC F10,7,2HE-2II,52X)
901 FORMAT(2XIFT13,8H DEC F10,7,2HE+2II,52X)
902 FORMAT(2XIFT13,22H DEC 0,0000000E+00,52X)
END

```
SUBROUTINE TYME(I,NT)
C THIS IS A FORTRAN-4 VERSION OF TYME
C THIS SUBROUTINE WORKS ONLY ON LOCAL MACHINES. THE 7090 AT K-1007.
C IN THIS VERSION OF TYME I IS A DUMMY ARGUMENT
C
CALL TAD(T,D)
WRITE(NT,900)T
RETURN
900 FORMAT(8H0TIME = 1A6)
END
```

SIBMAP TAD

- *TAD, TIME AND DATE FORTRAN BCD ROUTINE
- *NEW CLOCK READING ROUTINE,
- *THIS IS A REVISED CLOCKING ROUTINE TO UTILIZE A COUNTER FOR THE DAY
- * OF THE YEAR.

REM

- *TWO CODE WORDS ARE READ INTO CORE FROM THE ECHO ENTRIES. EACH IS
- * DIVIDED INTO FIVE BYTES AS FOLLOWS.....

REM

- *WORD TWO S USED TO SIGNAL CORRECT TRANSMISSION,
- * 1-3 TENS OF HOURS,
- * 4-13 UNITS OF HOURS,
- * 14-15 TENS OF MINUTES,
- * 20-25 UNITS OF MINUTES,
- * 30-35 TENS OF SECONDS.

REM

- *WORD ONE 35-S MACHINE NUMBER (35 IS THE HIGH ORDER END)
- * 1-10 UNITS OF YEAR,
- * 11-14 HUNDREDS OF DAYS
- * 15-24 TENS OF DAYS,
- * 26-34 UNITS OF DAYS.

REM

- *WITHIN EACH BYTE THE BITS ARE GIVEN WEIGHT ACCORDING TO ITS POSITION--
- * FIRST POSITION IS ZERO, SECOND IS 1, THIRD IS 2, ETC. EACH BYTE
- * SHOULD CONTAIN ONE (AND ONLY ONE) ONE-BIT. THIS IS VERIFIED FOR
- * THE SECOND (TIME) WORD BUT NOT FOR THE FIRST (DATE) WORD, THIS
- * ROUTINE CONVERTS THE TIME TO A BINARY INTEGER MEASURING THE TIME
- * OF DAY IN UNITS OF 10-SECONDES. THE DATE IS PUT INTO THE FORM...
- * MMDD6Y (IN BCD) WHERE Y IS THE DIGIT FOR THE UNITS POSITION OF
- * THE YEAR (A.D.) AND APPEARS AS THE TRU DIGIT FOR MACHINE
- * NUMBER ZERO, AND PLUS ZONED (B FOR 2) FOR MACHINE NUMBER ONE,
- * MM AND DD ARE THE MONTH AND DAY DIGITS.

REM

- * THIS ROUTINE IS GOOD THRU 1969.

REM

ENTRY	TAD	
TAD	SXA X1,1	
	SXA X2,2	
	SXA X4,4	
READ	STZ FLAG	FLAG TO TRY TWICE
	EQU *	
	STZ TIME	PRINT BLANKS SO AS
	STZ TIME+1	TO HAVE NO ECHOS
	TCOA * INSURE NO CHANNEL TRAPS	
	TCOA * 1 (THIS VERSION WILL WORK EITHER WITH CHANNEL	
	TCOB * TRAPS ENABLED OR DISABLED)	
	TCOB * 3	
	RPR A	READ THE PRINTER.
	RCHA 1C	
	SPRA 6	SENSE THE CLOCK
	AXT 47,4	COUNT COPIES
	TNX ERR,4,2	
	LCHA 1C	
	LDO TIME	PICK UP SIGN AND
	TQP * 3	TRY AGAIN UNTIL CORRECT
	AXT 1,4	CONTROLS LOOP FOR DATE
	AXT 3,1	BITS IN FIRST BYTES
	PXD ,0	
DLLOOP	EQU *	
	LDQ TIME+1,4	GET CODE WORD

			NO. OF BYTES
RQL	AXT	5,2	LOOK AT NEXT BIT
TQP	ROL	1	
	EQU	*	
	TOP	ADD	ADD IF PLUS
	ROL	1	OTHERWISE SHIFT TO
	TNX	TNX,1,1	END OF BYTE
	TOP	*-2	(THERE SHOULD NOT
	TXH	ERR,4,0	BE ANY ONE-BITS.)
	TRA	*-4	IGNORE ERROR FOR DATE
ADD	ADD*	ACDER,4	ADD PROPER AMOUNT
	TIX	RGL,1,1	AND GO LOOK AT NEXT BIT.
ERR	TXL	TAX,4,0	IGNORE DATE ERROR
	ZET	FLAG	FIRST ERROR
	TRA	DATE	NO, BUT GO DO DATE
	STL	FLAG	YES, SO GO TRY AGAIN
	TRA	READ	
TNX	TNX	CYCLE,2,1	THRU WITH THIS CYCLE
	XEC	*+2,4	SELECT CORRECT TXI
	XEC	TTXI,2	INSTRUCTION TO EXECUTE
	XEC	DTXI,2	
	TXI	TGP,1,9	SET INDEX FOR NEXT BYTE SIZE
	TXI	TGP,1,5	
	TXI	TGP,1,9	
	TXI	TGP,1,5	
TTXI	TXI	TGP,1,3	
	TXI	TGP,1,9	
	TXI	TGP,1,9	
	TXI	TGP,1,1	
DTXI	EQU	*	
	PZE	TIMER,2	
ADDER	PZE	DATER,2	
	BCI	5,1000000 000000 000000 000000 0	
TIMER	EQU	*	
*	BCI	5,0 0000000 000000 000000 00 000	
REM	YR	100D 10D IC MAC	
DEC		1,100817,10817,1817,1831	
DATER	BCI	1,000060 GOOD THRU 1969 ONLY,	
TEN	SYN DATER-3		
	TIX	XEC,2,99	13TH MONTH FOR GOOD MEASURE.
	TIX	XEC,2,31	DECEMBER
	TIX	XEC,2,30	NOV.
	TIX	XEC,2,31	OCTOBER
	TIX	XEC,2,30	SEPTEMBER
	TIX	XEC,2,31	AUGUST
	TIX	XEC,2,31	JULY
	TIX	XEC,2,30	JUNE
	TIX	XEC,2,31	MAY
	TIX	XEC,2,30	APRIL
	TIX	XEC,2,31	MARCH
	TIX	XEC,2,29	FEBRUARY, LIKE IN LEAP YEAR.
	TIX	XEC,2,31	JANUARY.
DAYMO	EQU	* 30 DAYS HATH SEPT APR JUN AND NOV. ALL THE REST HAVE	
		* 31 EXCEPTING FEBRUARY ALONE.	
CYCLE	TXL	END,4,0	IF DATE DONE, EXIT
	STO	TIME	OTHERWISE, SAVE TIME
	STZ	FLAG	CLEAR POSSIBLE ERROR FLAG
DATE	CAL	DATER	SET UP DATE DATA
	AXT	1C,1	SET SIZE OF FIRST BYTE
	TXI	DL00P,4,-1	AND LOOP AGAIN
END	PDX	0,2	DAY OF YEAR TO XR2

STA	DATES	
ARS	5	LEAP YEAR ADJUSTMENT
ADD	DATES	GOOD THRU YEAR 1999 (A.D.)
ANA	=3	
TZE	*+3	TRANSFERS ON LEAP YEAR
TXL	*+2,2,28+31	TRANSFERS FOR JAN. OR FEB.
TXI	*+1,2,1	ADD EXTRA DAY IF AFTER FEB. 28,
*MAKE ALL YEARS LOOK LIKE LEAP YEAR BY ADDING AN EXTRA DAY FOR THE		
*NON-LEAPING YEARS.		
AXT	0,4	
XEC	TXI *+1,4,1	GET MONTH IN XR4
XEC	DAYMO,4	AND DAY IN XR2
PXD	0,2	
XCA	CONVERT TO BCD	
PXD	,0	
DVP	TEN	XXUXXX IN AC, XXXXXT IN THE MO.
RQL	24	XTXXXXX NOW IN MO.
LGR	24	UXXXXXT IN MO.
RQL	30	UXXXXX NOW IN MO.
TXL	*+2,4,9	CONVERT MONTH TO BCD
TXI	*+1,4,54	
PXA	0,4	
LGL	12	
ALS	12	
ORA	DATES	
XCA	DATE IN THE MO	
X4	AXT	*+,4 LOAD THEM UP
X2	AXT	*+,2
X1	AXT	*+,1
STQ*	4,4	
CLA	TIME	TIME IN THE AC
STQ*	3,4	
ZET	FLAG	AND RETURN
TRA	1,4	ERROR
TRA	1,4	OR NORMAL
IO	IOPCP TIME*,*,1	SCRAMBLE
	IOPCT TIME*,*,1	
TIME	OCT	
FLAG		NON-ZERO FOR TIME ERROR
DATES	END	
\$DATA		

BEWARE THE LURK. ZAP. ZAP.

	X	ZAP
XX		
XXV		XXX
XXVV		XX
XXV		XX
XXVV	X X	X
XXV	X X X	
XXVV	X X	X
XXV	X X	
XXVV	X X X	
OO	XXV XX	X
XXXXXXXXVVV		
XXXXXXXXA	A A A A A A A	
XXXXXXXXAAAAAAA	AAAAAAA	
XXXXXXXXXXXXXXXXXXXXXX		
XX L U U RRRR K KK		XXXXXXXXXXXXXXXXXXXXXX
XX L U U R R R K K		XXXX
XX L U U RRRR KK		XXX
XX LLLL UU R R K K		XXX
XX XXXXXXXXXXXXXXXXXXXXXXXXX		
XXXXXXXXXXXXXX	XX XX	XX XX
XXXXXXXXXXXXXX	XXXX XXXX	XXXX

***** ERROR XVALUE = 0.332E 0C WIGGLE IN TABX *****

CALCULATE LOG10(.01,10.) N=100

X	LOG(X)	TERPT(X)	ERROR
0.01	-2.0000000	-2.0000000	-0.
0.02	-1.6989700	-1.8959480	0.1969780
0.04	-1.3979400	-1.6987655	0.3008255
0.08	-1.0969100	-1.3480868	0.2511768
0.10	-1.0000000	-1.1945906	0.1945906
0.20	-0.6989700	-0.6455404	-0.0534296
0.40	-0.3979400	-0.4003658	0.0024258
0.80	-0.0969100	-0.0970216	0.0001116
1.00	-0.0000000	-0.0001049	0.0001049
2.00	0.3010300	0.3010046	0.0000254
4.00	0.6020600	0.6020579	0.0000021
8.00	0.9030900	0.9030904	-0.0000004
10.00	1.0000000	1.0000000	0.0000000

CALCULATE LOG10 FROM EXPONENTIAL N=100

Y	LOG(Y)	BTERP(Y)	ERROR
0.01	-2.0000000	-2.0000000	-0.
0.02	-1.6989700	-1.6989333	-0.0000367
0.04	-1.3979400	-1.3979260	-0.0000140
0.08	-1.0969100	-1.0969320	0.0000220
0.10	-1.0000000	-1.0000262	0.0000262
0.20	-0.6989700	-0.6989979	0.0000279
0.40	-0.3979400	-0.3979141	-0.0000259
0.80	-0.0969100	-0.0968784	-0.0000316
1.00	-0.0000000	0.0000277	-0.0000277
2.00	0.3010300	0.3010221	0.0000079
4.00	0.6020600	0.6020270	0.0000330
8.00	0.9030900	0.9030797	0.0000103
10.00	1.0000000	1.0000000	0.

LOG10(.01,10.) USING UNEQUAL SPACING N=100

X	LOG(X)	TERPT(X)	ERROR
0.01	-2.0000000	-2.0000000	-0.
0.02	-1.6989700	-1.6989700	-0.0000000
0.04	-1.3979400	-1.3979400	0.0000000
0.08	-1.0969100	-1.0969100	0.0000000
0.10	-1.0000000	-1.0000000	-0.
0.20	-0.6989700	-0.6989700	0.0000000
0.40	-0.3979400	-0.3979401	0.0000000
0.80	-0.0969100	-0.0969100	0.0000000
1.00	-0.0000000	-0.0000001	0.0000001
2.00	0.3010300	0.3010300	0.0000000
4.00	0.6020600	0.6020599	0.0000001
8.00	0.9030900	0.9030900	0.0000000
10.00	1.0000000	1.0000000	0.0000000

CALCULATE SIN(0.,1.7) N=100

X	SIN(X)	TERPT(X)	ERROR
-0.	-0.	-0.	-0.
0.10	0.0998334	0.0998321	0.00000013
0.20	0.1986693	0.1986684	0.0000009
0.30	0.2955202	0.2955204	-0.0000002
0.40	0.3894183	0.3894194	-0.0000011
0.50	0.4794255	0.4794265	-0.0000009
0.60	0.5646425	0.5646419	0.0000006
0.70	0.6442177	0.6442167	0.0000010
0.80	0.7173561	0.7173557	0.0000004
0.90	0.7833269	0.7833272	-0.0000004
1.00	0.8414710	0.8414717	-0.0000007
1.10	0.8912073	0.8912076	-0.0000003
1.20	0.9320391	0.9320386	0.0000004
1.30	0.9635582	0.9635578	0.0000003
1.40	0.9854497	0.9854497	0.0000000
1.50	0.9974950	0.9974950	-0.0000001
1.60	0.9995736	0.9995735	0.0000001
1.70	0.9916648	0.9916648	-0.0000000

CALCULATE SIN(0.,1.7) N=100

X	SIN(X)	TERP2(X)	ERROR
-0.	-0.	-0.	-0.
0.10	0.0998334	0.0998333	0.0000001
0.20	0.1986693	0.1986695	-0.0000001
0.30	0.2955202	0.2955201	0.0000001
0.40	0.3894183	0.3894183	0.0000001
0.50	0.4794255	0.4794257	-0.0000001
0.60	0.5646425	0.5646423	0.0000001
0.70	0.6442177	0.6442176	0.0000000
0.80	0.7173561	0.7173562	-0.0000001
0.90	0.7833269	0.7833268	0.0000001
1.00	0.8414710	0.8414710	0.
1.10	0.8912073	0.8912074	-0.0000001
1.20	0.9320391	0.9320390	0.0000001
1.30	0.9635582	0.9635582	0.0000000
1.40	0.9854497	0.9854497	0.
1.50	0.9974950	0.9974950	0.0000000
1.60	0.9995736	0.9995736	0.0000000
1.70	0.9916648	0.9916648	0.

INTERPOLATE SIN(0.,1.5) BACKWARDS N=100

Y=SIN(X)	X	BTERP(Y)	ERROR
0.	-0.	-0.	-0.
0.0998334	0.10	0.0999993	-0.0000007
0.1986693	0.20	0.1999992	-0.0000008
0.2955202	0.30	0.2999996	-0.0000004
0.3894183	0.40	0.4000001	0.0000001
0.4794255	0.50	0.5000006	0.0000006
0.5646425	0.60	0.6000008	0.0000008
0.6442177	0.70	0.7000005	0.0000005
0.7173561	0.80	0.7999995	-0.0000005
0.7833269	0.90	0.8999991	-0.0000008
0.8414710	1.00	0.9999993	-0.0000006
0.8912073	1.10	1.0999998	-0.0000001
0.9320391	1.20	1.2000004	0.0000004
0.9635582	1.30	1.3000007	0.0000008
0.9854497	1.40	1.4000007	0.0000008
0.9974950	1.50	1.4999999	-0.0000000

INTERPOLATE SIN(0.,1.5) BACKWARDS N=100

Y=TERPT(X)	X	BTERP(Y)	ERROR
-0.	-0.	-0.	-0.
0.0998341	0.10	0.1000000	-0.0000000
0.1986701	0.20	0.2000000	-0.0000000
0.2955206	0.30	0.3000000	-0.0000000
0.3894182	0.40	0.4000000	-0.0000000
0.4794250	0.50	0.5000000	-0.0000000
0.5646418	0.60	0.6000000	-0.0000000
0.6442173	0.70	0.7000000	-0.0000000
0.7173564	0.80	0.8000000	-0.0000000
0.7833274	0.90	0.8999999	-0.0000000
0.8414713	1.00	0.9999999	-0.0000000
0.8912074	1.10	1.0999999	-0.0000000
0.9320389	1.20	1.1999999	-0.0000000
0.9635579	1.30	1.2999999	-0.0000000
0.9854496	1.40	1.3999999	-0.0000001
0.9974950	1.50	1.4999999	-0.0000000

CALCULATE INTEGRAL OF SIN(X,PI/2.) N=100

X	INTEGRAL	TERPI	ERROR
-0.	1.0000000	0.9999999	0.0000001
0.10	0.9950042	0.9950040	0.0000001
0.20	0.9800666	0.9800664	0.0000001
0.30	0.9553365	0.9553364	0.0000001
0.40	0.9210610	0.9210609	0.0000001
0.50	0.8775826	0.8775825	0.0000001
0.60	0.8253356	0.8253355	0.0000001
0.70	0.7648422	0.7648421	0.0000001
0.80	0.6967067	0.6967067	0.0000001
0.90	0.6216100	0.6216100	0.0000000
1.00	0.5403023	0.5403023	0.0000000
1.10	0.4535962	0.4535962	-0.0000000
1.20	0.3623578	0.3623578	-0.0000000
1.30	0.2674989	0.2674989	-0.0000000
1.40	0.1699672	0.1699672	-0.0000000
1.50	0.0707373	0.0707373	-0.0000000
1.60	-0.0291994	-0.0291994	-0.0000000
1.70	-0.1288444	-0.1288444	-0.0000000

DEMONSTRATE SPEED OF SUBROUTINE TERPT

TIME = 183230

TERPT HAS CALCULATED 100000 SINES

TIME = 183320

ENERGY	RANGE
1.00	0.00345
1.50	0.00669
2.00	0.01080
2.50	0.01560
3.00	0.02100
4.00	0.03450
5.00	0.05030
6.00	0.06910
7.00	0.09000
8.00	0.11320
9.00	0.13880
10.00	0.16670
12.00	0.22900
15.00	0.33930
21.00	0.61430
25.00	0.83690
30.00	1.15700
35.00	1.52300
40.00	1.93300
45.00	2.38500
50.00	2.87800
60.00	3.98000
70.00	5.24000
80.00	5.24000
90.00	8.18200
100.00	9.85400
120.00	13.58000

160.00	22.40000
200.00	32.84000
250.00	47.87000
300.00	64.84000
350.00	83.34000
400.00	103.30000
500.00	146.70000
600.00	193.80000
700.00	243.80000
800.00	296.10000
900.00	350.10000
1000.00	405.50000

BEWARE THE LURK. ZAP. ZAP.

		X
XX		ZAP
XXV		XXX
XXVV		XX
XXV		X X
XXVV	X	X
XXV	X X	X
XXVV	X	X
XXV	X	X
XXVV	X X	X
OO	XXV	XX X
XXXXXXXXXXXX		
XXXXXXXXXXXXA	A A A A A A A	
XXXXXXXXXXXXXXXXXXXX		
XX L U U RRRR K KK	XXXXXXXXXXXXXXXXXXXX	
XX L U U R R KK	XXXX	
XX L U U RRRR KK	XXX	
XX LLLL UU R R K K	XXX	
XX XXXXXXXXXXXXXXXXXXXXXXX		
XXXXXXXXXXXX XX XX	XX XX	
XXXXXXXXXXXX XXXX XXXX	XXXX	

***** ERROR XVALUE = 0.440E 01 WIGGLE IN TABX *****

BEWARE THE LURK. ZAP. ZAP.

			X
		XX	
		XXV	
		XXVV	
		XXV	XX
		XXVV	X X
		XXV	X X X
		XXVV	X X
		XXV	X X
		XXVV	X X X
		00 XXV	XX X
		XXXXXXVVV	
		XXXXXXXXA	A A A A A A A
		XXXXXXXXAAAAAA	AAAAAAAAAAAAAA
		XXXXXXXXXXXXXXXXXXXXXX	XXXXXXXXXXXXXXXXXXXXXX
XX	L	U U RRRR K KK	XXXXXXXXXXXXXXXXXXXXXX
XX	L	U U R R K K	XXXX
XX	L	U U RRRR KK	XXX
XX	LLLL	UU R R K K	XXX
XX	XXXXXXXXXXXXXX	XX XX	XX XX
XXXXXXXXXXXXXX	XXXX XXXX	XXXX	

***** ERROR X = 0.691E C1 .N.IN IN TERPU *****

LOG-LOG INTERPOLATION OF PROTON RANGES IN AL

ENERGY	RANGE	DE/DR
1.0	0.003	179.493
1.5	0.007	135.747
2.0	0.011	111.266
2.5	0.016	97.773
3.0	0.021	86.455
4.0	0.034	67.191
5.0	0.050	58.235
6.0	0.069	50.103
7.0	0.090	45.438
8.0	0.113	41.037
10.0	0.167	34.440
12.0	0.229	30.005
14.0	0.300	26.411
16.0	0.380	23.866
18.0	0.468	21.801
22.0	0.667	18.615
26.0	0.897	16.317
30.0	1.157	14.573
34.0	1.446	13.171
38.0	1.764	12.070
46.0	2.480	10.399
54.0	3.300	9.217
62.0	4.220	8.246
70.0	5.160	7.351
78.0	5.471	156.158

94.0	9.090	5.272
110.0	11.655	5.367
126.0	14.790	4.875
142.0	18.215	4.486
158.0	21.918	4.172
190.0	30.088	3.696
222.0	39.198	3.352
254.0	49.159	3.087
286.0	59.906	2.877
318.0	71.337	2.728
382.0	95.960	2.483
446.0	122.734	2.310
510.0	151.253	2.184
574.0	181.246	2.088
638.0	212.492	2.012
766.0	278.087	1.900
894.0	346.817	1.829

CMAIN

C THE PURPOSE OF PART ONE OF THIS PROGRAM IS TO SHOW HOW TO USE A
C MACHINE PRODUCED FUNCTION. IF ONE IS NOT FAMILIAR WITH THE PROCESS
C OF MAKING THE FUNCTION, REFER TO THE COMMENTS IN SYSDS UNDER
C DEMONSTRATION PROGRAM. ONE MUST SUPPLY THE ROUTINE WHICH THE
C FUNCTION CALLS. THESE ARE TERPT, TERPD, BTERP OR TERP2. TO AVOID
C AN ERROR IN USING THE FUNCTION, ALWAYS INCLUDE TTRACE, EQUIV AND
C IHUNT3 WITH THE FUNCTION AND THE ROUTINE IT CALLS. IHUNT3 IS NOT
C NEEDED BY TERPT, TERPD, AND TERP2 BUT BTERP MUST HAVE IT TO OPERATE.

C THE DEMONSTRATION WE ARE PRESENTING IN THIS PROGRAM USES A FUNCTION
C FOR FORWARD INTERPOLATION IN A RANGE TABLE. THEREFORE WE INCLUDED
C TERPT, TTRACE, EQUIV AND IHUNT3(IT IS NOT NEEDED IN THIS CASE) WITH
C THE FUNCTION.

C TESTING THE TIME REQUIRED FOR THE OPERATION OF OUR HAND CODED VERSIONS
C OF TERPT IS THE PURPOSE OF THE SECOND PART OF THIS PROGRAM.

DIMENSION TSIN(100),TSINB(103)

NOU = 6
WRITE (6,917)
WRITE (6,918)
DO 95 I = 1,4
X = .5
XX = .25
N = I-1
X = X*10.**N
XX = XX*10.**N
DO 95 J = 1,2
XX = 2.*XX
DO 95 K = 1,5
X = X+XX
XZ = ALOG(X)
YZ = BRANGE(XZ)
Y = EXP (YZ)
IF(X-1000.)95,95,100
95 WRITE (6,919) X,Y

100 CONTINUE

C HERE WE ARE TESTING THE EXECUTION TIME OF THE HAND CODED VERSIONS
C OF TERPT.

CALL TABSET(0.,1.7,100,K,TSIN)
X=0.
DO 35 I=1,K
Y=SIN (X)
35 CALL TABX(X,Y,I,TSIN)
CALL TABSET(0.,1.5,103,K,TSINB)
X=0.
DO 48 I=1,K
Y=SIN (X)
48 CALL TABX(X,Y,I,TSINB)
WRITE(6,915)

```
C  
C      INTERPOLATE 100,000 SINES TO DEMONSTRATE SPEED  
C  
      CALL TIME(0,NOU)  
      DO 70 I=1,100  
      DO 70 J=1,1000  
70   Y=TERPT(TSINB(I),TSIN)  
      WRITE(6,314)  
      CALL TIME(1,NOU)  
      STOP  
913 FORMAT(55H2      DEMONSTRATE SPEED OF SUBROUTINE TERPT      )  
914 FORMAT(55H0      TERPT HAS CALCULATED 100000 SINES      )  
917 FORMAT(55H2      LOG-LOG INTERPOLATION OF PROTON RANGES IN AL      )  
918 FORMAT(55H      ENERGY           RANGE      )  
919 FORMAT(20X4HE = ,F6.1,5X,F7.3)  
      END
```

ENTRY TERPT
REM
* THIS IS THE MAP VERSION OF TERPT FOR THE 7090 COMPUTER.
REM
* THERE IS NO ERROR CHECKING OF ARGUMENTS OUTSIDE OF THE RANGE
* FROM (XLO-XUP).
REM
TERPT SXD TERPT-2,4
SXA X2,2
CLA 4,4
PAC 0,2
CLA* 3,4
FSB 0,2
XCA
FMP +1,2
STO Z
UFA =0233000000000
STA I
CHS
FAD Z
STO Z
LDQ I
MPY =+3
XCA
ADD 4,4
PAC 0,2
LDQ +8,2
FMP Z
FAD +7,2
XCA
FMP Z
FAD +6,2
X2 AXT **,2
TRA 1,4
I
Z
END

	ENTRY	B RANGE
BEGIN	EQU	*
B RANGE	SXA	BACK,4
	CLA	3,4
	STA	**4
	CALL	TERPT
	ETC	(**,
	ETC	T1)
BACK	AXT	**,4
	TRA	1,4
T 1	DEC	0.0000000E+00
T 2	DEC	4.7772393E+00
T 3	DEC	6.9077553E+00
T 4	DEC	3.3000000E+01
T 5	DEC	1.0000000E+00
T 6	DEC	0.0000000E+00
T 7	DEC	-5.6693809E+00
T 8	DEC	3.3803058E-01
T 9	DEC	1.9915104E-03
T 10	DEC	-5.3293588E+00
T 11	DEC	3.4201407E-01
T 12	DEC	1.9922257E-03
T 13	DEC	-4.9853525E+00
T 14	DEC	3.4599799E-01
T 15	DEC	1.9923449E-03
T 16	DEC	-4.6373622E+00
T 17	DEC	3.5081220E-01
T 18	DEC	-3.7233830E-03
T 19	DEC	-4.2902754E+00
T 20	DEC	3.4471500E-01
T 21	DEC	-2.1319587E-03
T 22	DEC	-3.9476903E+00
T 23	DEC	3.3960286E-01
T 24	DEC	1.2216002E-02
T 25	DEC	-3.5958715E+00
T 26	DEC	3.7027678E-01
T 27	DEC	-6.9355369E-03
T 28	DEC	-3.2325302E+00
T 29	DEC	3.5092625E-01
T 30	DEC	4.3804049E-03
T 31	DEC	-2.8772236E+00
T 32	DEC	3.6849564E-01
T 33	DEC	-4.9965382E-03
T 34	DEC	-2.5137245E+00
T 35	DEC	3.5723355E-01
T 36	DEC	1.7330051E-03
T 37	DEC	-2.1547579E+00
T 38	DEC	3.6178935E-01
T 39	DEC	1.4091134E-03
T 40	DEC	-1.7915595E+00
T 41	DEC	3.6391717E-01
T 42	DEC	9.2285872E-04
T 43	DEC	-1.4267194E+00
T 44	DEC	3.6718374E-01
T 45	DEC	1.9117594E-03
T 46	DEC	-1.0576239E+00
T 47	DEC	3.6902764E-01
T 48	DEC	1.7657876E-04

T 49 DEC	-6.8841970E-01
T 50 DEC	3.6879335E-01
T 51 DEC	1.3518035E-03
T 52 DEC	-3.1827454E-01
T 53 DEC	3.7150381E-01
T 54 DEC	2.0267442E-04
T 55 DEC	5.3431941E-02
T 56 DEC	3.7104665E-01
T 57 DEC	9.0075989E-04
T 58 DEC	4.2637336E-01
T 59 DEC	3.7371295E-01
T 60 DEC	-8.9034438E-05
T 61 DEC	8.0000228E-01
T 62 DEC	3.7356631E-01
T 63 DEC	-4.5537949E-04
T 64 DEC	1.1731132E+00
T 65 DEC	3.7147821E-01
T 66 DEC	1.0453165E-03
T 67 DEC	1.5456367E+00
T 68 DEC	3.9760578E-01
T 69 DEC	-2.5627029E-01
T 70 DEC	1.6869722E+00
T 71 DEC	1.0665182E+00
T 72 DEC	-4.0501301E-01
T 73 DEC	2.2878774E+00
T 74 DEC	3.6010349E-01
T 75 DEC	-1.1136552E-03
T 76 DEC	2.6558672E+00
T 77 DEC	3.6617622E-01
T 78 DEC	-1.8138290E-05
T 79 DEC	3.0202290E+00
T 80 DEC	3.6253083E-01
T 81 DEC	-2.3421040E-03
T 82 DEC	3.3804184E+00
T 83 DEC	3.5803834E-01
T 84 DEC	-2.7031302E-03
T 85 DEC	3.7357536E+00
T 86 DEC	3.5277644E-01
T 87 DEC	-2.7114740E-03
T 88 DEC	4.0858185E+00
T 89 DEC	3.4754866E-01
T 90 DEC	-5.2758455E-03
T 91 DEC	4.4280913E+00
T 92 DEC	3.3897477E-01
T 93 DEC	-4.1204691E-03
T 94 DEC	4.7629457E+00
T 95 DEC	3.3058303E-01
T 96 DEC	-4.7730207E-03
T 97 DEC	5.0887563E+00
T 98 DEC	3.2096273E-01
T 99 DEC	-5.0019026E-03
T100 DEC	5.4047171E+00
T101 DEC	3.1101805E-01
T102 DEC	-5.1957369E-03
T103 DEC	5.7105394E+00
T104 DEC	3.0006284E-01
T105 DEC	-5.4813623E-03
T106 DEC	6.0051209E+00
END	

LOG-LOG INTERPOLATION OF PROTON RANGES IN AL

ENERGY	RANGE
E # 1.0	R # 0.003
E # 1.5	R # 0.007
E # 2.0	R # 0.011
E # 2.5	R # 0.016
E # 3.0	R # 0.021
E # 4.0	R # 0.034
E # 5.0	R # 0.050
E # 6.0	R # 0.069
E # 7.0	R # 0.090
E # 8.0	R # 0.113
E # 10.0	R # 0.167
E # 15.0	R # 0.339
E # 20.0	R # 0.564
E # 25.0	R # 0.837
E # 30.0	R # 1.157
E # 40.0	R # 1.933
E # 50.0	R # 2.878
E # 60.0	R # 3.980
E # 70.0	R # 5.160
E # 80.0	R # 5.438
E # 100.0	R # 9.854
E # 150.0	R # 20.033
E # 200.0	R # 32.839
E # 250.0	R # 47.870
E # 300.0	R # 64.832
E # 400.0	R # 103.292
E # 500.0	R # 146.693
E # 600.0	R # 193.799
E # 700.0	R # 243.800
E # 800.0	R # 296.093
E # 1000.0	R # 405.500

UNDRELOW AT 04444 IN AC AND MC.

DEMONSTRATE SPEED OF SUBROUTINE TERPT

TIME # 181C20

UNDRFLW AT 04440 IN MQ

UNDRFLW AT 04441 IN MQ

UNDRFLW AT 04443 IN MQ

UNDRFLW AT 04444 IN MQ

TERPT HAS CALCULATED 100000 SINES

TIME # 181C50

```
SUBROUTINE TYME(I,NT)
C THIS IS THE FORTRAN 63 VERSION,
C THIS ROUTINE MUST BE ACCOMPANIED BY THE FUNCTION KLOCK.
C IF I=0, RESET THE CLOCK AND PRINT TIME=0. SEC.
C IF I,IG, 0, READ THE CLOCK AND PRINT TIME =XX.XX SEC.
C
IF(I)1,1,2
1 TIME=0
IK=KLOCK(0)
WRITE(NT,198) TIME
RETURN
2 A = KLOCK(0)-IK
TIME = A/60.
WRITE(NT,198) TIME
198 FORMAT(1H0,1H***TIME IS F8.3,5H SEC.)
RETURN
END
```

ACODAP2,L,P,E,
IDENT KLOCK
REM 1604-A CLOCK ROUTINE
REM CALLING SEQUENCE...I = KLOCK(A)
REM A IS A DUMMY ARGUMENT.
REM KLOCK RETURNS THE CONTENTS OF
REM MEMORY LOCATION 0000, THIS
REM LOCATION IS AUTOMATICALLY
REM INCREMENTED EVERY 1/60 TH OF
REM A SECOND.
ENTRY KLOCK
KLOCK SLJ **
SIU 6 TEMP
LIU 6 KLOCK
INI 6 I
SIU 6 KLOCK
FETCH LDA 0 C(00000) TO A
LIU 6 TEMP
SLJ KLOCK GO BACK
TEMP BSS I
END

BEWARE THE LURK, ZAP, ZAP,

XX X
XXV XXX
XXVV XX
XXV X X
XXVV X X X
XXV X X X
XXXXX VVV
XXXXXXXXX A A A A A A A
XXXXXXXXX A A A A A A A
XXXXXXXXX
XX L U U RRRR K KK XXXXXXXX
XX L U U R R KK XXXX
XX L U U RRRR KK XXX
XX LLLL DU R R K K XXX
XX XXXXXXXX
XXXXX XXXX XXXX
XXXXX XXXX XXXX

***** ERROR XVALUE = 3,323E+01 WIGGLE IN TABX *****

CALCULATE LOG10(.01,10.) N=100

X	LOG(X)	TERP(X)	ERROR
.01	-2.0000000	-2.0000000	0
.02	-1.6989700	-1.6989480	.1969780
.04	-1.3979400	-1.6987655	.3008255
.08	-1.0969100	-1.3486868	.2511768
.10	-1.0000000	-1.1945906	.1945906
.20	-0.6989700	-0.6455404	-.0534296
.40	-0.3979400	-0.4003658	.0024258
.80	-0.0969100	-0.0978216	.0001115
1.00	.0000000	-.0001049	.0001049
2.00	.3010300	.3010046	.0000254
4.00	.6020600	.6020579	.0000021
8.00	.9030900	.9030905	-.0000005
10.00	1.0000000	1.0000000	.0000000

CALCULATE LOG10 FROM EXPONENTIAL N=100

Y	LOG(Y)	BTERP(Y)	ERROR
.01	-2.0000000	-2.0000000	0
.02	-1.6989700	-1.6989333	-.0000367
.04	-1.3979400	-1.3979260	-.0000140
.08	-1.0969100	-1.0969320	.0000220
.10	-1.0000000	-1.0000262	.0000262
.20	-0.6989700	-0.6989978	.0000278
.40	-0.3979400	-0.3979141	-.0000259
.80	-0.0969100	-0.0969784	-.0000316
1.00	.0000000	.0000277	-.0000277
2.00	.3010300	.3010221	.0000079
4.00	.6020600	.6020270	.0000330
8.00	.9030900	.9030797	.0000103
10.00	1.0000000	1.0000000	-.0000000

LOG(10(.01,.10,)) USING UNEQUAL SPACING N=100

X	LOG(X)	TERPT(X)	ERROR
.01	+2.0000000	+2.0000000	+0.0000000
.02	+1.6989700	+1.6989700	+0.0000000
.04	+1.3979400	+1.3979400	+0.0000000
.08	+1.0969100	+1.0969100	+0.0000000
.10	+1.0000000	+1.0000000	+0.0000000
.20	+1.6989700	+1.6989700	+0.0000000
.40	+1.3979400	+1.3979400	+0.0000000
.80	+0.0969100	+0.0969100	+0.0000000
1.00	.0000000	0	+0.0000000
2.00	.3010300	.3010300	+0.0000000
4.00	.6020600	.6020600	+0.0000000
8.00	.9030900	.9030900	+0.0000000
10.00	1.0000000	1.0000000	+0.0000000

CALCULATE SIN(0.,1.7) N=100

X	SIN(X)	TERPT(X)	ERROR
0	0	0	0
.10	.0998334	.0998321	.00000013
.20	.1986693	.1986684	.00000009
.30	.2955202	.2955204	+0.0000002
.40	.3894183	.3894194	+0.0000011
.50	.4794255	.4794265	+0.0000009
.60	.5646425	.5646419	+0.0000006
.70	.6442177	.6442167	+0.0000010
.80	.7173561	.7173557	+0.0000004
.90	.7833269	.7833273	+0.0000004
1.00	.8414710	.8414717	+0.0000007
1.10	.8912074	.8912077	+0.0000003
1.20	.9320391	.9320387	+0.0000004
1.30	.9635582	.9635579	+0.0000003
1.40	.9854497	.9854497	+0.0000000
1.50	.9974950	.9974950	+0.0000001
1.60	.9995736	.9995735	+0.0000001
1.70	.9916648	.9916648	0

CALCULATE SIN(0.,,1,7) N=100

X	SIN(X)	TERP2(X)	ERROR
0	0	0	0
.10	.0998334	.0998333	.0000001
.20	.1986693	.1986695	.0000001
.30	.2955202	.2955201	.0000001
.40	.3894183	.3894183	.0000001
.50	.4794255	.4794257	.0000001
.60	.5646425	.5646424	.0000001
.70	.6442177	.6442177	.0000000
.80	.7173561	.7173562	.0000001
.90	.7833269	.7833268	.0000001
1.00	.8414710	.8414710	.0000000
1.10	.8912074	.8912074	.0000001
1.20	.9320391	.9320390	.0000001
1.30	.9635582	.9635582	.0000000
1.40	.9854497	.9854497	.0000000
1.50	.9974950	.9974950	.0000000
1.60	.9995736	.9995736	.0000000
1.70	.9916648	.9916648	.0000000

INTERPOLATE SIN(0.,,1,5) BACKWARDS N=100

Y=SIN(X)	X	BTERP(Y)	ERROR
0	0	0	0
.0998334	.10	.0999993	.0000007
.1986693	.20	.1999992	.0000008
.2955202	.30	.2999996	.0000004
.3894183	.40	.4000001	.0000001
.4794255	.50	.5000006	.0000006
.5646425	.60	.6000008	.0000008
.6442177	.70	.7000005	.0000005
.7173561	.80	.7999995	.0000005
.7833269	.90	.8999992	.0000008
.8414710	1.00	.9999994	.0000006
.8912074	1.10	1.0999999	.0000001
.9320391	1.20	1.2000004	.0000004
.9635582	1.30	1.3000008	.0000008
.9854497	1.40	1.4000008	.0000008
.9974950	1.50	1.5000000	.0000000

INTERPOLATE SIN(0., 1.5) BACKWARDS N=100

Y=TERP(X)	X	BTERP(Y)	ERROR
0	0	0	0
.0998341	.10	.1000000	*.0
.1986701	.20	.2000000	*.0
.2955206	.30	.3000000	*.0
.3894182	.40	.4000000	*.0
.4794250	.50	.5000000	*.0000000
.5646418	.60	.6000000	*.0000000
.6442173	.70	.7000000	0
.7173564	.80	.8000000	0
.7833274	.90	.9000000	*.0000000
.8414713	1.00	1.0000000	*.0000000
.8912074	1.10	1.0000000	*.0000000
.9320389	1.20	1.2000000	*.0000000
.9635580	1.30	1.3000000	*.0000000
.9854496	1.40	1.4000000	*.0000000
.9974950	1.50	1.5000000	*.0000000

CALCULATE INTEGRAL OF SIN(X,PI/2,) N=100

X	INTEGRAL	TERPI	ERROR
0	1.0000000	1.0000000	*.0000000
.10	.9950042	.9950042	*.0000000
.20	.9800666	.9800666	*.0000000
.30	.9553365	.9553365	*.0000000
.40	.9210610	.9210610	*.0000000
.50	.8775826	.8775826	*.0000000
.60	.8253356	.8253356	*.0000000
.70	.7648422	.7648422	*.0000000
.80	.6967067	.6967067	*.0000000
.90	.6216100	.6216100	*.0000000
1.00	.5403023	.5403023	*.0000000
1.10	.4535961	.4535961	*.0000000
1.20	.3623578	.3623578	*.0000000
1.30	.2674988	.2674988	*.0000000
1.40	.1699671	.1699672	*.0000000
1.50	.0707372	.0707372	*.0000000
1.60	-.0291995	-.0291995	*.0000000
1.70	-.1288445	-.1288445	*.0000000

DEMONSTRATE SPEED OF SUBROUTINE TERPT

**TIME IS 0 SEC.

TERPT HAS CALCULATED 100000 SINES

**TIME IS 78.533 SEC.

ENERGY	RANGE
1.00	.00345
1.50	.00669
2.00	.01080
2.50	.01560
3.00	.02100
4.00	.03450
5.00	.05030
6.00	.06910
7.00	.09000
8.00	.11320
9.00	.13880
10.00	.16670
12.00	.22900
15.00	.33930
21.00	.61430
25.00	.83690
30.00	.15700
35.00	.152300
40.00	.1.93300
45.00	.2.38500
50.00	.2.87800
60.00	.3.96300
70.00	.5.24000
80.00	.5.24000
90.00	.8.18200
100.00	.9.85400
120.00	.11.58000

160,00	22,40000
200,00	32,84000
250,00	47,87000
300,00	64,84000
350,00	83,34000
400,00	103,30000
500,00	146,70000
600,00	193,80000
700,00	243,80000
800,00	296,10000
900,00	350,10000
1000,00	405,50000

BEWARE THE LURK, ZAP, ZAP,

X
XX ZA
XXV XXX
XXVV XX
XXV X X
XXVV X X X
XXV X X X
XXVV X X X
OO XXV XX X
XXXXXXXXXXXX
XXXXXXXXXXXX A A A A A A A
XXXXXXXXXXXX A A A A A A A A A A A A
XXXXXXXXXXXXX
XX L U U RRRR K KK XXXX
XX L U U R R R R K K XXX
XX L L L L U U R R K K XXX
XX XXXXXXXXXXXXXXXXXX
XXXXX XXXX XX XX XXXX
XXXXX XXXX XXXX XXXX

**** ERROR XVALUE = 4,396E+00 WIGGLE IN TABX ****

LOG-LOG INTERPOLATION OF PROTON RANGES IN AL

ENERGY	RANGE	DE/DR
1.0	.003	79.494
1.5	.007	35.747
2.0	.011	111.266
2.5	.016	97.773
3.0	.021	86.455
4.0	.034	67.191
5.0	.050	58.235
6.0	.069	50.103
7.0	.090	45.438
8.0	.113	41.037
10.0	.167	34.440
12.0	.229	30.005
14.0	.300	26.411
16.0	.380	23.866
18.0	.468	21.801
22.0	.667	18.615
26.0	.897	16.317
30.0	1.157	14.573
34.0	1.446	13.171
38.0	1.764	12.070
46.0	2.480	10.399
54.0	3.301	9.175
62.0	4.222	8.248
70.0	5.160	7.394
78.0	5.471	6.590
94.0	9.090	5.272
110.0	11.655	5.367
126.0	14.790	4.875
142.0	18.215	4.486
158.0	21.918	4.172
190.0	30.088	3.696
222.0	39.198	3.352
254.0	49.159	3.087
286.0	59.906	2.877
318.0	71.337	2.728
382.0	95.960	2.483
446.0	122.734	2.310
510.0	154.253	2.184
574.0	181.246	2.088
638.0	212.493	2.012
766.0	278.087	1.900
894.0	346.818	1.829

IDENT	TERPT	(X,T)
REM	THIS IS THE CODAP2 VERSION OF	
REM	TERPT (FORWARD INTERPOLATION).	
REM	THERE IS NO ERROR CHECKING DONE	
REM	FOR ARGUMENTS OUT OF THE RANGE	
REM	FROM (XL0-XUP),	
ENTRY	TERPT	
TERPT	SLW **	
SIL	E SAVE6	7.2
LIU	E TERPT	7.2
LDA	E 0	7.2
SAL	T	7.2
ARS	24	12.8
SAU	XADD	7.2
INI	E I	3.0
T	SIU E SAVE7	7.2
ENI	E **	T 3.0
XADD	LDA **	X 7.2
FSB	E 0	18.8
FMU	E I	36.0
STA	Z	7.2
FAD	=520444000000000000	18.8
*	QJP F *+1	7.2
INA	*1	3.0
SAL	I	7.2
SCL	=000004000000000000	7.2
FAD	*0	11.2
FSB	Z	18.8
I	SCM =077777777777777777	7.2
INI	E **	3.0
INI	7 I	7.2
STA	Z	7.2
INI	7 I	7.2
FMU	E 8	36.
FAD	E 7	18.8
SAVE6	FMU Z	36.
FAD	E 6	18.8
ENI	E **	3.0
SAVE7	SLW **	7.2
Z	OCT 0	
	END	

LOG-LOG INTERPOLATION OF PROTON RANGES IN AL

ENERGY RANGE

E = 1.0	R = .003
E = 1.5	R = .007
E = 2.0	R = .011
E = 2.5	R = .016
E = 3.0	R = .021
E = 4.0	R = .034
E = 5.0	R = .050
E = 6.0	R = .069
E = 7.0	R = .090
E = 8.0	R = .113
E = 10.0	R = .167
E = 15.0	R = .339
E = 20.0	R = .564
E = 25.0	R = .837
E = 30.0	R = 1.157
E = 40.0	R = 1.933
E = 50.0	R = 2.878
E = 60.0	R = 3.983
E = 70.0	R = 5.160
E = 80.0	R = 5.438
E = 100.0	R = 9.854
E = 150.0	R = 20.033
E = 200.0	R = 32.839
E = 250.0	R = 47.870
E = 300.0	R = 64.832
E = 400.0	R = 103.292

E = 500.0	R = 146,693
E = 600.0	R = 193,799
E = 700.0	R = 243,800
E = 800.0	R = 296,093
E = 1000.0	R = 405,500

DEMONSTRATE SPEED OF SUBROUTINE TERPT

***TIME IS 0 SEC.

TERPT HAS CALCULATED 100000 SINES

***TIME IS 42.917 SEC.

C DEMONSTRATION OF THE USE OF INTERPOLATIVE ROUTINES
C THIS IS THE FORTRAN-2 VERSION OF MAIN.
C
DIMENSION TL0G1(103),TL0G2(100),TSIN(100),TSINB(103)
DIMENSION RANGE(106),E(40),R(40)
C
C THESE TAPE NUMBERS MUST BE CHANGED FOR YOUR OWN USES.
NIN=10
NOU=9
NPP = 11
C
C SET UP TABLE TL0G1 OF LOG10(X) WITH DIMENSION (100),
C LETTING X VALUES RANGE FROM .01 TO 10.
C
CALL TABSET(.01,10.,100,K,TL0G1)
X=.01
DO 5 I=1,K
Y=LOGF(X)/2.302585093
5 CALL TABX(X,Y,I,TL0G1)
C
C TABLE IS NOW COMPLETED
C
XI=.0005
WRITE OUTPLT TAPE NOU,900
WRITE OUTPLT TAPE NOU,901
DO 10 I=1,3
XI=10.*XI
XX=XI
DO 10 J=1,4
XX=2.*XX
C
C INTERPOLATE IN TABLE FOR LOG10(XX)
C
YY=TERP(XX,TL0G1)
C
Y=LOGF(XX)/2.302585093
DY=Y-YY
10 WRITE OUTPLT TAPE NOU,902,XX,Y,YY,DY
XX=10.
YY=TERP(XX,TL0G1)
Y=LOGF(XX)/2.302585093
DY=Y-YY
WRITE OUTPLT TAPE NOU,902,XX,Y,YY,DY
C
C SET UP TABLE OF EXP10(X)
C
CALL TABSET(-2.,1.,103,K,TL0G1)
X=-2.
DO 12 I=1,K
Y=10.**X
12 CALL TABX(X,Y,I,TL0G1)
C
XI=.0005
WRITE OUTPLT TAPE NOU,922
WRITE OUTPLT TAPE NOU,923
DO 15 I=1,3
XI=10.*XI
XX=XI

```
DO 15 J=1,4
XX=2.*XX
C
C   INTERPOLATE BACKWARDS IN TABLE FOR LOG10(XX)
C
YY=BTERP(XX,TLOG1)
C
Y=LOGF(XX)/2.302585093
DY=Y-YY
15 WRITE OUTPLT TAPE NOU,902,XX,Y,YY,DY
XX=10.
YY=BTERP(XX,TLOG1)
Y=LOGF(XX)/2.302585093
DY=Y-YY
WRITE OUTPLT TAPE NOU,902,XX,Y,YY,DY
C
C   SET UP TABLE OF LOG10(X) USING LOG SPACING FOR ABSISSA
C
CALL TABSET(LOGF(.01),LOGF(10.),100,K,TLOG2)
X=LOGF(.01)
DO 20 I=1,K
X=EXP(X)
Y=LOGF(X)/2.302585093
20 CALL TABX(X,Y,I,TLOG2)
C
X=.0005
WRITE OUTPLT TAPE NOU,903
WRITE OUTPLT TAPE NOU,901
DO 30 I=1,3
X=10.*X
XX=X
DO 30 J=1,4
XX=2.*XX
C
C   ENTER TABLE WITH LOG(XX), INTERPOLATE FOR LOG10(XX)
C
X2=LOGF(XX)
YY=TERPT(X2,TLOG2)
C
Y=LOGF(XX)/2.302585093
DY=Y-YY
30 WRITE OUTPLT TAPE NOU,902,XX,Y,YY,DY
XX=10.
X2=LOGF(10.)
YY=TERPT(X2,TLOG2)
Y=LOGF(XX)/2.302585093
DY=Y-YY
WRITE OUTPLT TAPE NOU,902,XX,Y,YY,DY
C
C   SET UP TABLE OF SIN(X)
C
CALL TABSET(0.,1.7,100,K,TSIN)
X=0.
DO 35 I=1,K
Y=SINF(X)
35 CALL TABX(X,Y,I,TSIN)
C
XX=-.1
WRITE OUTPLT TAPE NOU,904
WRITE OUTPLT TAPE NOU,905
```

```
DO 40 I=1,16
XX=XX+.1
C
C   INTERPOLATE FOR SIN(XX)
C
YY=TERPT(XX,TSIN)
C
Y=SINF(XX)
DY=Y-YY
40 WRITE OUTPLT TAPE NOU,902,XX,Y,YY,DY
XX=.1
WRITE OUTPLT TAPE NOU,904
WRITE OUTPLT TAPE NOU,911
DO 45 I=1,18
XX=XX+.1
C
C   INTERPOLATE FOR SIN(XX) USING AVERAGE OF TWO PARABOLAS
C
YY=TERP2(XX,TSIN)
C
Y=SINF(XX)
DY=Y-YY
45 WRITE OUTPLT TAPE NOU,902,XX,Y,YY,DY
C
C   SET UP MONOTONIC INCREASING TABLE OF SIN(X)
C
CALL TABSET(0.,1.5,103,K,TSINB)
X=0.
DO 48 I=1,K
Y=SINF(X)
48 CALL TABX(X,Y,I,TSINB)
WRITE OUTPLT TAPE NOU,906
WRITE OUTPLT TAPE NOU,907
XX=.1
DO 50 I=1,16
XX=XX+.1
C
C   INTERPOLATE BACKWARDS FOR X FROM SIN(X)
C
Y=SINF(XX)
X=BTERP(Y,TSINB)
C
DX=X-XX
50 WRITE OUTPLT TAPE NOU,908,Y,XX,X,DX
WRITE OUTPLT TAPE NOU,906
XX=.1
WRITE OUTPLT TAPE NOU,912
DO 55 I=1,16
XX=XX+.1
C
C   INTERPOLATE BACKWARDS FOR X FROM INTERPOLATED SIN(X)
C
YY=TERPT(XX,TSINB)
X=BTERP(Y,TSINB)
C
DX=X-XX
55 WRITE OUTPLT TAPE NOU,908,Y,XX,X,DX
WRITE OUTPLT TAPE NOU,909
WRITE OUTPLT TAPE NOU,910
XX=.1
```

```
DO 60 I=1,10
XX=X+.1
Y=CHSE(X)
C
C   CALCULATE INTEGRAL OF SIN(X) FROM X TO PI/2
C
C   YY=TERPI(X,.57079635,TSIN)
C
C   DY=Y-YY
60 WRITE OUTPUT TAPE NOU,902,X,Y,YY,DY
X=0,
DO 65 I=1,100
65 TSINB(I)=X+.016
WRITE OUTPUT TAPE NOU,913
C
C   INTERPOLATE 100,000 SINES TO DEMONSTRATE SPEED
C
CALL TYME(0,NOU)
DO 70 I=1,100
DO 70 J=1,1000
70 Y=TERPT(TSINB(I),TSIN)
WRITE OUTPUT TAPE NOU,914
CALL TYME(1,NOU)
C
C   READ IN ENERGY-RANGE TABLE AND CONVERT TO LOG
C
READ INPUT TAPE NIN,915,(E(I),R(I),I=1,39)
WRITE OUTPUT TAPE NOU,921
DO 80 I=1,39
WRITE OUTPUT TAPE NOU,915,E(I),R(I)
E(I)=LOGF(E(I))
80 R(I)=LOGF(R(I))
C
C   SET UP LOG-LOG ENERGY-RANGE TABLE USING TERPU INTERPOLATION
C   TO FIND THE ORDINATES FOR EQUALLY SPACED ARCSISSA VALUES
C
CALL TABSET(LOGF(1.),LOGF(1000.),106,K,RANGE)
X=LOGF(1.)
DO 85 I=1,K
Y=TERPU(X,E,R,39)
85 CALL TABX(X,Y,I,RANGE)
C
WRITE OUTPLT TAPE NOU,916
WRITE OUTPLT TAPE NOU,917
X=.5
XX=.25
DO 95 I=1,10
XX=2.*XX
DO 95 J=1,5
X=X+XX
IF(1000.-X)100,90,90
C
C   ENTER TABLE WITH LOG(ENERGY), INTERPOLATE FOR LOG(RANGE),
C   AND TAKE ANTI-LOG TO GET RANGE
C
90 XZ=LOGF(X)
Y=EXPFF(TERPT(XZ,RANGE))
C
C   CALCULATE DLG(R)/DLG(E) FROM TABLE AND CONVERT TO DE/DR
C
```

DEDR=X/(Y*TERPD(X,Z,RANGE))

C 95 WRITE OUTPLT TAPE NOU,918,X,Y,DEDR

C 100 WRITE OUTPLT TAPE NOU,920

C PUNCH OUT LOG-LOG ENERGY-RANGE TABLE COEFFICIENTS FOR

C INCORPORATION INTO A FAP SUBROUTINE

C DO 110 I=1,106

C ARRAYS RUN BACKWARDS IN FORTRAN=2

C I=106-I+1

110 CALL FAPP(RANGE(I),I,NPP)

CALL CDECK(6HBRANGE,5HTERPT,RANGE,NPP)

CALL MDECK(6HBRANGE,5HTERPT,RANGE,NPP)

CALL PDECK(6HBRANGE,5HTERPT,RANGE,NPP)

C TABLE COEFFICIENTS FOR INCORPORATION INTO A CODAP SUBROUTINE

C PUNCH OUT LOG-LOG ENERGY-RANGE

DO 130 I=1,106

130 CALL CODAP(RANGE(I),I,NPP)

CALL EXIT

900 FORMAT(55H1 CALCULATE LOG10(.01,10,) N=100)

901 FORMAT(55H0 X LOG(X) TERPT(X) ERROR)

902 FORMAT(F12.2,3F12.7)

903 FORMAT(55H2 LOG10(.01,10,) USING UNEQUAL SPACING N=100)

904 FORMAT(55H2 CALCULATE SIN(0.,1.7) N=100)

905 FORMAT(55H0 X SIN(X) TERPT(X) ERROR)

906 FORMAT(55H2 INTERPOLATE SIN(0.,1.5) BACKWARDS N=100)

907 FORMAT(55H0 Y=SIN(X) X BTERP(Y) ERROR)

908 FORMAT(F15.7,F7.2,2F12.7)

909 FORMAT(55H2 CALCULATE INTEGRAL OF SIN(X,PI/2.) N=100)

910 FORMAT(55H0 X INTEGRAL TERP1 ERROR)

911 FORMAT(55H0 X SIN(X) TERP2(X) ERROR)

912 FORMAT(55H0 Y=TERPT(X) X BTERP(Y) ERROR)

913 FORMAT(55H2 DEMONSTRATE SPEED OF SUBROUTINE TERPT)

914 FORMAT(55H0 TERPT HAS CALCULATED 100000 SINES)

915 FORMAT(F18.2,F23.5)

916 FORMAT(55H2 LOG-LOG INTERPOLATION OF PROTON RANGES IN AL)

917 FORMAT(55H0 ENERGY RANGE DE/DR)

918 FORMAT(11XF6.1,2(4XF7.3))

919 FORMAT(80X,E20.8)

920 FORMAT(1H0)

END

921 FORMAT(1H2,12X6HENERGY,15X5HRANGE)

922 FORMAT(55H2 CALCULATE LOG10 FROM EXPONENTIAL N=100)

923 FORMAT(55H0 Y LOG(Y) BTERP(Y) ERROR)

FUNCTION BTERP(Y,T)

C THE FUNCTION BTERP IS USED FOR BACKWARD INTERPOLATION. THE
C SUBROUTINE IS ENTERED WITH A Y VALUE AND AN ARRAY, T. IHUNT3
C IS CALLED ON TO FIND THE PARABOLA WHICH CORRESPONDS TO THE
C EXPLICIT VALUE OF Y. THE VALUATION OF X IS PERFORMED BY ONE OF
C TWO FORMULAS. I.E. IF $4.*A*C/B^{*2} < 0.05$ THEN THE SERIES
C EXPANSION OF $X = -(A/B)*(2/Z)^*(1,-\sqrt{1-Z})$ IS USED WHERE
C Z EQUALS $4.*A*C/B^{*2}$.
C IF $4.*A*C/B^{*2} > 0.05$ THEN THE RATIONALIZED FORM OF THE
C QUADRATIC EQUATION IS USED. I.E., $X = -2.*A/(B + -\sqrt{B^{*2}-4.*A*C})$,
C THE SIGN OF THE TERM($\sqrt{B^{*2}-4.*A*C}$) IS DETERMINED BY THE SIGN
C OF THE SLOPE WHICH IS GIVEN BY THE MONOTONOUSNESS OF THE DATA POINTS.
C THEREFORE TO OBTAIN THE CORRECT VALUE OF X (THERE ARE TWO ROOTS)
C WE USE THIS MODIFIED FORM OF THE EQUATION.
C I.E. $X = -2.*A/(B+TONIC*\sqrt{B^{*2}-4.*A*C})$
C THE SERIES EXPANSION IS USED WHERE IT CONVERGES ($>.05 > Y < .05$),
C BECAUSE IT IS FASTER.
C
C IF THE DATA POINTS ARE NOT MONOTONIC THEN BTERP WILL NOT WORK.
C
C 1ST ENTRY T(1,1) = XLO
C 2ND ENTRY T(2,1) = 1./XDEL XDEL IS THE SPACING BETWEEN PARABOLAS
C XDEL/2. IS THE SPACING BETWEEN POINTS
C 3RD ENTRY T(3,1) = XUP
C 4TH ENTRY T(1,2) = NUMBER OF PARABOLAS OR (NUMBER OF PANELS)
C 5TH ENTRY T(2,2) = TONIC I.E. -1, IF DECREASING, +1, IF INCREASING,
C 0 IF NOT MONOTONIC, TONIC IS SET IN TABX.
C 6TH ENTRY T(3,2) = EXTRA SPACE AVAILABLE TO ONE WHO WISHES TO USE IT.
C
C DIMENSION T(3,777)
C TONIC = T(2,2)
C IF (TONIC)20,90,20
20 NN = T(1,2)
I = IHUNT3(T(1,3),NN+1,Y)
IF(I)60,110,23
C I = NN+1 ONLY IF Y = YLAST
23 IF(I-(NN+1))40,24,110
24 IF(TONIC)25,110,26
25 BTERP = T(1,1)
GO TO 88
26 BTERP = T(3,1)
GO TO 88
C EVERYTHING OK HERE. OBTAIN A, B, AND C COEFFICIENTS, AND BACKWARD
C INTERPOLATE.
40 A = T(1,I+2)-Y
B = T(2,I+2)
C = T(3,I+2)
IF(B)45,55,45
45 Z = $4.*A*C/B^{*2}$
IF(Z**2,.0025)50,50,55
50 FRAC = -(A/B)*(1.+Z*(.25+Z*(.125+Z*(.078125+Z*(.0546875))))))
GO TO 56
C
C THIS IS A FORTRAN TWO FUNCTION.
C
55 FRAC = $-2.*A/(B+TONIC*\sqrt{B^{*2}-4.*A*C})$
C
56 FIMI = I-1
BTERP = T(1,1)+(FIMI+FRAC)/T(2,1)

88 RETURN

C THIS SECTION ENTERED FOR FIXING OF ERRORS.

60 YFIRST = T(1,3)

YLAST = T(1,NN+3)

IF(TONIC)61,110,62

61 YLO = YLAST

YUP = YFIRST

GO TO 63

62 YLO = YFIRST

YUP = YLAST

63 IF(Y=YUP)94,110,100

C IF TONIC = 0, ISSUE MESSAGE AND SET BTERP = XLO,

90 CALL TTRACE(6H TONIC,TONIC,6H,N,MN,6HBTERP)

BTERP = T(1,1)

GO TO 88

C

C IF Y LESS THAN YLO, CHECK TO SEE HOW BADLY. IF BAD ISSUE MESSAGE.

C SET BTERP = XLO(IF TONIC = +1,)

C BTERP = XUP(IF TONIC = -1,)

C

94 IF(Y-(.9999999*YLO)>95,96,96

95 CALL TTRACE(6H Y,Y,6H ,TS, ,6HBTERP)

96 IF(TONIC)97,110,98

97 BTERP = T(3,1)

GO TO 88

98 BTERP = T(1,1)

GO TO 88

C IF Y GREATER THAN YUP CHECK TO SEE IF Y IS CLOSE TO YUP. IF NOT ISSUE

C MESSAGE. SET BTERP = XLO(IF TONIC = -1,)

C BTERP = XUP(IF TONIC = +1,)

C

100 IF(Y-(1.0000001*YUP)>101,101,102

102 CALL TTRACE(6H Y,Y,6H ,TB, ,6HBTERP)

101 IF(TONIC)103,110,104

103 BTERP = T(1,1)

GO TO 88

104 BTERP = T(3,1)

GO TO 88

C ONE CANNOT GET HERE,,,WE HOPE.

110 CALL TTRACE(6H Y,Y,6HLURK ,5HBTERP)

GO TO 88

END

```
SUBROUTINE TTRACE(VAR,VAL,TYP,SUB)
C
C THIS IS THE FORTRAN TWO VERSION OF TERP SYSTEM.
C
C .TB. MEANS TOO BIG.
C .TS. MEANS TOO SMALL.
C .N.MON MEANS NOT MONOTONIC.
C LURK MEANS THE IMPOSSIBLE OCCURED IN A ROUTINE. ( WE HOPE YOU NEVER
C SEE THIS MESSAGE .)
C ELO = X.XXXXE-XX = EUP MEANS THAT THE TABLE OF DATA POINTS USED
C BY IHUNT AND TERPU IS NOT MONOTONIC AND CANNOT BE USED BY TERP SYSTEM.
C .N.IN. MEANS THIS VALUE IS NOT IN THE SPECIFIED ARRAY.
C WIGGLE MEANS THAT THE SLOPE HAS CHANGED WITHIN A PARABOLA.
C
C IF(KKK=15178)10,20,10
10 KKK=15178
C
C THIS TAPE NUMBER MUST BE CHANGED IN DIFFERENT FORTRANS.
C
C NTOU=9
KOUNT1=0
KOUNT2=0
KOUNT3=0
KOUNT4=0
KOUNT5=0
CALL EQUIV(SUB1,6HTERPT )
CALL EQUIV(SUB2,6HTERP )
CALL EQUIV(SUB3,6HTERPI )
20 KOUNT5=KOUNT5+1
C
C THIS SECTION CONTROLS NUMBER OF LURKS PRINTED. MAXIMUM OF FIVE...
C
C IF(KOUNT5=5)30,30,40
30 WRITE OUTPLT TAPE NTOU,901
WRITE OUTPLT TAPE NTOU,902
WRITE OUTPLT TAPE NTOU,903
C
C THIS SECTION CONTROLS NUMBER OF ERROR MESSAGES GIVEN. MAXIMUM OF
C TEN FOR TERPT, BTERP, AND TERPI, MAXIMUM OF TWENTY FOR ALL OTHER
C SUBROUTINES...
C
C 40 IF(SUB=SUB1)50,70,50
50 IF(SUB=SUB2)60,80,60
60 IF(SUB=SUB3)100,90,100
70 KOUNT1=KOUNT1+1
IF(KOUNT1=10)110,110,120
80 KOUNT2=KOUNT2+1
IF(KOUNT2=10)110,110,120
90 KOUNT3=KOUNT3+1
IF(KOUNT3=10)110,110,120
100 KOUNT4=KOUNT4+1
IF(KOUNT4=20)110,110,120
110 WRITE OUTPLT TAPE NTOU,900,VAR,VAL,TYP,SUB
120 RETURN
C
C THIS IS THE ERROR MESSAGE.
C
C 900 FORMAT(15H0***** ERROR A6.3H = E10.3.2XA6.4H IN A6.7H *****)
C
C THIS IS THAT MONSTER LURK,
```

C

901 FORMAT(1H25X26HBEWARE THE LURK, ZAP, ZAP.42X HX/	01
-72X2HXX 1X3H7AP/	02
-71X3HXXXV8X3HXXX/	03
-70X4HXXXVV9X2HXXX/	04
-69X3HXXXV0X HX1X1HX/	05
-68X4HXXXVV5X HX3X HX/	06
-67X3HXXXV6X HX1X1HX1X HX)	
902 FORMAT(66X4HXXXVV5X HX3X HX/	
-65X3HXXXV2X HX3X HX/	09
-64X4HXXXVV1X HX X HX1X1HX/	10
-60X2H00 X3+XXVIX2HXX3X HX/	11
-58X9HXXXXXXVVV/	12
-57X8HXXXXXXXXXAIX HAIX HAIX HAIX HAIX HAIX HAIX HAIX HA/	13
-56X26HXXXXXXXXAAAAAAADAAAAA)DAAAAAA)	
903 FORMAT(19X64(HX)/	
-18X2HXX5X L4X HU2X HU X4HRRRRRX HK X2HKK X23(HX)/	16
-17X2HXX6X L4X HU2X9HU R R KKI2X4HXXXX/	17
-16X2HXX7X L4X HU2X9HU RRRR KKI X3HXXX/	18
-15X2HXX8X4FLLL2X 3HUU R R K K8X3HXXX/	19
-14X2HXX3X4(HX)/	20
-5X14HXXXXXXXXXXXXXX4X2HXX3X2HXX X2HXX3X2HXX/	21
-6X12HXXXXXXXXXXXX5X9HXXXX XXXX9X4HXXXX)	22
END	

SUBROUTINE MDECK(NAME1,NAME2,T,NT)

C THIS SUBROUTINE WAS WRITTEN IN FORTRAN TWO.

C T=ARRAY NAME (THE ONE TO BE PUNCHED BY THIS SUBROUTINE.)

C NAME1=IS THE DESIRED NAME ONE WISHES TO CALL HIS NEW SUBROUTINE.

C NAME2=SUBROUTINE CALLED(TERPT,..., ETC.)

C NT=TAPE NUMBER

C THIS SUBROUTINE MAY BE USED WHEN IT IS DESIRED TO OBTAIN
A BINARY DECK OF SOME FUNCTION WHICH HAS BEEN GENERATED BY THE TERP
SYSTEM. IN ORDER TO DO THIS, ONE MUST FIRST GET AN ASSEMBLY LANGUAGE
DECK AND THEN ASSEMBLE IT. THIS SUBROUTINE MAKES THE ASSEMBLY
LANGUAGE DECK.

C AFTER ASSEMBLY, IN ORDER TO EXECUTE, ONE MUST LOAD THE BINARY DECK
FOR THE TABLE, AND THE SPECIFIED SUBROUTINE(TERPT,JOE, OR QDISK),
AND THE SUBROUTINES WHICH IT CALLS(TRACE, JOEJOE, OR KDISK).

C FAPP AND CODAP PUNCH THE ARRAYS IN 7090 OR 1604 COMPUTER FORMATS
RESPECTIVELY.

C MDECK PRODUCES A DECK OF CARDS ACCEPTABLE TO THE FORTRAN FOUR
ASSEMBLER ON THE 7090.

DIMENSION T(777)

WRITE OUTPLT TAPE NT,90,NAME1,NAME1,NAME1

WRITE OUTPLT TAPE .NT,91,NAME2

90 FORMAT(7H\$IBMAP 1A6 ,67X/
1 15H ENTRY 1A6 ,59X/
2 16HEEGIN EQU * ,64X/
3 A6,15H SXA BACK,4 ,59X/
4 18H CLA 3,4 ,62X)

91 FORMAT(18H STA **4 ,62X/
1 15H CALL 1A6 ,60X/
2 19H ETC (**, ,61X/
3 18H ETC T1) ,62X/
4 19HEACK AXT **,4 ,61X/
5 18H TRA 1,4 ,62X)

N=3,*T(4)+7.
DO 110 I=1,N
110 CALL FAPP(T(I),I,NT)
WRITE OUTPLT TAPE NT,92

92 FORMAT(10H END,70X)

RETURN

END

SUBROUTINE FDECK(NAME1,NAME2,T,NT)

C THIS SUBROUTINE WAS WRITTEN IN FORTRAN TWO.
C
C T=ARRAY NAME (THE ONE TO BE PUNCHED BY THIS SUBROUTINE.)
C NAME1=IS THE DESIRED NAME ONE WISHES TO CALL HIS NEW SUBROUTINE.
C NAME2=SUBROUTINE CALLED(TERPT,,, ETC.)
C NT=TAPE NUMBER
C
C THIS SUBROUTINE MAY BE USED WHEN IT IS DESIRED TO OBTAIN
C A BINARY DECK OF SOME FUNCTION WHICH HAS BEEN GENERATED BY THE TERP
C SYSTEM. IN ORDER TO DO THIS, ONE MUST FIRST GET AN ASSEMBLY LANGUAGE
C DECK AND THEN ASSEMBLE IT. THIS SUBROUTINE MAKES THE ASSEMBLY
C LANGUAGE DECK.
C
C AFTER ASSEMBLY, IN ORDER TO EXECUTE, ONE MUST LOAD THE BINARY DECK
C FOR THE TAPE, AND THE SPECIFIED SUBROUTINE(TERPT,JOE, OR QDISK),
C AND THE SUBROUTINES WHICH IT CALLS(TTRACE, JOEJOE, OR KDISK).
C
C FDECK PRODUCES A DECK OF CARDS ACCEPTABLE TO THE FORTRAN TWO
C ASSEMBLER ON THE 7090.
C
DIMENSION T(777)
WRITE OUTPLT TAPE NT,90,NAME1,NAME1
WRITE OUTPLT TAPE NT,91,NAME2
90 FORMAT(24H* FAP ,56X/
1 15H ENTRY I46 ,59X/
2 16HEEGIN EQU * ,64X/
3 A6,18H SXD BEGIN=2,4,56X/
4 24H CLA 1,4 ,56X/
5 24H STA *+2 ,56X)
91 FORMAT(24H TSX BEGIN=3,4,56X/
1 24H TSX ** ,56X/
2 24H TSX T1,0 ,56X/
3 24H LXD BEGIN=2,4,56X/
4 24H TRA 2,4 ,56X/
5 16H NOP \$1A6 ,58X)
N=3,*T(4)*7.
C ARRAYS RUN BACKWARDS IN FORTRAN=2
DO 110 II=1,N
I=N-II+1
110 CALL FAPP(T(I),I,NT)
WRITE OUTPLT TAPENT,92
92 FORMAT(1DH END,70X)
RETURN
END

SUBROUTINE CDECK(NAME1,NAME2,T,NT)

C THIS SUBROUTINE WAS WRITTEN IN FORTRAN TWO.

C T-ARRAY NAME (THE ONE TO BE PUNCHED BY THIS SUBROUTINE.)
C NAME1-IS THE DESIRED NAME ONE WISHES TO CALL HIS NEW SUBROUTINE.
C NAME2-SUBROUTINE CALLED(TERPT,... ETC.)

C NT-TAPE NUMBER

C THIS SUBROUTINE MAY BE USED WHEN IT IS DESIRED TO OBTAIN
C A BINARY DECK OF SOME FUNCTION WHICH HAS BEEN GENERATED BY THE TERP
C SYSTEM. IN ORDER TO DO THIS, ONE MUST FIRST GET AN ASSEMBLY LANGUAGE
C DECK AND THEN ASSEMBLE IT. THIS SUBROUTINE MAKES THE ASSEMBLY
C LANGUAGE DECK.

C AFTER ASSEMBLY, IN ORDER TO EXECUTE, ONE MUST LOAD THE BINARY DECK
C FOR THE TABLE, AND THE SPECIFIED SUBROUTINE(TERPT,JOE, OR QDISK),
C AND THE SUBROUTINES WHICH IT CALLS(TTRACE, JOEJOE, OR KDISK).

C FAPP AND CODAP PUNCH THE ARRAYS IN 7090 OR 1604 COMPUTER FORMATS
C RESPECTIVELY.

C THIS CAPABILITY IS NOT LIMITED TO THE TERP SYSTEM.

C CDECK PRODUCES A DECK OF CARDS ACCEPTABLE TO THE FORTRAN 63
C ASSEMBLER ON THE 1604

DIMENSION T(777)

WRITE OUTPLT TAPE NT,90,NAME1,NAME1,NAME1,NAME1

WRITE OUTPLT TAPE NT,91,NAME2,NAME2

90 FORMAT(19H IDENT 1A6 ,55X/
1 19H ENTRY 1A6 ,55X/
2 A6,3X,12H 0 ** ,59X/
3 24H SIU 6 SAVE6 ,56X/
4 19H LIU 6 1A6 ,55X/
5 20H LDA 6 0 ,60X/
6 20HINI 6 1 ,60X/
7 25HSIU 6 RETURN ,55X/
8 25HARS 24 ,55X)

91 FORMAT(25H SAU XADD ,55X/
+ 19H EXT 1A6 ,55X/
1 19H RTJ 1A6 ,55X/
2 25HXADD 0 ** ,55X/
3 25H 0 T001 ,55X/
4 25HSAVE6 ENI 6 ** ,55X/
5 25HRETURN SLJ ** ,55X)

N=3,*T(4)+7,
DO 50 I=1,N
50 CALL CODAP(T(I),I,NT)
WRITE OUTPLT TAPE NT,92

92 FORMAT(12H END ,6BX)

RETURN
END

SUBROUTINE CODAP(A,N,NT)

C THIS SUBROUTINE WAS WRITTEN IN FORTRAN TWO.
C
C A IS THE NUMBER ONE WANTS CONVERTED TO MACHINE LANGUAGE.
C N IS THE VALUE OF THE DO LOOP USED TO GENERATE THE PUNCHED CARDS.
C NT IS THE TAPE NUMBER
C
C CODAP PUNCHES THE SPECIFIED ARRAY, T, IN A FORMAT ACCEPTABLE TO THE 1604.
C
N100=N/100
N10=(N-100*N100)/10
NI=N-100*N100-10*N10
IF(A)10,60,15
10 ABSA=A
GO TO 16
15 ABSA=A
16 EE=0.434294481*LOGF(ABSA)
IE=EE+40,
IE=IE+40
FRAC=ABSA/(10.**IE)
IF(FRAC=9.999995)25,25,20
20 FRAC=1.
IE=IE+1
25 IIE=IE
IF(IE)21,30,30
21 IE=-IE
30 II0=IE/10
II=IE-10*II0
IF(IIE)40,50,50
40 IF(A)41,60,42
41 WRITE OUTPLT TAPE NT,900,N100,N10,NI,FRAC,II0,II
GO TO 70
42 WRITE OUTPLT TAPE NT,901,N100,N10,NI,FRAC,II0,II
GO TO 70
50 IF(A)51,60,52
51 WRITE OUTPLT TAPE NT,902,N100,N10,NI,FRAC,II0,II
GO TO 70
52 WRITE OUTPLT TAPE NT,903,N100,N10,NI,FRAC,II0,II
GO TO 70
60 WRITE OUTPLT TAPE NT,904,N100,N10,NI
70 RETURN
900 FORMAT(IHT,3I1,4X,12H DEC *F 9.7,2HD=2I1,47X)
901 FORMAT(IHT,3I1,4X,12H DEC *F 9.7,2HD=2I1,47X)
902 FORMAT(IHT,3I1,4X,12H DEC *F 9.7,2HD=2I1,47X)
903 FORMAT(IHT,3I1,4X,12H DEC *F 9.7,2HD=2I1,47X)
904 FORMAT(IHT,3I1,4X,25H DEC *0,0000000D+00,47X)
END

SUBROUTINE FAPP(A,I,NT)

C THIS SUBROUTINE WAS WRITTEN IN FORTRAN TWO.

C A IS THE NUMBER ONE WANTS CONVERTED TO MACHINE LANGUAGE,

C I IS THE VALUE OF THE DO LOOP USED TO GENERATE THE PUNCHED CARDS,

C NT IS THE TAPE NUMBER

C

FAPP PUNCHES THE SPECIFIED ARRAY, T, IN A FORMAT ACCEPTABLE TO THE 7090.

C

C EXAMBLE

C ..T..I.....DEC...-1.1234567E+04

C

10 ABSA=A

GO TO 16

15 ABSA=A

16 EE=0.434294481*LOGF(ABSA)

IE=EE*40.

IE=IE*40

FRAC=A/(10.**IE)

IF(FRAC**2=9.9999995**2)25,25,20

20 FRAC=1.

IE=IE+1

25 IIE=IE

IF(IE)21,30,30

21 IE=IE

30 II0=IE/10

II=IE-10*II0

IF(IIE)40,50,50

40 WRITE OUTPLT TAPE NT,900,I,FRAC,II0,II

GO TO 70

50 WRITE OUTPLT TAPE NT,901,I,FRAC,II0,II

GO TO 70

60 WRITE OUTPLT TAPE NT,902,I

70 RETURN

900 FORMAT(2X1FT13,8H DEC F10,7,2HE-2I1,52X)

901 FORMAT(2X1FT13,8H DEC F10,7,2HE+2I1,52X)

902 FORMAT(2X1FT13,22H DEC 0.0000000E+00,52X)

END

SUBROUTINE TYME(I,NT)

```
C THIS IS THE FORTRAN TWO VERSION OF TERP SYSTEM.  
C  
C THIS SUBROUTINE MUST BE ACCCOMPANIED WITH THE PROPER SOFTWARE.  
C WHICH IS WIND AND STOP.  
C  
C IF I = 0, RESET THE CLOCK AND PRINT TIME = 0, SEC.  
C IF I.GT. 0, STOP THE CLOCK AND PRINT TIME = XX.XX SEC.  
C  
IF (I)1,1,2  
1 TIME=0  
REWIND 12  
CALL WIND(12)  
WRITE OUTPLT TAPE NT,198,TIME  
RETURN  
2 CALL STOP(T)  
TIME=TIME+T  
REWIND 12  
WRITE OUTPLT TAPE NT,198,TIME  
RETURN  
198 FORMAT(1H0,1I4***TIME IS F8.3,5H SEC.)  
END
```

COUNT 65

* SUBROUTINE TIMER BY WRITING TAPE

TTL FORTRAN II VERSION TWO

LBL TIME,X

ENTRY WIND

ENTRY STEP

* CALL WIND(ITIME) TO WIND AND START THE CLOCK,

* CALL STOP(TIME) TO READ AND STOP THE CLOCK.

* ITIME IS THE LOCATION OF A FORTRAN II FIXED POINT NUMBER

(AT SCALE B17) INDICATING THE LOGICAL TAPE TO BE USED

FOR THE TIMER TAPE,

* TIME IS SET TO FLOATING POINT SECONDS. 729 VI AT 800 BITS PER

INCH IS ASSUMED. STORAGE CYCLES TAKEN BY THE TAPE

MAY INCREASE THE TIME BY AS MUCH AS 3.3 PERCENT.

* IF THE CLOCK RUNS DOWN (TAPE STOPS) BEFORE CALLING STOP, A

NEGATIVE NUMBER IS REPORTED AS THE TIME. THE MAXIMUM

TIME IS ABOUT 210 SECONDS, BUT THIS MAY BE CHANGED BELOW

WITH THE MAXIMUM TIME BEING THE TIME TO WRITE A FULL REEL

MAX EQU 200 SET TO MAXIMUM TIME, SECONDS.

RPT EQU MAX•100/218

* OF 10 COMMANDS. ASSUMES EACH IO COMMAND USES ABOUT

2.18 SECONDS. ADJUST VARIABLE FIELD FOR OTHER DRIVES.

(CR DENSITIES)

WIND SXD *-2,4

CLA* 1,4

TSX \$(IMS),4 SET UP TO WRITE THE TIME TAPE.

XEC* \$(REW)

XEC* \$(WRS)

AXC 1C,4

XEC* \$(RCH)

LDQ* \$(STC) PICK UP AND MOVE TAPE INST.

SLQ STC (TO ALLOW USE OF OTHER CHANNELS WHILE

LDQ* \$(TCN) TIMING OPERATION GOES ON.)

CLA* \$(TCO) FORM A TCN INSTRUCTION.

STD STOP

CAL* \$(ETT) FORM BLAST DATA CHANNEL.

ORA =C352

STA BCC

LDQ* \$(REW)

STQ REW

LXD WIND=2,4

CLA ICP NOW, LET US WAIT WHILE WE SPACE

XEC STC OVER THE BEGINNING-OF-TAPE GAP

CAS SCH

TRA *-2

TRA 2,4

TRA *-4

*
*
*
*
* NEW, CHECK TO SEE WHAT THE TIME INTERVAL IS
* *
* *

STOP	TCNA	ERR	IS CHANNEL STILL IN OPERATION.....
STC	SCHA	SCH	YES
BDC	RDCA		BLAST THE DATA CHANNEL
REW	REWA	5	
CLS	1CP2		
ADM	SCH		SEE HOW MUCH WAS WRITTEN
STA	TEMP		NUMBER OF WORDS WRITTEN IN LAST BLOCK,
LRS	35+18		NUMBER OF BLOCKS
VLM	1c2,,18		TIMES THE BLOCK LENGTH
ADD	TEMP		TOTAL NUMBER OF WORDS
SUB	=2		ADJUST FOR STARTING BIAS.
GRA	=15588		SUPPLY BUOYANCY
FAD	=15588		
XCA			
FMP	CST		
ERR2	ST0*	1,4	
	TRA	2,4	

*
*
* * ERR CLS CST RETURN NEGATIVE NUMBER IF THE CLOCK'S NOT WOUND.
* * TRA ERR2
*
* *

*
*
* * CST DEC .666666667E-4 SECONDS PER WORD (800BPI, 729-V1)
* * *
* * *
* * *
* * *
* * *
* * TEMP
* * SCH
*
* *

TITLE			
DUP	I,RPT		
10	ICCP	0,-1	PREFIX IS MZE
102	ICCD	0,-1	PREFIX IS PZE,
10P	ICCP	2,,10+1	
10P2	ICCD	0,,10+1	
	DETAIL		
	END		
*	DATA		

BEWARE THE LURK. ZAP. ZAP.

XX
XXV XXX
XXVV XX
XXV X X X
XXVV X X X
XXV X X X
XXVV X X X
OO XXV XX X
XXXXXXXXVV
XXXXXXXXX A A A A A A A
XXXXXXXXAAAAAAAXXXXXXXXXXXXXXX
XX L U U RRRR K KK XXXXXXXXXX
XX L U U R R R K K XXX
XX L U U RRRR KK XXX
XX LLLL UU R R K K XXX
XX XXXXXXXXXX XXXXXXXXXX XXXXXXXXXX
XXXXXXXXXXXXXX XX XX XX XX
XXXXXXXXXXXXXX XXXX XXXX XXXX

***** ERROR XVALUE = 0.332E-00 WIGGLE IN TABX *****

CALCULATE LOG10(.01,10.) N=100

X	LOG(X)	TERP(X)	ERROR
0.01	-2.0000000	-2.0000000	-0.
0.02	-1.6989700	-1.8959480	0.1969780
0.04	-1.3979400	-1.6987655	0.3008255
0.08	-1.0969100	-1.3480868	0.2511768
0.10	-1.0000000	-1.1945906	0.1945906
0.20	-0.6989700	-0.6455404	-0.0534296
0.40	-0.3979400	-0.4003658	0.0024258
0.80	-0.0969100	-0.0970216	0.0001115
1.00	-0.0000000	-0.0001049	0.0001049
2.00	0.3010300	0.3010046	0.0000254
4.00	0.6020600	0.6020579	0.0000021
8.00	0.9030900	0.9030904	-0.0000005
10.00	1.0000000	1.0000000	0.0000000

CALCULATE LOG10 FROM EXPONENTIAL N=100

Y	LOG(Y)	BTERP(Y)	ERROR
0.01	-2.0000000	-2.0000000	-0.
0.02	-1.6989700	-1.6989333	-0.0000367
0.04	-1.3979400	-1.3979260	-0.0000140
0.08	-1.0969100	-1.0969320	0.0000220
0.10	-1.0000000	-1.0000263	0.0000263
0.20	-0.6989700	-0.6989979	0.0000278
0.40	-0.3979400	-0.3979141	-0.0000259
0.80	-0.0969100	-0.0968784	-0.0000316
1.00	-0.0000000	0.0000277	-0.0000277
2.00	0.3010300	0.3010221	0.0000079
4.00	0.6020600	0.6020270	0.0000330
8.00	0.9030900	0.9030797	0.0000103
10.00	1.0000000	1.0000000	0.

LOG10(.01,10.) USING UNEQUAL SPACING N=100

X	LOG(X)	TERPT(X)	ERROR
0.01	-2.0000000	-2.0000000	-0.
0.02	-1.6989700	-1.6989700	-0.0000000
0.04	-1.3979400	-1.3979400	-0.0000000
0.08	-1.0969100	-1.0969100	-0.0000000
0.10	-1.0000000	-1.0000000	-0.
0.20	-0.6989700	-0.6989700	-0.
0.40	-0.3979400	-0.3979401	0.0000000
0.80	-0.0969100	-0.0969100	0.0000000
1.00	-0.0000000	-0.0000001	0.0000001
2.00	0.3010300	0.3010300	0.0000000
4.00	0.6020599	0.6020599	0.0000001
8.00	0.9030900	0.9030899	0.0000001
10.00	1.0000000	1.0000000	0.0000000

CALCULATE SIN(0.,1.7) N=100

X	SIN(X)	TERPT(X)	ERROR
-0.	-0.	-0.	-0.
0.10	0.0998334	0.0998321	0.0000013
0.20	0.1986693	0.1986684	0.0000009
0.30	0.2955202	0.2955204	-0.0000002
0.40	0.3894183	0.3894194	-0.0000011
0.50	0.4794255	0.4794265	-0.0000009
0.60	0.5646425	0.5646419	0.0000006
0.70	0.6442177	0.6442166	0.0000010
0.80	0.7173561	0.7173556	0.0000004
0.90	0.7833269	0.7833272	-0.0000004
1.00	0.8414709	0.8414716	-0.0000007
1.10	0.8912073	0.8912076	-0.0000003
1.20	0.9320391	0.9320386	0.0000004
1.30	0.9635582	0.9635578	0.0000003
1.40	0.9854497	0.9854497	0.0000000
1.50	0.9974950	0.9974950	-0.0000001
1.60	0.9995736	0.9995735	0.0000001
1.70	0.9916648	0.9916648	0.

CALCULATE SIN(0.,1.7) N=100

X	SIN(X)	TERP2(X)	ERROR
-0.	-0.	-0.	-0.
0.10	0.0998334	0.0998333	0.0000001
0.20	0.1986693	0.1986695	-0.0000001
0.30	0.2955202	0.2955201	0.0000001
0.40	0.3894183	0.3894183	0.0000001
0.50	0.4794255	0.4794257	-0.0000001
0.60	0.5646425	0.5646423	0.0000001
0.70	0.6442177	0.6442176	0.0000000
0.80	0.7173561	0.7173562	-0.0000001
0.90	0.7833269	0.7833268	0.0000001
1.00	0.8414709	0.8414709	0.
1.10	0.8912073	0.8912074	-0.0000001
1.20	0.9320391	0.9320390	0.0000001
1.30	0.9635582	0.9635582	0.
1.40	0.9854497	0.9854497	0.
1.50	0.9974950	0.9974949	0.0000000
1.60	0.9995736	0.9995736	0.0000000
1.70	0.9916648	0.9916648	0.0000000

INTERPOLATE SIN(0.,1.5) BACKWARDS N=100

r=SIN(X)	X	BTERP(Y)	ERROR
0.	-0.	0.	0.
0.0998334	0.10	0.0999993	-0.0000007
0.1986693	0.20	0.1999992	-0.0000008
0.2955202	0.30	0.2999996	-0.0000004
0.3894183	0.40	0.4000001	0.0000001
0.4794255	0.50	0.5000006	0.0000006
0.5646425	0.60	0.6000008	0.0000008
0.6442177	0.70	0.7000004	0.0000005
0.7173561	0.80	0.7999995	-0.0000005
0.7833269	0.90	0.8999991	-0.0000008
0.8414709	1.00	0.9999993	-0.0000006
0.8912073	1.10	1.0999998	-0.0000001
0.9320391	1.20	1.2000004	0.0000004
0.9635582	1.30	1.3000007	0.0000008
0.9854497	1.40	1.4000006	0.0000007
0.9974950	1.50	1.4999999	-0.0000000

INTERPOLATE SIN(0.,1.5) BACKWARDS N=100

Y=TERPT(X)	X	BTERP(Y)	ERROR
-0.	-0.	0.	0.
0.0998341	0.10	0.1000000	-0.0000000
0.1986701	0.20	0.2000000	-0.0000000
0.2955206	0.30	0.3000000	-0.0000000
0.3894182	0.40	0.4000000	-0.0000000
0.4794250	0.50	0.5000000	-0.0000000
0.5646418	0.60	0.6000000	-0.0000000
0.6442173	0.70	0.7000000	-0.0000000
0.7173564	0.80	0.8000000	-0.0000000
0.7833274	0.90	0.8999999	-0.0000000
0.8414713	1.00	0.9999999	-0.0000000
0.8912074	1.10	1.0999999	-0.0000000
0.9320389	1.20	1.1999999	-0.0000000
0.9635580	1.30	1.2999999	-0.0000000
0.9854496	1.40	1.3999999	-0.0000000
0.9974950	1.50	1.4999999	-0.0000000

CALCULATE INTEGRAL OF SIN(X,PI/2.) N=100

X	INTEGRAL	TERPI	ERROR
-0.	1.0000000	0.9999999	0.0000001
0.10	0.9950042	0.9950040	0.0000002
0.20	0.9800666	0.9800664	0.0000002
0.30	0.9553365	0.9553363	0.0000002
0.40	0.9210610	0.9210609	0.0000001
0.50	0.8775826	0.8775825	0.0000001
0.60	0.8253356	0.8253355	0.0000001
0.70	0.7648422	0.7648421	0.0000001
0.80	0.6967067	0.6967067	0.0000001
0.90	0.6216100	0.6216099	0.0000000
1.00	0.5403023	0.5403023	0.0000000
1.10	0.4535962	0.4535962	-0.0000000
1.20	0.3623578	0.3623578	0.
1.30	0.2674989	0.2674989	-0.0000000
1.40	0.1699672	0.1699672	-0.0000000
1.50	0.0707373	0.0707373	-0.0000000
1.60	-0.0291994	-0.0291994	0.0000000
1.70	-0.1288444	-0.1288444	0.0000000

DEMONSTRATE SPEED OF SUBROUTINE TERPT

***TIME IS 0. SEC.

TERPT HAS CALCULATED 100000 SINES

***TIME IS 46.674 SEC.

ENERGY	RANGE
1.00	0.00345
1.50	0.00669
2.00	0.01080
2.50	0.01560
3.00	0.02100
4.00	0.03450
5.00	0.05030
6.00	0.06910
7.00	0.09000
8.00	0.11320
9.00	0.13880
10.00	0.16670
12.00	0.22900
15.00	0.33930
21.00	0.61430
25.00	0.83690
30.00	1.15700
35.00	1.52300
40.00	1.93300
45.00	2.38500
50.00	2.87800
60.00	3.98300
70.00	5.24000
80.00	5.24000
90.00	8.18200
100.00	9.85400
120.00	13.58000

160.00	22.40000
200.00	32.84000
250.00	47.87000
300.00	64.84000
350.00	83.34000
400.00	103.30000
500.00	146.70000
600.00	193.80000
700.00	243.80000
800.00	296.10000
900.00	350.10000
1000.00	405.50000

BEWARE THE LURK. ZAP. ZAP.

X
XX ZAP
XXV XXX
XXVV XX
XXV X X
XXVV X X
XXV X X X
XXVV X X X
XXV X X
XXVV X X X
00 XXV XX X
XXXXXXXXVV
XXXXXXXX A A A A A A
XXXXXXXXXXXXXXXXXXXXXXXXXXXX
XX L U U RRRR K KK XXXXXXXX
XX L U U R R KK XXX
XX L U U RRRR KK XXX
XX LLLL UU R R K K XXX
XX XXXXXXXXXXXXXXXXXXXXXXX
XXXXXXXXXXXX XX XX XX XX
XXXXXXXXXXXX XXXX XXXX XXXX

***** ERROR XVALUE = 0.440E 01 WIGGLE IN TABX *****

BEWARE THE LURK. ZAP. ZAP.

	X	ZAP
XX		
XXV		XXX
XXVV		XX
XXV	X X	
XXVV	X X	
XXV	X X X	
XXVV	X X X	
OO	XXV XX X	
XXXXXXXXVVV		
XXXXXXXXXA	A A A A A A A	
XXXXXXXXAAAAA	AAAAAAAAAAAAA	
XXXXXXXXXXXXXXXXXXXXXX		
XX	L U U RRRR K KK	XXXXXXXXXXXXXXXXXXXXXX
XX	L U U R R R K K	XXXX
XX	L U U RRRR KK	XXX
XX	LLLL UU R R K K	XXX
XX	XXXXXXXXXXXXXXXXXXXXXX	
XXXXXXXXXXXXXX	XX XX	XX XX
XXXXXXXXXXXXXX	XXXX XXXX	XXXX

***** ERROR X = 0.691E 01 .N.IN IN TERPU *****

LOG-LOG INTERPOLATION OF PROTON RANGES IN AL

ENERGY	RANGE	DE/DR
1.0	0.003	179.493
1.5	0.007	135.747
2.0	0.011	111.266
2.5	0.016	97.773
3.0	0.021	86.455
4.0	0.034	67.191
5.0	0.050	58.235
6.0	0.069	50.103
7.0	0.090	45.438
8.0	0.113	41.037
10.0	0.167	34.440
12.0	0.229	30.005
14.0	0.300	26.411
16.0	0.380	23.866
18.0	0.468	21.801
22.0	0.667	18.615
26.0	0.897	16.317
30.0	1.157	14.573
34.0	1.446	13.171
38.0	1.764	12.070
46.0	2.480	10.399
54.0	3.301	9.175
62.0	4.222	8.248
70.0	5.160	11.594
78.0	5.471	158.496

94.0	9.090	5.272
110.0	11.655	5.367
126.0	14.790	4.875
142.0	18.215	4.486
158.0	21.918	4.172
190.0	30.088	3.696
222.0	39.198	3.352
254.0	49.159	3.087
286.0	59.906	2.877
318.0	71.337	2.728
382.0	95.960	2.483
446.0	122.734	2.310
510.0	151.253	2.184
574.0	181.246	2.088
638.0	212.492	2.012
766.0	278.087	1.900
894.0	346.817	1.829

LBL	TERPT.L
COUNT	30
ENTRY	TERPT
REM	
• THIS IS THE FAP VERSION OF TERPT FOR THE 7090 COMPUTER,	
REM	
• THERE IS NO ERROR CHECKING OF ARGUMENTS OUTSIDE OF THE RANGE	
• FROM (XL0-XUP).	
REM	
TERPT	SXD TERPT-2,4
	SXA X2,2
	CLA 2,4
	PAC 0,2
	CLA* 1,4
	FSB 0,2
XCA	
FMP	=1,2
STO	7
UFA	=E2330000000000
STA	I
CHS	
FAD	Z
STO	Z
LDQ	I
MPY	=.3
XCA	
ADD	2,4
PAC	0,2
LDQ	=8,2
FMP	Z
FAD	=7,2
XCA	
FMP	Z
FAD	=6,2
X2	AXT 0,2
	TRA 3,4
I	
Z	
END	

LOG-LOG INTERPOLATION OF PROTON RANGES IN AL

ENERGY	RANGE
E = 1.0	R = 0.003
E = 1.5	R = 0.007
E = 2.0	R = 0.011
E = 2.5	R = 0.016
E = 3.0	R = 0.021
E = 4.0	R = 0.034
E = 5.0	R = 0.050
E = 6.0	R = 0.069
E = 7.0	R = 0.090
E = 8.0	R = 0.113
E = 10.0	R = 0.167
E = 15.0	R = 0.339
E = 20.0	R = 0.564
E = 25.0	R = 0.837
E = 30.0	R = 1.157
E = 40.0	R = 1.933
E = 50.0	R = 2.878
E = 60.0	R = 3.983
E = 70.0	R = 5.160
E = 80.0	R = 5.438
E = 100.0	R = 9.854
E = 150.0	R = 20.033
E = 200.0	R = 32.839
E = 250.0	R = 47.870
E = 300.0	R = 64.832
E = 400.0	R = 103.292
E = 500.0	R = 146.693
E = 600.0	R = 193.799
E = 700.0	R = 243.800
E = 800.0	R = 296.093
E = 1000.0	R = 405.500

DEMONSTRATE SPEED OF SUBROUTINE TERPT

***TIME IS 0. SEC.

TERPT HAS CALCULATED 100000 SINES

***TIME IS 27.115 SEC.

FUNCTION TERPT(X,TAB) 234 0101
C THIS IS THE 3TERPT VERSION OF TERPT. IT USES A HIGHER ORDER 234 0087
C ... CUBIC ... INTERPOLATION. IT MAY BE USED IN PLACE 234 0088
C OF THE QUADRATIC TERPT WHEN IT IS DESIRED TO OBTAIN GREATER 234 0089
C ACCURACY, OR A SHORTER TABLE FOR THE SAME ACCURACY, OR WHEN 234 0090
C IT IS DESIRED TO USE AN INTERPOLATED CURVE WHICH HAS 234 0091
C CONTINUOUS FIRST DERIVATIVES. 234 0092
C THE DISADVANTAGE OVER THE PARABOLIC VERSION IS ABOUT 3 TIMES 234 0094
C GREATER EXECUTION TIME. 234 0095
C THE NEEDED PORTIONS OF THE TAB TABLE ARE FIRST COPIED OVER TO 234 0096
C LOCALLY DIMENSIONED ARRAYS. THIS GREATLY SHORTENS THE 234 0097
C STUPID FORTRAN BOOKKEEPING. 234 0098
C THE VALUES OF THE FOUR NEAREST DATA POINTS ... YM1,Y0,Y1,Y2 ... 234 0099
C ARE THEN CALCULATED FROM THE PARABOLIC COEFFICIENTS. 234 0100
C THEN BROWNS INTERPOLATION FORMULA IS USED. 234 0101
C
DIMENSION TAB(77),C(7),T(9) 234 0102
DO 4 I=1,7 234 0103
4 C(I)=TAB(I) 234 0104
NPRAB=C(4) 234 0105
C(6)=TAB(3*NPRAB+7) 234 0106
Z=(X-C(1))*C(2) 234 0107
20 II=Z 234 0108
FI=II 234 0110
F=2.0*(Z-FI) 234 0111
22 I=3*II+4 234 0109
DO 34 K = 1,9 234 0115
T(K)=TAB(I) 234 0116
34 I=I+1 234 0112
IF(Z=.5)90,24,24 234 0118
24 IF(Z-(C(4)-.5))30,100,100
30 IF (F = 1.0) 2,2,3
C POINT IS IN LEFT HALF OF PARABOLA 234 0119
C
2 Q=F 234 0120
YM1=T(1)+.5*T(2)+.25*T(3) 234 0121
Y0=T(4) 234 0122
Y1=T(4)+.5*T(5)+.25*T(6) 234 0123
Y2=T(7) 234 0124
GO TO 50 234 0125
C POINT IS IN RIGHT HALF OF PARABOLA 234 0126
C
3 Q=F=1.0 234 0127
YM1=T(4) 234 0128
Y0=T(4)+.5*T(5)+.25*T(6) 234 0129
Y1=T(7) 234 0130
Y2=T(7)+.5*T(8)+.25*T(9) 234 0131
C
C NOW WE HAVE THE FOUR NEAREST POINTS,,, USE BROWNS INTERPOLATION 234 0132
C FORMULA TO CALCULATE THE CORRESPONDING VALUE OF Y.
C
500TERPT =Y0+.5*Q*(Y1-YM1)+Q*(2.*YM1+4.*(Y0-Y1))-Y0-Y2+Q*(Y2-YM1+3.*(Y0- 234 0135
4.*Y1))) 234 0136
88 RETURN 234 0137
C THIS SECTION IS ENTERED FOR FURTHER CHECKING IF POINT NEAR EDGES 234 0059
C
C CHECK FOR POINT,,, IN 1ST HALF PARABOLA OR BELOW XLO 234 0060
90 IF (Z) 91,94,95 234 0061
91 IF (Z = (-1.E-7)) 92,93,93
92 CALL TTRACE(6H X,C(1)+Z/C(2),6H .TS.,6H3TERPT)

93 Z = 0.
GO TO 20
94 CONTINUE
95 O * F
Y0=T(4)
Y1=T(5)+.25*T(6)
Y2=T(7)
YMI = 3.*Y0 - 3.*Y1 + Y2
GO TO 50

234 0068
234 0069
234 0070
234 0071
234 0072

C CHECK FOR POINT... IN LAST HALF PARABOLA OR ABOVE XUP
C IF POINT AT OR SLIGHTLY OVER UPPER EDGE, REDUCE TO JUST BELOW,
C IF POINT TOO FAR ABOVE EDGE, ISSUE MESSAGE AND REDUCE TO JUST BELOW,
100 IF (Z = C(4)) 104,103,101

101 IF (Z = (C(4)+1,E-7)) 103,103,102
102 CALL TTRACE(6H X,C(1)+Z/C(2),6H ,TB,,6HSTERPT)

103 Z = .99999998 * C(4)
GO TO 20

104 O * F = 1.0
YMI = T(4)
Y0 = T(4) + .5*T(5) + .25*T(6)
Y1 = T(7)
Y2 = 3.*Y1 - 3.*Y0 + YMI
GO TO 50

234 0080
234 0081
234 0082
234 0083
234 0084

END

```
FUNCTION TERPD(X,TAB) 234 0001
C THIS IS THE 3TERPD VERSION OF TERPD. IT USES A HIGHER ORDER 234 0002
C ... CUBIC ... INTERPOLATION. IT MAY BE USED IN PLACE 234 0003
C OF THE QUADRATIC TERPT WHEN IT IS DESIRED TO OBTAIN GREATER 234 0004
C ACCURACY, OR A SHORTER TABLE FOR THE SAME ACCURACY, OR WHEN 234 0005
C IT IS DESIRED TO USE AN INTERPOLATED CURVE WHICH HAS 234 0006
C CONTINUOUS FIRST DERIVATIVES. 234 0007
C THE DISADVANTAGE OVER THE PARABOLIC VERSION IS ABOUT 3 TIMES 234 0009
C GREATER EXECUTION TIME.
C THE NEEDED PORTIONS OF THE TAB TABLE ARE FIRST COPIED OVER TO 234 0010
C LOCALLY DIMENSIONED ARRAYS. THIS GREATLY SHORTENS THE 234 0011
C STUPID FORTRAN BOOKKEEPING. 234 0012
C THE VALUES OF THE FOUR NEAREST DATA POINTS ... YMI,Y0,Y1,Y2 ... 234 0013
C ARE THEN CALCULATED FROM THE PARABOLIC COEFFICIENTS. 234 0014
C THEN BROWNS INTERPOLATION FORMULA IS USED. 234 0015
DIMENSION TAB(77),C(7),T(9) 234 0016
DO 4 I=1,7 234 0017
4 C(I)=TAB(I) 234 0018
NPRAB=C(4) 234 0019
C(6)=TAB(3*NPRAB+7) 234 0020
Z=(X-C(1))*C(2) 234 0021
20 II=Z 234 0022
FI=II 234 0023
F=2.0*(Z-FI) 234 0024
22 I=3*II+4 234 0025
DO 34 K = 1,9 234 0026
T(K)=TAB(I) 234 0029
34 I=I+1 234 0030
IF(Z-.5)>0,24,24 234 0026
24 IF(Z-(C(4)-.5))>0,100,100
30 IF (F - 1.0) 2,2,3
C POINT IS IN LEFT HALF OF PARABOLA 234 0032
C 234 0034
2 Q=F 234 0035
YMI = T(1) + .5*T(2) + .25*T(3)
Y0=T(4)
Y1=T(4)+.5*T(5)+.25*T(6)
Y2=T(7)
GO TO 50
C POINT IS IN RIGHT HALF OF PARABOLA 234 0041
C 234 0042
3 Q=F=1.0 234 0043
YMI=T(4)
Y0=T(4)+.5*T(5)+.25*T(6)
Y1=T(7)
Y2=T(7)+.5*T(8)+.25*T(9)
C NOW WE HAVE THE FOUR NEAREST POINTS... USE BROWNS INTERPOLATION 234 0048
C FORMULA FOR CONTINUOUS DERIVATIVES 234 0049
500 TERPD=(.5*(Y1-YM1)+Q*(2.*YMI-4.*(Y0-Y1))-Y0-Y2+1.5*Q*(Y2-YM1+3.* 235 0056
4 (Y0-Y1)))*C(2) 234 0057
TERPD = 2.0 * TERPD
88 RETURN 234 0058
C THIS SECTION IS ENTERED FOR FURTHER CHECKING IF POINT NEAR EDGES 234 0059
C 234 0060
C CHECK FOR POINT... IN 1ST HALF PARABOLA OR BELOW XLO 234 0061
90 IF (Z) 91,94,95
91 IF (Z = (-1.E-7)) 92,93,93
92 CALL TTRACE(6H X,C(1)+Z/C(2),6H ,TS,,6H3TERPD)
93 Z = 0.
GO TO 20
```

94 CONTINUE

95 Q = F
Y0=T(4) 234 0068
Y1=T(4)+.5*T(5)+.25*T(6) 234 0069
Y2=T(7) 234 0070
YMI = 3.*Y0 = 3.*Y1 + Y2 234 0071
GO TO 50 234 0072

C CHECK FOR POINT... IN LAST HALF PARABOLA OR ABOVE XUP 234 0073
C IF POINT AT OR SLIGHTLY OVER UPPER EDGE, REDUCE TO JUST BELOW.
C IF POINT TOO FAR ABOVE EDGE, ISSUE MESSAGE AND REDUCE TO JUST BELOW.

100 IF (Z = C(4)) 104,103,101
101 IF (Z = (C(4)+1.E-7)) 103,103,102
102 CALL TTRACE(6H X,C(1)+Z/C(2),6H ,TB,,6H3TERPD)
103 Z = .99999998 * C(4)
GO TO 20

104 Q = F = 1,0 234 0080
YMI = T(4) 234 0081
Y0 = T(4) + .5*T(5) + .25*T(6) 234 0082
Y1 = T(7) 234 0083
Y2 = 3.*Y1 = 3.*Y0 + YMI 234 0084
GO TO 50 234 0085

END

**FTN,L,A,P,E,G.
SUBROUTINE SYSDES

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C

.....ABSTRACT.....

C

C WHEN REPETITIVE CALCULATION OF COMPLICATED OR NONLIBRARY FUNCTIONS
C IS ANTICIPATED, USE OF AN EFFICIENT NUMERICAL APPROXIMATION IS HIGHLY
C DESIRABLE. THE SYSTEM TO BE DESCRIBED (TERP) PROVIDES A MEANS FOR
C OBTAINING SUCH AN APPROXIMATION WHEN THE USER CAN FURNISH ROUTINES
C TO CALCULATE THE FUNCTIONS HE DESIRES. THE ENTIRE SYSTEM IS AVAILABLE
C IN FORTRAN. FOR INCREASED SPEED, A MACHINE CODED VERSION OF THE
C INTERPOLATION ROUTINE IS ALSO INCLUDED FOR 7090-FORTRAN-II,
C 7090-FORTRAN-IV, CDC-1604 FORTRAN-63, AND 360-FORTRAN. USING THESE HAND
C CODED ROUTINES, THE TIME REQUIRED FOR INTERPOLATION IS 255 MICROSEC
C (IBM-7090), 107 MICROSEC (IBM-7094-II), 441 MICROSEC (CDC-1604A), AND 45
C MICROSEC (IBM-360). THE SYSTEM WORKS BY TABLE LOOK-UP AND PARABOLIC
C INTERPOLATION, AND ITS ACCURACY DEPENDS ON THE FUNCTIONS AND ON THE NUMBER OF
C STORAGE LOCATIONS ALLOCATED FOR THE TABLE. FOR EXAMPLE, THE FUNCTION ERF(X),
C 0 .LT. X .LT. 4.5, CAN BE REPRODUCED TO 0.002 PCT WITH 250 STORAGE
C LOCATIONS OR 0.00005 PCT WITH 450 LOCATIONS. THE SYSTEM CAN PRODUCE
C SYMBOLIC LANGUAGE (FAP, MAP, CODAP-2, OR 360 ASSEMBLY) DECKS FOR COMPUTING
C THE FUNCTIONS AND/OR THEIR INVERSES (BACKWARD INTERPOLATION). THESE
C THE FUNCTION VALUES MAY BE OBTAINED FROM THESE DECKS BY FORTRAN
C STATEMENTS SUCH AS Y = ERF(X), AND X = ERFBAK(Y), WHERE THE NAMES ARE
C CHOSEN BY THE USER.

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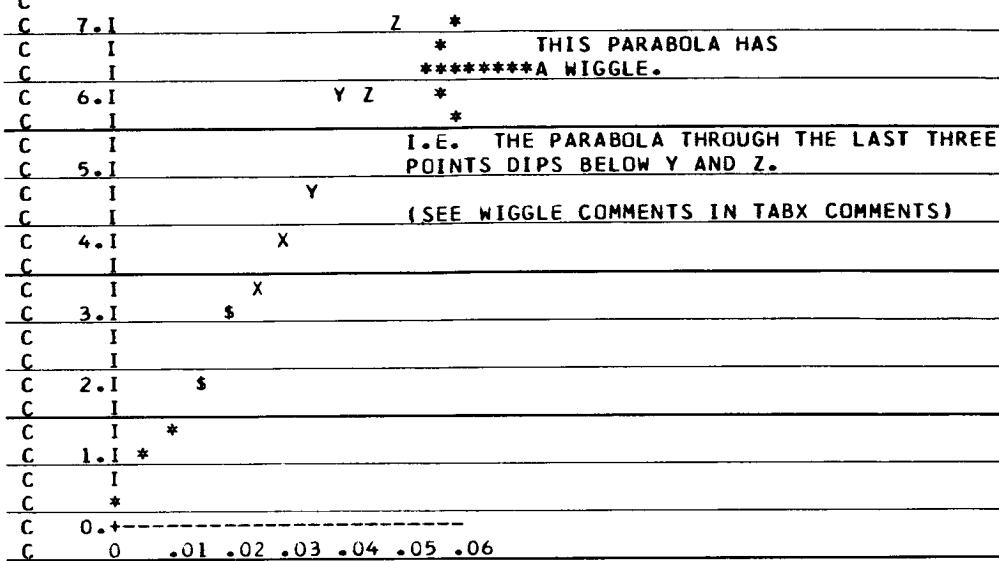
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C INTRODUCTION

C THE GRAPH BELOW SHOWS HOW THE SYSTEM WORKS.

(FIG. 1.)



C X = BTERP(X,SINTAB) RETURNS THE VALUE OF X FOR ANY VALID Y (PROVIDED
C THE FUNCTION IS SINGLE VALUED...I.E. MONOTONIC INCREASING OR DECREASING.)
C

C D = TERPD(X,SINTAB) RETURNS THE VALUE OF THE DERIVATIVE OF Y FOR ANY
C VALID X. NOTE, HOWEVER THAT THE DERIVATIVE OF A FUNCTION WHICH CONSISTS
C OF PIECEWISE PARABOLAS MAY HAVE DISCONTINUITIES AT THE JUNCTION
C OF ONE PARABOLA WITH THE NEXT. THUS TERPD USUALLY HAS LARGE ERRORS
C AND IS NOT VERY USEFUL EXCEPT FOR CALCULATIONS CONCERNING ENGINEERING.
C

C Y = TERPI(A,B,SINTAB) RETURNS THE INTEGRAL OF Y FROM A TO B.
C THE RESULT OF TERPI IS MORE ACCURATE THAN TERPT SINCE INTEGRATION
C TENDS TO INCREASE ACCURACY (JUST THE REVERSE OF DIFFERENTIATION).
C

C Y = TERP2(X,SINTAB) IS SIMILAR TO TERPT... SEE COMMENTS UNDER TERP2
C

C IHUNT AND IHUNT3 ARE FUNCTIONS WHICH ARE USED TO SEARCH AN
C ARRAY FOR THE NEAREST MATCH TO A GIVEN NUMBER. THEY ARE
C USED BY TERPU AND BTERP RESPECTIVELY.
C

C TERPU IS AN AUXILLIARY ROUTINE WHICH IS USED WHEN CONSTRUCTING
C TABLES FROM DATA OBTAINED FROM GRAPHS OF TABLES WHICH MAY NOT
C BE REGULARLY SPACED.
C

C TTRACE IS A SUBROUTINE WHICH WRITES ERROR MESSAGES FOR INVALID
C CONDITIONS. NONE OF THE ROUTINES LISTED ABOVE CONTAIN ANY I/O
C STATEMENTS, HOWEVER TTRACE DOES. THE I/O STATEMENTS IN TTRACE CONTAIN
C TAPE NUMBERS, AND WILL HAVE TO BE MODIFIED TO MATCH THE LOCAL STANDARDS.
C IN OTHER ROUTINES WHICH ARE LISTED LATER, SOME I/O OCCURS, BUT THE TAPE
C NUMBERS ARE ARGUMENTS WHICH ARE SET BY THE CALLING PROGRAMS, SO THAT
C THEY DO NOT NEED MODIFICATION. A LIST OF ERROR MESSAGES IS IN TTRACE.
C

C EQUIV IS AN AUXILLIARY ROUTINE USED BY TTRACE (SEE COMMENTS UNDER EQUIV)
C

C

C MDECK, FDECK, AND CDECK ARE ROUTINES WHICH ARE USED TO PUNCH
C THE ARRAY AND AN ASSEMBLY LANGUAGE PROGRAM WHICH MAY BE LATER
C ASSEMBLED TO GIVE A BINARY DECK OF A DESIRED FUNCTION.
C

C FAPP AND CODAP ARE AUXILLIARY ROUTINES USED BY MDECK, FDECK, AND CDECK.
C

C

C

C ***DEMONSTRATION PROGRAM***
C

C FOR PURPOSE OF DEMONSTRATION, A MAIN PROGRAM IS INCLUDED WHICH
C ILLUSTRATES SOME OF THE WAYS OF USING THE TERP SYSTEM. YOU SHOULD
C REFER TO THE FORTRAN LISTING OF THE MAIN PROGRAM FOR DETAILS. THE
C FOLLOWING PROBLEMS ARE ILLUSTRATED...
C

C 1 SET UP A TABLE OF LOG10(X) AND CHECK ACCURACY USING EVEN SPACING OF X.
C

C 2 SET UP A TABLE FOR EXP10(X) AND USE TO OBTAIN LOG10(X) BY BACK
C INTERPOLATION. NOTE THAT FOR THE SAME TABLE LENGTH OF 100 WORDS,
C THE BACK INTERPOLATION IS MORE ACCURATE.
C

C NOTE THAT THE LOG FUNCTION IS A DIFFICULT ONE TO INTERPOLATE OVER
C A WIDE RANGE BECAUSE OF THE SINGULARITY AT X = 0.
C IN PRACTICE, ONE WOULD INTERPOLATE OVER JUST ONE OCTAVE INSTEAD OF
C OVER THREE DECADES AS IN THIS EXAMPLE.
C

C 3 SET UP A TABLE OF LOG10(X) USING UNEVEN SPACING FOR X.

C BY CLEVER CHOICE OF THE X SPACING, WE HAVE RECTIFIED THE FUNCTION.
C AND WOULD OBTAIN A PERFECT FIT WITH JUST ONE PARABOLA.

C 4 SET UP TABLE OF SIN(X) AND CHECK ACCURACY.

C 5 SAME AS ABOVE, EXPECT USE TERP2 FOR INTERPOLATION. NOTE THAT
C THE ACCURACY IS CONSIDERABLY BETTER THAN TERPT AT THE EXPENSE OF A
C SLOWER ROUTINE (SEE COMMENTS UNDER TERP2).

C 6 DEMONSTRATE THE BACKWARD INTERPOLATION OF SIN (I.E. ARCSIN)

C 7 CALCULATE 100,000 SINES TO DEMONSTRATE SPEED

C 8 ILLUSTRATE HOW A TABLE OF VALUES CAN BE READ IN AND A TABLE
C SET UP. IN THIS CASE, WE READ IN THE RANGE-ENERGY RELATIONS
C FOR PROTONS ON ALUMINUM FROM RICH AND MADEY (UCRL - 2301).
C THE TABLE IS SET UP FOR LOG-LOG INTERPOLATION.

C 9 ILLUSTRATE THE USE OF THE TABLE FOR RANGE AND DE/DR. NOTE
C THAT THE DERIVATIVE CALCULATION IS PROBABLY AS ACCURATE AS THE
C EXPERIMENTAL DATA. NOTE THAT THERE IS AN INTENTIONAL TYPOGRAPHICAL
C ERROR IN THE INPUT DATA AT 80. MEV. THIS ERROR CAUSES A WIGGLE
C WARNING MESSAGE.

C THE WIGGLE IS SUCH AN OUTSTANDING PROBLEM THAT THERE IS A SPECIAL
C SECTION GIVEN TO IT.

C 10 NOTE THAT THERE IS AN ADDITIONAL ERROR WARNING MESSAGE
C IN SETTING UP THE TABLE WITH TERPU, A VALUE OF X WAS USED
C OUTSIDE THE RANGE OF THE DATA.

C 11 ILLUSTRATE THE USE OF MDECK, FDECK, AND CDECK TO GENERATE
C AN ASSEMBLY LANGUAGE DECK.

C NOTE THAT OUR DEMONSTRATION PROGRAM USES A SUBROUTINE TYME
C TO TIME THE SPEED OF TERPT. FOR COMPLETENESS, WE LIST THREE
C DIFFERENT VERSIONS OF TYME APPROPRIATE FOR OUR LOCAL MACHINES.
C THE 1604 VERSION OF TYME AND KLOCK WILL WORK ON ANY 1604 COMPUTER
C WITH ANY SOFTWARE.
C THE 7090 (FORTRAN-2) VERSION OF TYME, STOP AND WIND WILL WORK ON
C ANY 7090 WHICH IS FORTRAN-2 ADAPTED.
C THE 7090 (FORTRAN-4) VERSION OF TYME AND TAD WILL ONLY WORK AT
C THE COMPUTER CENTER AT K-25 (OAK RIDGE, TENNESSEE).

C ***LANGUAGE COMPATIBILITY PROBLEMS***

C THE CORE OF THE SYSTEM... ROUTINES TABSET, TABX, TERPT, BTERP,
C IHUNT, IHUNT3, AND TERPI ARE WRITTEN IN BASIC FORTRAN AND ARE
C COMPATIBLE WITH NEARLY ALL FORTRANS WITH ONE EXCEPTION. THE
C FUNCTION SQRTF OCCURS IN BTERP WHICH MUST BE SQRT IN FORTRAN-IV.
C WHEN ONE SEES THE STATEMENTS (THIS IS WRITTEN IN FORTRAN-2. THIS IS
C WRITTEN IN FORTRAN-4.), ONE SHOULD BE AWARE THAT ALL THE FORTRAN-2
C OR FORTRAN-4 ROUTINES USED IN THIS SYSTEM ARE FORTRAN-63 ADAPTABLE.

C THERE ARE ALSO HAND CODED VERSIONS OF TERPT FOR THE 7090-FORTRAN II,
C 7090-FORTRAN IV, AND 1604-FORTRAN 63. THESE, OF COURSE,
C ARE SPECIAL TO THE MACHINE. AT PRESENT, THEY DO NOT DO ANY ERROR
C CHECKING, SO THAT ONE SHOULD FIRST CHECK HIS PROGRAM WITH THE

C COMPATIBLE FORTRAN TERPT, BEFORE USING THE HAND CODED VERSION.
C EVENTUALLY WE PLAN TO ADD ERROR CHECKING TO THE HAND CODED VERSION.

C

C

C ***ACKNOWLEDGEMENT***

C

C THE TERP SYSTEM EVOLVED OVER A LONG PERIOD OF TRIAL AND REVISION.
C THE FIRST VERSION OF TERPT AND BTERP WAS WRITTEN BY DIXON BOGERT IN 1962.
C MANY BUGS WERE DISCOVERED BY USERS WHO VOLUNTEERED TO USE THE
C EARLY SYSTEMS. IN PARTICULAR, WE ARE INDEBTED TO JOHN WACHTER
C AND BOB PEELLE FOR FINDING MANY PROBLEMS AND MAKING SUGGESTIONS.

RETURN

END

C DEMONSTRATION OF THE USE OF INTERPOLATIVE ROUTINES
C THIS IS THE FORTRAN-4 VERSION OF MAIN.
C
DIMENSION TLOG1(103),TLOG2(100),TSIN(100),TSINB(103)
DIMENSION RANGE(106),E(40),R(40)
C
C THESE TAPE NUMBERS MUST BE CHANGED FOR YOUR NEEDS.
NIN=50
NOU=51
NPP=52
C
C SET UP TABLE TLOG1 OF LOG10(X) WITH DIMENSION (100),
C LETTING X VALUES RANGE FROM .01 TO 10.
C
CALL TABSET(.01,10.,100,K,TLOG1)
X=.01
DO 5 I=1,K
Y=ALOG(X)/2.302585093
5 CALL TABX(X,Y,I,TLOG1)
C
C TABLE IS NOW COMPLETED
C
X1=.0005
WRITE(NOUE,900)
WRITE(NOUE,901)
DO 10 I=1,3
X1=10.*X1
XX=X1
DO 10 J=1,4
XX=2.*XX
C
C INTERPOLATE IN TABLE FOR LOG10(XX)
C
C
YY=TERPT(XX,TLOG1)
Y=ALOG(XX)/2.302585093
DY=Y-YY
10 WRITE(NOUE,902)XX,Y,YY,DY
XX=10.
YY=TERPT(XX,TLOG1)
Y=ALOG(XX)/2.302585093
DY=Y-YY
WRITE(NOUE,902)XX,Y,YY,DY
C
C SET UP TABLE OF EXP10(X)
C
CALL TABSET(-2.,1.,103,K,TLOG1)
X=-2.
DO 12 I=1,K
Y=10.**X
12 CALL TABX(X,Y,I,TLOG1)
C
X1=.0005
WRITE(NOUE,922)
WRITE(NOUE,923)
DO 15 I=1,3
X1=10.*X1

```
X=X1
DO 15 J=1,4
X=2.*XX
C
C   INTERPOLATE BACKWARDS IN TABLE FOR LOG10(XX)
C
YY=TERP(XX,TL0G1)
C
Y=ALOG(XX)/2.302585093
DY=Y-YY
15 WRITE(NOU,902)XX,Y,YY,DY
XX=10.
YY=BTERP(XX,TL0G1)
Y=ALOG(XX)/2.302585043
DY=Y-YY
WRITE(NOU,902)XX,Y,YY,DY
C
C   SET UP TABLE OF LOG10(X) USING LOG SPACING FOR ABSISSA
C
CALL TABSET(ALOG(.01),ALOG(10.),100,K,TL0G2)
X=ALOG(.01)
DO 20 I=1,K
X=EXP(X)
Y=ALOG(X)/2.302585093
20 CALL TABX(X,Y,I,TL0G2)
C
X1=.0005
WRITE(NOU,903)
WRITE(NOU,901)
DO 30 I=1,3
X1=10.*X1
XX=X1
DO 30 J=1,4
XX=2.*XX
C
C   ENTER TABLE WITH LOG(XX), INTERPOLATE FOR LOG10(XX)
C
X2=ALOG(XX)
YY=TERPT(X2,TL0G2)
C
Y=ALOG(XX)/2.302585093
DY=Y-YY
30 WRITE(NOU,902)XX,Y,YY,DY
XX=10.
X2=ALOG(10.)
YY=TERPT(X2,TL0G2)
Y=ALOG(XX)/2.302585093
DY=Y-YY
WRITE(NOU,902)XX,Y,YY,DY
C
C   SET UP TABLE OF SIN(X)
C
CALL TABSET(0.,1.7,100,K,TSIN)
X=0.
DO 35 I=1,K
Y=SIN(X)
35 CALL TABX(X,Y,I,TSIN)
C
XX=-.1
WRITE(NOU,904)
```

```
      WRITE(NOU,905)
      DO 45 I=1,18
      XX=XX+.1
C
C      INTERPOLATE FOR SIN(XX)
C
      YY=TERPT(XX,TSIN)
C
      Y=SIN(XX)
      DY=Y-YY
      40 WRITE(NOU,902)XX,Y,YY,DY
      XX=-.1
      WRITE(NOU,904)
      WRITE(NOU,911)
      DO 45 I=1,18
      XX=XX+.1
C
C      INTERPOLATE FOR SIN(XX) USING AVERAGE OF TWO PARABOLAS
C
      YY=TERP2(XX,TSIN)
C
      Y=SIN(XX)
      DY=Y-YY
      45 WRITE(NOU,902)XX,Y,YY,DY
C
C      SET UP MONOTONIC INCREASING TABLE OF SIN(X)
C
      CALL TABSET(0.,1.5,103,K,TSINB)
      X=0.
      DO 48 I=1,K
      Y=SIN(X)
      48 CALL TABX(X,Y,I,TSINB)
      WRITE(NOU,906)
      WRITE(NOU,907)
      XX=-.1
      DO 50 I=1,16
      XX=XX+.1
C
C      INTERPOLATE BACKWARDS FOR X FROM SIN(X)
C
      Y=SIN(XX)
      X=BTERP(Y,TSINB)
C
      DX=X-XX
      50 WRITE(NOU,908)Y,XX,X,DX
      WRITE(NOU,906)
      XX=-.1
      WRITE(NOU,912)
      DO 55 I=1,16
      XX=XX+.1
C
C      INTERPOLATE BACKWARDS FOR X FROM INTERPOLATED SIN(X)
C
      YY=TERPT(XX,TSINB)
      X=BTERP(Y,TSINB)
C
      DX=X-XX
      55 WRITE(NOU,908)Y,XX,X,DX
      WRITE(NOU,909)
      WRITE(NOU,910)
```

```
X=-.1
DO 60 I=1,18
X=X+.1
Y=COS(X)
C
C      CALCULATE INTEGRAL OF SIN(X) FROM X TO PI/2
C
YY=TERPI(X,1.57079635,TSIN)
C
DY=Y-YY
60 WRITE(NUU,902)X,Y,YY,DY
X=0.
DO 65 I=1,100
65 TSINB(I)=X+.016
WRITE(NUU,913)
C
C      INTERPOLATE 100,000 SINES TO DEMONSTRATE SPEED
C
CALL TYME(0,NUU)
DO 70 I=1,100
DO 70 J=1,1000
70 Y=TERPT(TSINB(I),TSIN)
WRITE(NUU,914)
CALL TYME(1,NUU)
C
C      READ IN ENERGY-RANGE TABLE AND CONVERT TO LOG
C
READ(NIN,915)E(I),R(I),I=1,39
WRITE(NUU,921)
DO 90 I=1,39
WRITE(NUU,915)E(I),R(I)
F(I)=ALOG(E(I))
90 R(I)=ALOG(R(I))
C
C      SET UP LOG-LOG ENERGY-RANGE TABLE USING TERPU INTERPOLATION
C      TO FIND THE COORDINATES FOR EQUALLY SPACED ABSCISSA VALUES
C
CALL TABSET(ALOG(1.),ALOG(1000.),105,K,RANGE)
X=ALOG(1.)
DO 85 I=1,K
Y=TERPU(X,E,R,RANGE)
85 CALL TABX(X,Y,I,RANGE)
C
WRITE(NUU,916)
WRITE(NUU,917)
X=.5
XX=.25
DO 95 I=1,10
XX=2.*XX
DO 95 J=1,5
X=X+XX
95 T(1000.-X)100,90,90
C
C      ENTER TABLE WITH LOG(ENERGY), INTERPOLATE FOR LOG(RANGE),
C      AND TAKE ANTI-LOG TO GET RANGE
C
90 XZ=ALOG(X)
Y=EXP(TERPT(XZ,RANGE))
C
C      CALCULATE DLNS(R)/DLGE(L) FROM TABLE AND CONVERT TO DE/DR
```

```
C      DEDR=X/(Y*TERPD(X,Z,RANGE))
C
95 WRITE(NUO,918)X,Y,DEDR
100 WRITE(NUO,920)
C      PUNCH OUT LOG-LOG ENERGY-RANGE TABLE COEFFICIENTS FOR
C      INCORPORATION INTO A FAP SUBROUTINE
C
CALL SYS360(4HBRNG,RANGE,NPP)
CALL EXIT
900 FORMAT(55H1      CALCULATE LOG10(.01,10.) N=100      )
901 FORMAT(55H0      X      LOG(X)      TERPT(X)      ERROR      )
902 FORMAT(F12.2,3F12.7)
903 FORMAT(55H2      LOG10(.01,10.) USING UNEQUAL SPACING N=100      )
904 FORMAT(55H2      CALCULATE SIN(0.,1.7) N=100      )
905 FORMAT(55H0      X      SIN(X)      TERPT(X)      ERROR      )
906 FORMAT(55H2      INTERPOLATE SIN(0.,1.5) BACKWARDS N=100      )
907 FORMAT(55H0      Y=SIN(X)      X      BTERP(Y)      ERROR      )
908 FORMAT(F15.7,F7.2,2F12.7)
909 FORMAT(55H2      CALCULATE INTEGRAL OF SIN(X,PI/2.) N=100      )
910 FORMAT(55H0      X      INTEGRAL      TERPI      ERROR      )
911 FORMAT(55H0      X      SIN(X)      TERP2(X)      ERROR      )
912 FORMAT(55H0      Y=TERPT(X)      X      BTERP(Y)      ERROR      )
913 FORMAT(55H2      DEMONSTRATE SPEED OF SUBROUTINE TERPT      )
914 FORMAT(55H0      TERPT HAS CALCULATED 100000 SINES      )
915 FORMAT(F18.2,F23.5)
916 FORMAT(55H2      LOG-LOG INTERPOLATION OF PROTON RANGES IN AL      )
917 FORMAT(55H0      ENERGY      RANGE      DE/DR      )
918 FORMAT(11XF6.1,2(4XF7.3))
919 FORMAT(80X,E20.8)
920 FORMAT(1H0)
921 FORMAT(1:12,12X,6HENERGY,15X5HRANGE)
922 FORMAT(55H2      CALCULATE LOGIC FROM EXPONENTIAL N=100      )
923 FORMAT(55H0      Y      LOG(Y)      BTERP(Y)      ERROR      )
END
```

```
SUBROUTINE TABSET(XLO,XUP,N,K,TB08)
C
C      N=DIMENSION OF ARRAY
C      K=NUMBER OF POINTS USED IN GENERATING TABLE( THE RELATIONSHIPS BETWEEN
C      K AND N ARE THE FOLLOWING.)
C      NUMBER OF PARABOLA = (N-7)/3
C      K=2*(NUMBER OF PARABOLAS)+1
C      K=2*(N-7)/3+1
C      IF ONE WISHES TO USE EXACTLY K DATA POINTS IN GENERATING THE TABLE, T,
C      THE DIMENSION ,N, MUST BE = (3/2)*K+11/2 OR (3/2)*K+13/2 OR (3/2)*K+15/2
C      I.E. IF N = 154 OR 155 OR 156
C      NUMBER OF PARABOLAS = (N-7)/3 = 49
C      NUMBER OF POINTS USED IN GENERATING TABLE ,K, = 99
C      THE REVERSE IS TRUE( IF ONE HAS 99 DATA POINTS THEN THE DIMENSION OF ,T,
C      IS = (3/2)*K+11/2 OR (3/2)*K+13/2 OR (3/2)*K+15/2 = 154 OR 155 OR 156.)
C      XLO=SMALLEST VALUE OF X
C      XUP=LARGEST VALUE OF X
C      TB08=NAME OF ARRAY ONE USES
C
C      1ST ENTRY T(1,1) = XLO
C      2ND ENTRY T(2,1) = 1./XDEL XDEL IS THE SPACING BETWEEN PARABOLAS
C      XDEL/2. IS THE SPACING BETWEEN POINTS
C      3RD ENTRY T(3,1) = XUP
C      4TH ENTRY T(1,2) = NUMBER OF PARABOLAS OR (NUMBER OF PANELS)
C      5TH ENTRY T(2,2) = TONIC I.E. -1. IF DECREASING, +1. IF INCREASING,
C                           0 IF NOT MONOTONIC, TONIC IS SET IN TABX.
C      6TH ENTRY T(3,2) = EXTRA SPACE AVAILABLE TO ONE WHO WISHES TO USE IT.
C
C      DIMENSTION TB08(3,777)
NPARAB=(N-7)/3
A=NPARAB
TB08(1,1)=XLO
TB08(2,1)=A/(XUP-XLO)
TB08(3,1)=XUP
TB08(1,2)=NPARAB
TB08(2,2)=0.
TB08(3,2)=0.0
K=2*NPARAB+1
RETURN
END
```

SUBROUTINE TABX (X,Y,I,T)

C Y IS THE VALUE OF THE FUNCTION AT THE ITH VALUE OF X.
C I IS THE RUNNING INDEX FOR THE ITH VALUE OF X AND Y.
C TABX COMPUTES THE VALUE OF THE I+1TH VALUE OF X WHICH
C THE CALLING PROGRAM MAY USE TO GET THE NEXT VALUE OF Y.
C T IS THE NAME OF THE TABLE WHICH IS BEING GENERATED.

C ON THE FIRST CALL TO TABX, THE A COEFFICIENT OF THE FIRST PARABOLA IS
C SET. I.E. TABLE(1,3) IS SET TO Y.

C ON THE SECOND CALL TO TABX, THE VALUE OF Y, WHICH IS THE MIDPOINT
C OF A PARABOLA, IS TEMPORARILY STORED IN TABLE(2,3) AND NO FURTHER
C COEFFICIENT CALCULATION IS DONE.

C ON THE THIRD CALL TO TABX, THE B AND C COEFFICIENTS OF THE FIRST
C PARABOLA ARE COMPUTED AND STORED IN TABLE(2,3) AND TABLE(3,3). THE
C MONOTONOUSNESS AND WIGGLES ARE CHECKED, AND ERROR MESSAGES ISSUED
C IF APPROPRIATE. THEN THE A COEFFICIENT OF THE NEXT PARABOLA IS SET.
C I.E. TABLE(1,4) IS SET TO Y.

C THE PROCEDURE OF THE SECOND AND THIRD CALL ARE THEN REPEATED
C UNTIL ALL THE COEFFICIENTS HAVE BEEN GENERATED. AT THE CONCLUSION
C THE A,B,AND C COEFFICIENTS WILL HAVE BEEN GENERATED FOR NPARABS,
C AND THE A COEFFICIENT ONLY GENERATED FOR THE LAST.

WIGGLE

C WIGGLES ARE A PECULIARITY OF THE TERP SYSTEM WHICH HAVE CAUSED
C MORE TROUBLE THAN ANYTHING ELSE. INDEED, IT IS HARD TO CONCEIVE
C OF ANY INTERPOLATION SYSTEM WHICH IS FREE FROM WIGGLE PROBLEMS.
C A WIGGLE IS DEFINED AS A CHANGE IN THE SIGN OF THE SLOPE WITHIN A
C PARABOLA I.E. THE LAST PARABOLA IN FIG. 1. WOULD HAVE A WIGGLE.
C SOMETIMES THE WIGGLES ARE DUE TO A POOR CHOICE IN SETTING UP THE
C TABLE OR A BAD POINT IN THE INPUT DATA. SOMETIMES THE WIGGLES ARE
C PERFECTLY LEGITIMATE AND ARE HARD TO REMOVE. SOME CASES THAT MAY
C RESULT IN WIGGLES ARE...

C WHEN A FUNCTION IS GENERALLY MONOTONIC, BUT TWO ADJACENT POINTS ARE
C EQUAL. THE ONLY WAY TO PUT A SMOOTH CURVE THROUGH THE TWO EQUAL POINTS IS
C TO HAVE A WIGGLE.

C WHEN ONE HAS A FUNCTION THAT IS DECREASING. IF THE DECREASE
C BECOMES TOO RAPID, THEN A WIGGLE IS LIKELY. FOR EXAMPLE, IN SETTING
C UP A TABLE OF THE GAUSSIAN FUNCTION, A WIGGLE IS LIKELY TO OCCUR
C FOR A VALUE OF X ABOUT 4 TO 6 STANDARD DEVIATIONS, UNLESS THE WIDTH
C OF THE PARABOLAS (XDEL) IS TAKEN VERY SMALL.

C THE EFFECT OF WIGGLES ON THE ACCURACY OF INTERPOLATION IS NOT AS
C SERIOUS AS SOME OF THEIR MORE SUTLE CONSEQUENCES. FOR EXAMPLE, IF ONE
C SETS UP A TABLE FOR THE GAUSSIAN FUNCTION, ALL THE INPUT POINTS
C WILL BE POSITIVE, BUT IT IS POSSIBLE THAT SOME PARABOLA MAY
C GO NEGATIVE DUE TO A WIGGLE. IF THE PROGRAM EXPECTS POSITIVE VALUES
C FOR ALL X, THEN ONE MAY GET AN ERROR FOR THE SQRT OF A NEGATIVE NUMBER,
C ETC. FUTHERMORE, WHEN ONE INTERGRATES A POSITIVE FUNCTION FROM 0 TO C,
C ONE EXPECTS TO GET A MONOTONIC INCREASING FUNCTION. BUT DUE TO A WIGGLE
C THE RESULT MAY NOT BE STRICTLY INCREASING, SO THAT IF ONE TRIES TO

FUNCTION TERPU(X,XX,Y,N)

C UNEQUAL INTERVAL PARABOLA INTERPOLATION.
C FUNCTION TERPU INTERPOLATES BETWEEN THREE POINTS WITH A PARABOLA,
C AND RETURNS THE VALUE FOR A SPECIFIED VALUE X.
C
C N = THE NUMBER OF POINTS IN THE ARRAYS Y AND XX.
C
C X = VALUE AT WHICH INTERPOLATION IS TO BE DONE.
C
C Y IS THE ARRAY WHICH CONTAINS THE POINTS WHICH ONE WANTS TO INTERPOLATE
C BETWEEN. THEY MUST BE IN INCREASING ORDER.
C
C XX IS THE ARRAY WHICH CONTAINS THE X COORDINATES OF THE POINTS IN
C THE Y ARRAY. THEY MUST BE EITHER STRICTLY INCREASING OR DECREASING.
C OTHERWISE A MESSAGE WILL BE ISSUED FROM IHUNT.
C
C THIS ROUTINE IS AN AUXILLIARY ROUTINE WHICH HAS NOTHING TO DO
C WITH THE SETTING UP OF PARABOLAS BY THE TERP SYSTEM. ONE USES IT
C IF ONE HAS SOME DATA AT UNEVENLY SPACED VALUES OF X, AND WISHES TO
C CONVERT THIS DATA INTO EQUALLY SPACED DATA FOR USE IN SETTING UP
C THE REGULAR TABLES.
C
DIMENSION XX(777),Y(777)
I=IHUNT(XX,N,X)
IF(I)10,10,20
C
C THE FOLLOWING TTRACE ISSUES AN ERROR MESSAGE IF THE VALUE X IS NOT
C WITHIN THE LIMITS OF THE XX ARRAY.
C
10 IF(X-0.9999*XX(1))18,11,11
11 IF(X-1.0001*XX(N))19,19,18
18 CALL TTRACE(4H X,X,4HN IN,4HTRPU)
19 IF(X-XX(1))30,30,40
30 TERPU=Y(1)
RETURN
40 TERPU=Y(N)
RETURN
20 IF(I-(N-1))21,22,22
21 I=I
GO TO 23
22 I=N-1
23 IF(I-2)24,25,25
24 I=2
GO TO 26
25 I=I
C
C THE FOLLOWING FORMULA IS THE STANDARD LAGRANGIAN INTERPOLATION
C FORMULA FOR INTERPOLATING BETWEEN THREE POINTS BY MEANS OF A PARABOLA.
C
26 TERPU=Y(I-1)*(X-XX(I-1))*(X-XX(I+1))/(XX(I-1)-XX(I-1))/
1(XX(I-1)-XX(I+1))
2 +Y(I)*((X-XX(I-1))*(X-XX(I+1))/(XX(I-1)-XX(I-1))/
3(XX(I-1)-XX(I+1))
4 +Y(I+1)*(X-XX(I-1))*(X-XX(I-1))/(XX(I+1)-XX(I-1))/
5(XX(I+1)-XX(I-1))
RETURN
END

C USE ATERP ON THE RESULTANT FUNCTION, ONE WILL OBTAIN A .NOT. MONOTONIC
C ERROR MESSAGE.

C IN ORDER TO COMBAT WIGGLES, TABX MAKES A CHECK FOR WIGGLES AND ISSUES
C A WARNING MESSAGE. IF YOU GET WIGGLE WARNING, YOU SHOULD CHECK TO SEE
C IF ANY DISASTEROUS CONSEQUENCES WILL RESULT.

C 1ST ENTRY T(1,1) = XLO
C 2ND ENTRY T(2,1) = 1./XDEL XDEL IS THE SPACING BETWEEN PARABOLAS
C XDEL/2. IS THE SPACING BETWEEN POINTS
C 3RD ENTRY T(3,1) = XUP
C 4TH ENTRY T(1,2) = NUMBER OF PARABOLAS OR (NUMBER OF PANELS)
C 5TH ENTRY T(2,2) = TONIC I.F. -1. IF DECREASING, +1. IF INCREASING,
C 0 IF NOT MONOTONIC, TONIC IS SET IN TABX.
C 6TH ENTRY T(3,2) = EXTRA SPACE AVAILABLE TO ONE WHO WISHES TO USE IT.

C CONCRETE EXAMPLE OF COEFFICIENT CALCULATION IN COMMENTS OF TERPT.
C

DIMENSION T(3,777)

1 IF(I=1)2,1,2

2 IF(I=2*(1/2))20,10,20

1 T(1,3)=Y

CHECK = 1.0

GO TO 88

10 K=(I+1)/2+2

T(2,K)=Y

TONIC = T(2,2)

GO TO 88

20 J=I/2+2

H2=Y

H0=T(1,J)

H1=T(2,J)

T(2,J)=4.0*(H1-H0)-H2+H0

T(3,J)=H2-H0-T(2,J)

T(1,J+1)=H2

1F(CHECK)24,79,24

24 IF(H1-H0)25,30,40

30 IF(H2-H1)31,79,32

31 IF(TONIC)79,25,36

32 IF(TONIC)36,41,79

25 IF(TONIC)27,26,36

26 T(2,2) = -1.0

27 IF(H2-H1)79,79,36

40 IF(TONIC)36,41,42

41 T(2,2) = +1.0

42 IF(H2-H1)36,79,79

79 DY0=T(2,J)

DY1=T(2,J)+2.*T(3,J)

IF(DY0)80,88,82

80 IF(DY1)88,83,86

82 IF(DY1)86,88,88

86 CALL TTTRACE(4HXVAL,X,4HWTGL,4HTABX)

GO TO 88

36 T(2,2)=0.0

CHECK = 0.0

88 A=I

X=T(1,1)+A/T(2,1)/2.

101 RETURN

END

FUNCTION TERPT (X,T)

C

C GRAPH SHOWING TYPICAL PARABOLA USED IN TERP SYSTEM

C 2-I *

C I

C I

C I

C I

C 1-I *

C I

C I

C I

C .166-*

C C-I

C -----

C 0 .5 1.0

C

C IN THIS CASE ZERO TO ONE MIGHT BE EQUAL TO THE INTERVAL ONE-HUNDRETH.

C THIS DOES NOT MATTER SINCE THE COEFFICIENTS ARE CALCULATED WITH

C THIS INTERVAL EVERY TIME.

C WHEN ONE ASKS FOR A VALUE OF X THE PROGRAM ACTUALLY USES THIS TO

C FIND WHERE THE COEFFICIENTS ARE STORED.

C

C FIND THE VALUE OF Y AT X = .005 WHICH IS 1/2 OF XDEL.

C FORMULAS FROM TABX CALCULATE THE COEFFICIENTS.

C H0 = .1666

C H1 = 1.0

C H2 = 2.0

C A = .1666

C B = 1.5

C C = .3333

C A, B, AND C CORRESPOND TO THE FORMULA $Y = A + B * X + C * X^2$.

C USING XDEL = .01 AND XLO = 0.0 WE STEP THROUGH THE PROGRAM.

C Z = .005 - 0./.01 = .5

C .5 SATISFIES THE CONDITIONS OF THE TWO IF STATEMENTS SO WE CONTINUE.

C I = Z 0=.5

C A = I 0 = C

C F = 7-A .5 = .5-0.

C II = 3*I C = 3*0

C TERPT = T(II+7)+F*(T(II+8)+F*T(II+9))

C SINCE II = 0 WE HAVE THE 7TH, 8TH, AND 9TH ELEMENTS OF THE ARRAY TABR.

C THEREFORE A, B, AND C CORRESPOND TO OURS.

C TERPT = .1666 + 1.5 * .5 + .3333 * (.5) * .5 * .5 = 1.0 WHAT DO YOU KNOW THAT IS OUR

C ANSWER, AND THAT IS RIGHT, IF THE GRAPH IS .

C

C IF X IS OUTSIDE THE LIMITS (XLO,XUPI) THEN AN ERROR IS GIVEN.

C

C 1ST ENTRY T(1,1) = XLO

C 2ND ENTRY T(2,1) = 1./XDEL XDEL IS THE SPACING BETWEEN PARABOLAS

C XDEL/2. IS THE SPACING BETWEEN POINTS

C 3RD ENTRY T(3,1) = XUP

C 4TH ENTRY T(1,2) = NUMBER OF PARABOLAS OR (NUMBER OF PANELS)

C 5TH ENTRY T(2,2) = TONIC I.E. -1. IF DECREASING, +1. IF INCREASING,

C 0 IF NOT MONOTONIC, TONIC IS SET IN TABX.

C 6TH ENTRY T(3,2) = EXTRA SPACE AVAILABLE TO ONE WHO WISHES TO USE IT.

C

```
DIMENSION T(777)
7 = (X-T(1))*T(2)
1F (Z)      1C0,1C,1C
1C IF (Z - T(4))    20,112,110
2C I = Z
4=I
F=Z-A
24 II = 3*I
3C TEPPT = T(II+7)+F*(T(II+8)+F*T(II+9))
RETURN
1C IF (Z - (-1.E-6))  1C1,1C1,102
1C1 CALL TTRACE(4H X,X,4H.TS.,4HTRPT)
1C2 7 = 0.0
GO TO 20
1C IF (Z - (T(4)+1.F-6))  112,112,111
1C1 CALL TTRACE(4H X,X,4H.TB.,4HTRPT)
1C2 I = 7-1.
F = 1.
GO TO 24
END
```

FUNCTION TERPD (X,T)

```
C C      TERPD CALCULATES THE DERIVATIVE OF THE PARABOLA AT THE SPECIFIED VALUE
C      OF X.
C      X IS THE VALUE AT WHICH ONE WISHES THE DERIVATIVE.
C      T IS THE NAME OF THE ARRAY ONE USES.
C
C      Y = A+B*X+C*X**2, THEREFORE
C      DY/DX = B+2*C*X.
C
C      1ST ENTRY T(1,1) = XLO
C      2ND ENTRY T(2,1) = 1./XDEL   XDEL IS THE SPACING BETWEEN PARABOLAS
C      XDEL/2. IS THE SPACING BETWEEN POINTS
C      3RD ENTRY T(3,1) = XUP
C      4TH ENTRY T(1,2) = NUMBER OF PARABOLAS OR (NUMBER OF PANELS)
C      5TH ENTRY T(2,2) = TONIC  I.F. -1. IF DECREASING, +1. IF INCREASING,
C                               0 IF NOT MONOTONIC, TONIC IS SET IN TABX.
C      6TH ENTRY T(3,2) = EXTRA SPACE AVAILABLE TO ONE WHO WISHES TO USE IT.
C
C      DIMENSION T(777)
C      Z = (X-T(1))*T(2)
C      IF (Z)      100,10,10
C      10 IF (Z - T(4))    20,112,110
C      20 I = Z
C      A=I
C      F=Z-A
C      24 II = 3*I
C      30 TERPD =(T(II+9)+2.0*T(II+9)*F)*T(2)
C      RETURN
C
C      THIS SECTION IS ENTERED IF THE VALUE OF X IS OUTSIDE THE
C      INTERVAL FROM XLO TO XUP. IF IT IS VERY NEAR TO THE LIMITS
C      (WITHIN 1.0 E-7 OF XDEL), THEN IT IS ASSUMED TO BE EXACTLY ON THE EDGE,
C      AND THE COMPUTATION PROCEEDS.
C
C      BUT IF IT IS FURTHER FROM THE EDGES, THEN A TTRACE MESSAGE IS
C      ISSUED, AND THE VALUE AT THE NEAREST EDGE IS RETURNED.
C
C      100 IF (Z - (-1.E-6))  101,101,102
C      101 CALL TTRACE(4H X,X,4H.TS.,4HTRD)
C      102 Z = 0.0
C      GO TO 20
C      110 IF (Z - (T(4)+1.E-6))  112,112,111
C      111 CALL TTRACE(4H X,X,4H.TS.,4HTRD)
C      112 I = Z-1.
C      F = 1.
C      GO TO 24
C      END
```

FUNCTION TERPI(A,B,TBOB)

C
C A IS THE LOWER LIMIT OF INTEGRATION.
C B IS THE UPPER LIMIT OF INTEGRATION.
C TBOB IS THE ARRAY ONE USES.
C
C FIRST THE LIMITS ARE INTERCHANGED IF B .LT. A.
C THE FUNCTION TERPI INTEGRATES BETWEEN THE LIMITS A AND B.
C THE DO LOOP CALCULATES THE INTEGRAL OF ALL THE PARABOLAS INCLUDED
C BETWEEN A AND B. THEN THE FRACTIONS OF A PARABOLA AT BOTH ENDS
C (IF ANY) ARE INTEGRATED, AND TERPI RETURNS THE TOTAL INTEGRAL.
C AN ERROR MESSAGE IS ISSUED BY TTRACE IF A OR B ARE OUTSIDE THE
C INTERVAL FROM XLO TO XUP.
C
C 1ST ENTRY T(1,1) = XLO
C 2ND ENTRY T(2,1) = 1./XDEL XDEL IS THE SPACING BETWEEN PARABOLAS
C XDEL/2. IS THE SPACING BETWEEN POINTS
C 3RD ENTRY T(3,1) = XUP
C 4TH ENTRY T(1,2) = NUMBER OF PARABOLAS OR (NUMBER OF PANELS)
C 5TH ENTRY T(2,2) = TONIC I.E. -1. IF DECREASING, +1. IF INCREASING,
C 0 IF NOT MONOTONIC, TONIC IS SET IN TABX.
C 6TH ENTRY T(3,2) = EXTRA SPACE AVAILABLE TO ONE WHO WISHES TO USE IT.
C
DIMENSION TBOB(3,777)
XL=A
X(1)=
S=1.
IF(B-A)2,4,6
2 XU=A
XL=B
S=-1.
GO TO 6
4 TERPI=0.
5 GO TO 101
6 SUM=0.
Z1=1.+ (XL-TBOB(1,1))*TBOB(2,1)
Z2=1.+ (XU-TBOB(1,1))*TBOB(2,1)
I1=Z1
I2=Z2
IF(I1) 8,8,10
8 IF(XL-TBOB(1,1)+1.E-6/TBOB(2,1))9,9,11
9 CALL TTRACE(4H A,XL,4H TS.,4HTRPI)
11 /I=1..C
I1=1
1C U=I2
IF() -TBOB(1,2)-1.)20,12,12
12 IF(XU-TBOB(3,1)-1.E-6/TBOB(2,1))15,13,13
13 CALL TTRACE(4H B,XU,4H TS.,4HTRPI)
15 Z2=TBOB(1,2)+1.0
I2=Z2
20 Q=I2
IF() -Z2)30,25,100
25 I2=I2-1
30 S=I1
IF() -Z1)40,45,100
40 W=I1
Z=Z1-W
SUM= -Z*(TBOB(1,I1+2)+7*(TBOB(2,I1+2)/2.+Z*TBOB(3,I1+2)/3.))

```
45 IF(I2-I1)100,75,50
50 LOOP=I2-1
DO 60 I=1,LOOP
SUM=SUM+TB0B(3,I+2)/3.+.5*TB0B(2,I+2)+TB0B(1,I+2)
60 CONTINUE
75 RETA=I2
Z=Z2-RETA
SUM=SUM+Z*(TB0B(1,I2+2)+7*(TB0B(2,I2+2)/2.+Z*TB0B(3,I2+2)/3.))
80 TERPI=S*SUM/TB0B(2,1)
GO TO 101
100 CALL TTRACE(4H    A,XL,4HLURK,4HTRPI)
101 RETURN
END
```

FUNCTION BTERP(Y,T)

C THE FUNCTION BTERP IS USED FOR BACKWARD INTERPOLATION. THE
C SUBROUTINE IS ENTERED WITH A Y VALUE AND AN ARRAY, T. IHUNT3
C IS CALLED ON TO FIND THE PARABOLA WHICH CORRESPONDS TO THE
C EXPLICIT VALUE OF Y. THE VALUATION OF X IS PERFORMED BY ONE OF
C TWO FORMULAS. I.E. IF $4.*A*C*/B^{**2} < 0.05$ THEN THE SERIES
C EXPANSION OF $X = -(A/B)*(Z/2)*(1.-SQRT(1.-Z))$ IS USED , WHERE
C Z EQUALS $4.*A*C/B^{**2}$.
C IF $4.*A*C/B^{**2} > 0.05$ THEN THE RATIONALIZED FORM OF THE
C QUADRATIC EQUATION IS USED. I.E. $X = -2.*A/(B+/-SQRT(B^{**2}-4.*A*C))$.
C THE SIGN OF THE TERM(SQRT(B^{**2}-4.*A*C)) IS DETERMINED BY THE SIGN
C OF THE SLOPE WHICH IS GIVEN BY THE MONOTONOUSNESS OF THE DATA POINTS.
C THEREFORE TO OBTAIN THE CORRECT VALUE OF X (THERE ARE TWO ROOTS)
C WE USE THIS MODIFIED FORM OF THE EQUATION.
C I.E. $X = -2.*A/(B+TONIC*SQRT(B^{**2}-4.*A*C))$
C THE SERIES EXPANSION IS USED WHERE IT CONVERGES ($-0.05 > Y < 0.05$),
C BECAUSE IT IS FASTER.
C
C IF THE DATA POINTS ARE NOT MONOTONIC THEN BTERP WILL NOT WORK.
C
C 1ST ENTRY T(1,1) = XLO
C 2ND ENTRY T(2,1) = 1./XDEL XDEL IS THE SPACING BETWEEN PARABOLAS
C XDEL/2. IS THE SPACING BETWEEN POINTS
C 3RD ENTRY T(3,1) = XUP
C 4TH ENTRY T(1,2) = NUMBER OF PARABOLAS OR (NUMBER OF PANELS)
C 5TH ENTRY T(2,2) = TONIC I.E. -1. IF DECREASING,
C 0 IF NOT MONOTONIC, TONIC IS SET IN TABX.
C 6TH ENTRY T(3,2) = EXTRA SPACE AVAILABLE TO ONE WHO WISHES TO USE IT.
C
C DIMENSION T(3,777)
C TONIC = T(2,2)
C IF (TONIC)20,90,2C
20 NN = T(1,2)
I = IHUNT3(T(1,3),NN+1,Y)
IF(I)60,110,23
C I = NN+1 ONLY IF Y = YLAST
23 IF(I-(NN+1))40,24,110
24 IF(TONIC)25,110,26
25 BTERP = T(1,1)
GO TO 98
26 BTERP = T(3,1)
GO TO 98
C EVERYTHING OK HERE, OBTAIN A, B, AND C COEFFICIENTS, AND BACKWARD
C INTERPOLATE.
40 A = T(1,I+2)-Y
B = T(2,I+2)
C = T(3,I+2)
IF(B)45,55,45
45 Z = $4.*A*C/B^{**2}$
IF(Z^{**2}-0.0025)50,50,55
50 FRAC = $-(A/B)*(1.+Z*(.25+Z*(.125+Z*(.078125+Z*(.0546875))))$
GO TO 56
C
C THIS IS A FORTRAN FOUR FUNCTION.
C
55 FRAC = $-2.*A/(B+TONIC*SQRT(B^{**2}-4.*A*C))$
C

```
56 FIM1 = I-1
      STERP = T(1,1)+(FIM1+FRAC)/T(2,1)
      88 RETURN
C      THIS SECTION ENTERED FOR FIXING OF ERRORS.
50 YFIRST = T(1,3)
      YLAST = T(1,NN+3)
      IF(TONIC)61,110,62
51 YLO = YLAST
      YUP = YFIRST
      GO TO 63
62 YLO = YFIRST
      YUP = YLAST
63 IF(Y-YUP)94,110,100
C      IF TONIC = 0, ISSUE MESSAGE AND SET BTERP = XLO.
90 CALL TTRACE(6H TONIC,TONIC,6H.N.MON,6HBTERP )
      BTERP = T(1,1)
      GO TO 88
C
C      IF Y LESS THAN YLO, CHECK TO SEE HOW BADLY. IF BAD ISSUE MESSAGE.
C      SET BTERP = XLO(IF TONIC = +1.)
C      BTERP = XUP(IF TONIC = -1.)
C
94 IF(Y-(.999999 *YLO))95,96,96
95 CALL TTRACE(4H    Y,Y,4H.TS.,4HBTRP)
96 IF(TONIC)97,110,98
97 BTERP = T(3,1)
      GO TO 88
98 BTERP = T(1,1)
      GO TO 88
C      IF Y GREATER THAN YUP CHECK TO SEE IF Y IS CLOSE TO YUP. IF NOT ISSUE
C      MESSAGE.      SET BTERP = XLO(IF TONIC = -1.)
C      BTERP = XUP(IF TONIC = +1.)
C
100 IF(Y-(1.000001 *YUP))101,101,102
102 CALL TTRACE(4H    Y,Y,4H.TB.,4HBTRP)
101 IF(TONIC)103,110,104
103 BTERP = T(1,1)
      GO TO 88
104 BTERP = T(3,1)
      GO TO 88
C      ONE CANNOT GET HERE...WE HOPE.
110 CALL TTRACE(4H    Y,Y,4HLURK,4HBTRP)
      GO TO 88
END
```

FUNCTION IHUNT(E,N,X)

```
C E IS THE ARRAY OF N DATA POINTS, WHICH MUST BE EITHER STRICTLY
C INCREASING OR DECREASING (MONOTONIC).
C
C IHUNT SEARCHES THE ARRAY E BY BINARY SECTION IN ORDER TO FIND
C THE CLOSEST MATCH BETWEEN X AND THE VALUES IN THE ARRAY E.
C THE VALUE RETURNED IS THE POSITION IN THE ARRAY OF THE LAST
C POINT IN THE ARRAY WHICH IS SMALLER OR LARGER THAN X, DEPENDING
C UPON WHETHER THE TABLE IS MONOTONIC INCREASING OR DECREASING
C RESPECTIVELY. IHUNT IS USED BY TERPU.
C
C THIS ROUTINE COMPARES X WITH E(1),E(2),...E(N) AND RETURNS A
C VALUE FOR IHUNT
C
C IF X IS OUTSIDE THE INTERVAL FROM (E(1),E(N)), THEN IHUNT = -1.
C
DIMENSION E(777)
IF(E(N)-E(1))1,200,2
1 S=-1.
GO TO 5
2 S=1.
5 IF(S*(X-E(1)))20,30,1C
10 IF(S*(X-E(N)))40,25,20
25 IHUNT=N
GO TO 101
30 IHUNT=1
GO TO 101
40 ILO=1
IUP=N
DO 99 K=1,16
M=(ILO+IUP)/2
IF(S*(X-E(M)))50,80,6C
50 IUP=M
IF(IUP-ILO-1)100,80,99
60 ILO=M
IF(IUP-ILO-1)100,70,99
99 CONTINUE
70 IHUNT=M
GO TO 101
80 IHUNT=M-1
GO TO 101
100 CALL TTRACE(4H ARG,X,4HLURK,4HIHNT)
GO TO 20
200 CALL TTRACE(4H ELO,E(1),4H=EUP,4HIHNT)
20 IHUNT=-1
101 RETURN
END
```

FUNCTION IHUNT3(E,N,Y)

```
C F IS THE ARRAY ONE USES.
C N IS THE NUMBER OF POINTS IN THE TABLE.
C Y IS THE VALUE ON THE COORDINATE AXIS WHICH CORRESPONDS TO THE
C NUMBER OF SOME PARABOLA.
C
C IHUNT3 DOES EXACTLY THE SAME AS IHUNT, EXCEPT THAT IT LOOKS AT
C ONLY EVERY THIRD ELEMENT IN THE ARRAY STARTING WITH THE FIRST.
C THIS IS USED BY STEP3 TO SEARCH THROUGH A TABLE OF PARABOLA
C COEFFICIENTS, SINCE EVERY THIRD COEFFICIENT IS THE VALUE OF
C Y AT THE BEGINNING OF A PARABOLA. THIS LOCATES THE PARABOLA
C NUMBER WHICH CORRESPONDS TO X = A SPECIFIED VALUE OF Y.
C
C 1ST ENTRY T(1,1) = XLO
C 2ND ENTRY T(2,1) = 1.7XDEL XDEL IS THE SPACING BETWEEN PARABOLAS
C XDEL/2. IS THE SPACING BETWEEN POINTS
C 3RD ENTRY T(3,1) = XUP
C 4TH ENTRY T(1,2) = NUMBER OF PARABOLAS OR (NUMBER OF PANELS)
C 5TH ENTRY T(2,2) = TONIC I.E. -1. IF DECREASING,
C 0 IF NOT MONOTONIC, TONIC IS SET IN TABX.
C 6TH ENTRY T(3,2) = EXTRA SPACE AVAILABLE TO ONE WHO WISHES TO USE IT.
C
C DIMENSION E(3,777)
C Y = Y
C IF(E(1,N)-E(1,1))1,200,2
1 S=-1.
GU TO 5
2 S=1.
5 IF(S*(Y-E(1,1)))20,30,10
10 IF(S*(Y-E(1,N)))40,25,20
25 IHUNT3=N
GO TO 101
30 IHUNT3=1
GO TO 101
40 ILO=1
IUP=N
DO 99 K=1,16
M=(ILO+IUP)/2
IF(S*(X-E(1,M)))50,80,60
50 IUP=M
IF(IUP-ILO-1)100,80,99
60 ILO=M
IF(IUP-ILO-1)100,70,99
99 CONTINUE
70 IHUNT3=M
GO TO 101
80 IHUNT3=M-1
GO TO 101
100 CALL TTRACE(4H ARG,X,4HLURK,4HTHT3)
GO TO 20
200 CALL TTRACE(4H FLO,E(1,1),4H=FUP,4HTHT3)
20 IHUNT3=-1
101 RETURN
END
```

FUNCTION TERP2(X,TAB)

C
C Y IS THE VALUE AT WHICH ONE WANTS AN INTERPOLATED VALUE OF Y.
C TAB IS THE ARRAY ONE USES.
C
C TERP2 IS SORT OF AN ANACRONISM WHICH MAY PROVE USEFUL. IT HAS THE
C SAME PURPOSE AS TERPT, EXCEPT IT IS SOMEWHAT MORE ACCURATE AT THE
C EXPENSE OF MUCH LONGER EXECUTION TIME.
C
C IT IS BASED ON THE PRINCIPLE THAT ONE CAN DO A PARABOLIC INTERPOLATION
C BY USING TWO DIFFERENT SETS OF THREE POINTS. THUS TERP2 IN EFFECT
C DOES TWO PARABOLA INTERPOLATIONS USING EACH POSSIBLE SET, AND THEN
C RETURNS THE AVERAGE OF THE TWO. THIS SYMMETRICAL TREATMENT GIVES
C EQUAL CONSIDERATION TO EVERY DATA POINT (EXCEPT THE END ONES).
C AT THE ENDS, THE RESULT IS THE SAME AS TERPT.

C
C 1ST ENTRY T(1,1) = XLO
C 2ND ENTRY T(2,1) = 1./XDEL XDEL IS THE SPACING BETWEEN PARABOLAS
C YDEL/2. IS THE SPACING BETWEEN POINTS
C 3RD ENTRY T(3,1) = XUP
C 4TH ENTRY T(1,2) = NUMBER OF PARABOLAS OR (NUMBER OF PANELS)
C 5TH ENTRY T(2,2) = TONIC I.E. -1. IF DECREASING, +1. IF INCREASING,
C 0. IF NOT MONOTONIC, TONIC IS SET IN TABX.
C 6TH ENTRY T(3,2) = EXTRA SPACE AVAILABLE TO ONE WHO WISHES TO USE IT.
C

DIMENSION TAB(77),C(7),T(9)	234 0102
01 4 I=1,7	234 0103
4 C(I)=TAB(I)	234 0104
NPRAB=C(4)	234 0105
C(6)=TAB(3*NPRAB+7)	234 0106
Z=(X-C(1))*C(2)	234 0107
2C IT=Z	234 0108
FI=II	234 0110
F=2.0*(Z-FI)	234 0111
22 I=3*II+4	234 0109
DN 34 K = 1,9	
T(K)=TAB(I)	234 0115
34 I=I+1	234 0116
IF(Z-.5)<0,24,24	234 0112
24 IF(Z-(C(4)-.5))>0,100,100	
3C IF (F = 1.0) 2,2,3	
C POINT IS IN LEFT HALF OF PARABOLA	234 0118
C	234 0119
? Q=F	234 0120
YM1=T(1)+.5*T(2)+.25*T(3)	234 0121
Y0=T(4)	234 0122
Y1=T(4)+.5*T(5)+.25*T(6)	234 0123
Y2=T(7)	234 0124
GO TO 50	234 0125
C POINT IS IN RIGHT HALF OF PARABOLA	234 0126
C	234 0127
? Q=F-1.0	234 0128
YM1=T(4)	234 0129
Y0=T(4)+.5*T(5)+.25*T(6)	234 0130
Y1=T(7)	234 0131
Y2=T(7)+.5*T(8)+.25*T(9)	234 0132
5C TERP2 = Y0 + .25*Q*(-(YM1+Y2)-3.*Y0+5.*Y1 + Q*((YM1+Y2)-Y0-Y1))	
88 RETURN	234 0137

C THIS SECTION IS ENTERED FOR FURTHER CHECKING IF POINT NEAR EDGES	234 0059
C	234 0060
C CHECK FOR POINT... IN 1ST HALF PARABOLA OR BELOW XLO	234 0061
90 IF (Z) 91,94,95	
91 IF (Z - (-1.E-6)) 92,93,63	
92 CALL TTRACE(4H X,C(1)+Z/C(2),4H.TS.,4HTRP2)	
93 Z = 0.	
GO TO 20	
94 CONTINUE	
95 Q = F	
Y0=T(4)	234 0068
Y1=T(4)+.5*T(5)+.25*T(6)	234 0069
Y2=T(7)	234 0070
YM1 = 3.*YC - 3.*YI + Y2	234 0071
GO TO 50	234 0072
C CHECK FOR POINT... IN LAST HALF PARABOLA OR ABOVE XUP	234 0073
C IF POINT AT OR SLIGHTLY OVER UPPER EDGE, REDUCE TO JUST BELOW.	
C IF POINT TOO FAR ABOVE EDGE, ISSUE MESSAGE AND REDUCE TO JUST BELOW.	
100 IF (Z - C(4)) 104,103,101	
101 IF (Z - (C(4)+1.E-6)) 103,103,102	
102 CALL TTRACE(4H X,C(1)+Z/C(2),4H.TP.,4HTRP2)	
103 Z = .99999998 * C(4)	
GO TO 20	
104 Q = F - 1.0	
YM1 = T(4)	234 0080
Y0 = T(4) + .5*T(5) + .25*T(6)	234 0081
Y1 = T(7)	234 0082
Y2 = 3.*YI - 3.*YC + YM1	234 0083
GO TO 50	234 0084
END	234 0164

SUBROUTINE TTRACE(VAR,VAL,TYP,SUB)

C THIS IS FORTRAN FOUR VERSION OF TERP SYSTEM
C
C .TR. MEANS TOO BIG.
C .TS. MEANS TOO SMALL.
C .N.MON MEANS NOT MONOTONIC.
C LURK MEANS THE IMPOSSIBLE OCCURED IN A ROUTINE. (WE HOPE YOU NEVER
C SEE THIS MESSAGE .)
C ELO = X.XXXXE-XX = EUP MEANS THAT THE TABLE OF DATA POINTS USED
C BY IHUNT AND TERPU IS NOT MONOTONIC AND CANNOT BE USED BY TERP SYSTEM.
C .N.IN. MEANS THIS VALUE IS NOT IN THE SPECIFIED ARRAY.
C WIGGLE MEANS THAT THE SLOPE HAS CHANGED WITHIN A PARABOLA.

C
IF(KKK=15178)10,20,10
10 KKK=15178

C THIS TAPE NUMBER MUST BE CHANGED IN DIFFERENT FORTRANS.

C
NTOU=51
KOUNT1=0
KOUNT2=0
KOUNT3=0
KOUNT4=0
KOUNT5=5
CALL EQUIV(SUB1,4HTRPT)
CALL EQUIV(SUB2,4HTRP)
CALL EQUIV(SUB3,4HTRPI)

C THIS SECTION CONTROLS NUMBER OF LURKS PRINTED. MAXIMUM OF FIVE...

C
20 KOUNT5=KOUNT5+1
IF(KOUNT5=5)30,30,40
30 WRITE(NTOU,901)
WRITE(NTOU,902)
WRITE(NTOU,903)

C THIS SECTION CONTROLS NUMBER OF ERROR MESSAGES GIVEN. MAXIMUM OF
C TEN FOR TERPT, BTERP, AND TERPI. MAXIMUM OF TWENTY FOR ALL OTHER
C SUBROUTINES...

C
40 IF(SUB-SUB1)50,70,50
50 IF(SUB-SUB2)60,80,60
60 IF(SUB-SUB3)100,90,100
70 KOUNT1=KOUNT1+1
IF(KOUNT1=10)110,110,120
80 KOUNT2=KOUNT2+1
IF(KOUNT2=10)110,110,120
90 KOUNT3=KOUNT3+1
IF(KOUNT3=10)110,110,120
100 KOUNT4=KOUNT4+1
IF(KOUNT4=20)110,110,120
110 WRITE(NTOU,900)VAR,VAL,TYP,SUB
120 RETURN

C THIS IS THE ERROR MESSAGE.

C
900 F1RERAT(15H***** ERROR A4,3H = E10.3,2XA4,4H IN A4,7H *****)

C

C THIS IS THAT MONSTER LURK.

C

901 FORMAT(1H25X26HBEWARE THE LURK. ZAP. ZAP. 42X1HX/	01
-72X2HXX11X3HZAP/	02
-71X3HXXV8X3HXXX/	03
-70X4HXXVV9X2HXX/	04
-69X3HXXV10X1HX1X1HX/	05
-68X4HX XVV5X1HX3X1HX/	06
-67X3HXXV6X1HX1X1HX1X1HX)	
902 FORMAT(66X4HXXVV5Y1HX3X1HX/	
-65X3HXXV2X1HX3X1HX/	09
-64X4HXXVV1X1HX1X1HX1X1HX/	10
-50X2H001X3HXXV1X2HXX3X1HX/	11
-58X9HXXXXXXVVV/	12
-57X8HXXXXXXXXXA1X1HA1X1HA1X1HA1X1HA1X1HA1X1HA1X1HA/	13
-56X26HYY/	
903 FORMAT(19X64(1HX)/	
-18X2HXX5X1HL4X1HU2X1HU1X4HRRR1X1HK1X2HKK11X23(1HX)/	16
-17X2HXX6X1HL4X1HU2X9HU R R KK12X4HXXXX/	17
-16X?HXX7X1HL4X1HU2X9HU RRRR KK11X3HXXX/	18
-15X2HXX8X4HLLL2X13HUU R R K K8X3HXXX/	19
-14X2HXX3X40(1HX)/	20
-5X14HXXXXXXXXXXXXX4X2HXX3X2HXX11X2HXX3X2HXX/	21
-6X1?HXXXXXXXXXXXX5X9HXXXX XXXX9X4HXXXX)	22
END	

SUBROUTINE EQUIV(X,Y)

```
C EQUIV IS USED SO THAT ONE CAN DEFINE A HOLLERITH LITERAL.  
C I. E. IF ONE WISHES TO SEE IF THE WORD DENOTED BY X CONTAINS A  
C CERTAIN SIX HOLLERITH LETTERS, ONE COULD USE AN IF STATEMENT.....  
C IF (X-WORD)A,B,C  
C BUT ONE NEEDS SOME WAY OF SETTING WORD EQUAL TO THE HOLLERITH  
C INFORMATION THAT ONE WISHES TO CHECK. ONE EASY WAY IS TO READ THE  
C INFORMATION INTO WORD USING A 1A6 FORMAT.  
C HOWEVER, EQUIV OFFERS AN ALTERNATIVE WAY, BASED ON THE FACT THAT  
C NEARLY ALL FORTRAN COMPILERS WILL ACCEPT AT LEAST ONE WORD OF HOLLERITH  
C INFORMATION AS A SUBROUTINE ARGUMENT. FOR EXAMPLE,  
C  
C CALL EQUIV(WORD,5HSMITH)  
C THEN WORD WILL CONTAIN THE CODED HOLLERITH FOR SMITH.  
C  
X=Y  
RETURN  
END
```

```
SUBROUTINE MDECK(NAME1,NAME2,T,NT)
C      THIS SUBROUTINE WAS WRITTEN IN FORTRAN FOUR.
C      T-ARRAY NAME( THE ONE TO BE PUNCHED BY THIS SUBROUTINE.)
C      NAME1-IS THE DESIRED NAME ONE WISHES TO CALL HIS NEW SUBROUTINE.
C      NAME2-SUBROUTINE CALLED(TERPT..., ETC.)
C      NT-TAPE NUMBER
C
C      THIS SUBROUTINE MAY BE USED WHEN IT IS DESIRED TO OBTAIN
C      A BINARY DECK OF SOME FUNCTION WHICH HAS BEEN GENERATED BY THE TERP
C      SYSTEM. IN ORDER TO DO THIS, ONE MUST FIRST GET AN ASSEMBLY LANGUAGE
C      DECK AND THEN ASSEMBLE IT. THIS SUBROUTINE MAKES THE ASSEMBLY
C      LANGUAGE DECK.
C
C      AFTER ASSEMBLY, IN ORDER TO EXECUTE, ONE MUST LOAD THE BINARY DECK
C      FOR THE TABLE, AND THE SPECIFIED SUBROUTINE(TERPT,JOE, OR QDISK),
C      AND THE SUBROUTINES WHICH IT CALLS(TRACE, JOEJOE, OR KDISK).
C
C      FAPP AND CODAP PUNCH THE ARRAYS IN 7090 OR 1604 COMPUTER FORMATS
C      RESPECTIVELY.
C
C      THIS CAPABILITY IS NOT LIMITED TO THE TERP SYSTEM.
C
C      MDECK PRODUCES A DECK OF CARDS ACCEPTABLE TO THE FORTRAN FOUR
C      ASSEMBLER ON THE 7090.
C
C      DIMENSION T(777)
      WRITE(NT,90)NAME1,NAME1,NAME1
      WRITE(NT,91)NAME2
      90 FORMAT(7HSIRMAP 1A4,2X      ,67X/
              1      15H      ENTRY    1A4,2X      ,59X/
              2      16HREGIN  FOU     *      ,64X/
              3      44,2X15H SXA     BACK,4      ,59X/
              4      13H      CLA     3,4      ,62X)
      91 FORMAT(134      STA     *84      ,62X/
              1      15H      CALL    1A4,1X      ,60X/
              2      19H      ETC     (**,      ,61X/
              3      13H      ETC     T1)      ,62X/
              4      19HBACK  AXT     **,4      ,61X/
              5      18H      TRA     1,4      ,62X)
      N=3.*T(4)+7.
      DO 110 I=1,N
      110 CALL FAPP(T(I),I,NT)
      WRITE(NT,92)
      92 FORMAT(10H      END,70X)
      RETURN
      END
```

SUBROUTINE FDECK(NAME1,NAME2,T,NT)

C THIS SUBROUTINE WAS WRITTEN IN FORTRAN FOUR.
C
C T-ARRAY NAME(THE ONE TO BE PUNCHED BY THIS SUBROUTINE.)
C NAME1-IS THE DESIRED NAME ONE WISHES TO CALL HIS NEW SUBROUTINE.
C NAME2-SUBROUTINE CALLED(TFRPT..., ETC.)
C NT-TAPE NUMBER
C
C THIS SUBROUTINE MAY BE USED WHEN IT IS DESIRED TO OBTAIN
C A BINARY DECK OF SOME FUNCTION WHICH HAS BEEN GENERATED BY THE TERP
C SYSTEM. IN ORDER TO DO THIS, ONE MUST FIRST GET AN ASSEMBLY LANGUAGE
C DECK AND THEN ASSEMBLE IT. THIS SUBROUTINE MAKES THE ASSEMBLY
C LANGUAGE DECK.
C
C AFTER ASSEMBLY, IN ORDER TO EXECUTE, ONE MUST LOAD THE BINARY DECK
C FOR THE TABLE, AND THE SPECIFIED SUBROUTINE(TFRPT,JOE, OR QDISK),
C AND THE SUBROUTINES WHICH IT CALLS(TTRACE, JOEJOE, OR KDISK).
C
C FAPP AND CODAP PUNCH THE ARRAYS IN 7090 CR 1604 COMPUTER FORMATS
C RESPECTIVELY.
C
C THIS CAPABILITY IS NOT LIMITED TO THE TERP SYSTEM.
C
C FDECK PRODUCES A DECK OF CARDS ACCEPTABLE TO THE FORTRAN TWO
C ASSMBLER ON THE 7090.
C
DIMENSION T(777)
WRITE(NT,90)NAME1,NAME1
WRITE(NT,91)NAME2
90 FORMAT(24H* FAP ,56X/
1 15H ENTRY 1A4,2X ,59X/
2 16HBEGIN EQU * ,64X/
3 A4,2X18H SXD BEGIN-2,4,56X/
4 24H CLA 1,4 ,56X/
5 24H STA *82 ,56X)
91 FORMAT(24H TSX BEGIN-3,4,56X/
1 24H TSX ** ,56X/
2 24H TSX T1,0 ,56X/
3 24H LXD BEGIN-2,4,56X/
4 24H TRA 2,4 ,56X/
5 16H NUP \$1A4,2X ,58X)
N=3.*T(4)+7.
C ARRAYS RUN BACKWARDS IN FORTRAN-2
DO 110 II=1,N
I=N-II+1
110 CALL FAPP(T(I),I,NT)
WRITE(NT,92)
92 FORMAT(10H END,70X)
RETURN
END

SUBROUTINE CHECK(NAME1,NAME2,T,NT)

C THIS SUBROUTINE WAS WRITTEN IN FORTRAN FOUR.

C T-ARRAY NAME (THE ONE TO BE PUNCHED BY THIS SUBROUTINE.)

C NAME1-IS THE DESIRED NAME ONE WISHES TO CALL HIS NEW SUBROUTINE.

C NAME2-SUBROUTINE CALLED(TERPT..., ETC.)

C NT-TAPE NUMBER

C THIS SUBROUTINE MAY BE USED WHEN IT IS DESIRED TO OBTAIN
A BINARY DECK OF SOME FUNCTION WHICH HAS BEEN GENERATED BY THE TERP
SYSTEM. IN ORDER TO DO THIS, ONE MUST FIRST GET AN ASSEMBLY LANGUAGE
DECK AND THEN ASSEMBLE IT. THIS SUBROUTINE MAKES THE ASSEMBLY
LANGUAGE DECK.

C AFTER ASSEMBLY, IN ORDER TO EXECUTE, ONE MUST LOAD THE BINARY DECK
FOR THE TABLE, AND THE SPECIFIED SUBROUTINE (TERPT, JDE, OR QDISK),
AND THE SUBROUTINES WHICH IT CALLS (TTRACE, JOEJME, OR KDISK).

C FAPP AND CDRSP PUNCH THE ARRAYS IN 7090 OR 1604 COMPUTER FORMATS
RESPECTIVELY.

C THIS CAPABILITY IS NOT LIMITED TO THE TERP SYSTEM.

C CDECK PRODUCES A DECK OF CARDS ACCEPTABLE TO THE FORTRAN 63
ASSEMBLER ON THE 1604

C DIMENSION T(777)

WRITE(NT,90)NAME1,NAME1,NAME1,NAME1

WRITE(NT,91)NAME2,NAME2

90 FORMAT(19H IDENT 1A4,2X ,55X/
1 19H FENTRY 1A4,2X ,55X/
2 A6,3X,12H 0 ** ,59X/
3 24H SIU 6 SAVE6 ,56X/
4 19H LIU 6 1A4,2X ,55X/
5 20H LDA 6 0 ,60X/
6 20HINI 6 1 ,60X/
7 25H STU 6 RETURN ,55X/
8 25H ARS 24 ,55X)
91 FORMAT(25H SAU XADD ,55X/
+ 19H FXT 1A4,2X ,55X/
1 19H RTJ 1A4,2X ,55X/
2 25HXADD 0 ** ,55X/
3 25H D T001 ,55X/
4 25HSAVE6 FNI 6 ** ,55X/
5 25HRETURN SLJ ** ,55X)

N=3.*T(4)+7.

DO 50 I=1,N

50 CALL CUDAP(T(I),I,NT)

WRITE(NT,92)

92 FORMAT(12H END ,68X)

RETURN

END

SUBROUTINE CDRAP(A,N,NT)

C THIS SUBROUTINE WAS WRITTEN IN FORTRAN FOUR.
C
C A IS THE NUMBER ONE WANTS CONVERTED TO MACHINE LANGUAGE.
C I IS THE VALUE OF THE DO LOOP USED TO GENERATE THE PUNCHED CARDS.
C NT IS THE TAPE NUMBER
C
C CDRAP PUNCHES THE SPECIFIED ARRAY, T, IN A FORMAT ACCEPTABLE TO THE 1604.
C
N100=N/100
N10=(N-100*N100)/10
N1=(N-100*N100-1)*N10
IE(A)10,60,15
10 ABSA=-A
GO TO 16
15 ABSA=A
16 E1=0.434294481*ALOG(ABSA)
IE=FE+40.
IE=IE+40
FRAC=ABSA/(10.**IE)
IE(FRAC-9.999995)25,25,20
20 FRAC=1.
IE=IE+1
25 IE=IE
IE(IE)21,30,30
21 IE=-IE
30 II=IE/10
II=IE-10*II0
IE(IE)140,50,50
40 IE(A)41,60,42
41 WRITE(NT,900)N100,N10,N1,FRAC,II0,II
GO TO 70
42 WRITE(NT,901)I100,N10,N1,FRAC,II0,II
GO TO 70
50 IE(A)51,60,52
51 WRITE(NT,902)N100,N10,N1,FRAC,II0,II
GO TO 70
52 WRITE(NT,903)N100,N10,N1,FRAC,II0,II
GO TO 70
60 WRITE(NT,904)N100,N10,N1
70 RETURN
900 FORMAT(1H1,3I1,4X,12H DEC -F 9.7,2HD-2I1,47X)
901 FORMAT(1H1,3I1,4X,12H DEC &F 9.7,2HD-2I1,47X)
902 FORMAT(1H1,3I1,4X,12H DEC -F 9.7,2HD&2I1,47X)
903 FORMAT(1H1,3I1,4X,12H DEC &F 9.7,2HD&2I1,47X)
904 FORMAT(1H1,3I1,4X,25H DEC &0.0000000D&00,47X)
END

```
SUBROUTINE FAPP(A,I,NT)
C THIS SUBROUTINE WAS WRITTEN IN FORTRAN FOUR.
C A IS THE NUMBER ONE WANTS CONVERTED TO MACHINE LANGUAGE.
C I IS THE VALUE OF THE DO LOOP USED TO GENERATE THE PUNCHED CARDS.
C NT IS THE TAPE NUMBER
C FAPP PUNCHES THE SPECIFIED ARRAY, T, IN A FORMAT ACCEPTABLE TO THE 7090.
C EXAMBLE
C ...T...I.....DFC...-1.1234567E+04
C
IF(A)10,60,15
10 ABSA=-A
      GO TO 16
15 ABSA=A
16 IE=0.434294481* ALOG(ABSA)
IE=IE+40.
IE=IE-40
FRAC=A/(10.*IE)
IF(FRAC**2-9.999995**2)25,25,20
20 FRAC=1.
IE=IE+1
25 IIE=IE
      IF(IIE)21,30,30
21 IE=-IE
30 IIC=IE/10
II=IE-10*IIC
IE(IIE)40,50,50
40 WRITE(NT,900)I,FRAC,II0,II
      GO TO 70
50 WRITE(NT,901)I,FRAC,II0,II
      GO TO 70
60 WRITE(NT,902)I
70 RETURN
900 FORMAT(2X,IHT13,3H DEC   F10.7,2HE-211,52X)
901 FORMAT(2X,IHT13,3H DEC   F10.7,2HE8211,52X)
902 FORMAT(2X,IHT13,22H DEC   0.0000000E&00,52X)
END
```

```
SUBROUTINE SYS360(NAME,T,NT)
DIMENSION T(77)
WRITE (NT,900) NAME,NAME,NAME,NAME,NAME,NAME
WRITE (NT,901) NAME,NAME
N=3*T(4)+7
DO 10 I=1,N
  CALL PRN360(T(I),I,NT)
10 CONTINUE
WRITE (NT,902)
RETURN
900 FORMAT(A4, 10H TITLE 'A4,12H(X) FOR 360' 50X/
      - 4X 9H ENTRY A4,2H,B4,7X 50X/
      - A4, 26H START 50X/
      - 4X 26H USING *,15 50X/
      - 4X 26H STM 14,15,A 50X/
      - 4X 26H L 14,E 50X/
      - 4HGN 26H STM 1,2,B 50X/
      - 4X 26H LR 2,15 50X/
      - 4X 26H DROP 15 50X/
      - 4X 9H USING A4,13H,2 50X/
      - 4X 26H LR 15,14 50X/
      - 4X 26H L 14,0(1) 50X/
      - 4X 26H ST 14,C 50X/
      - 4X 26H LA 1,C 50X/
      - 4X 26H BALR 14,15 50X)
901 FORMAT(4X 27H LM 14,15,A 50X/
      - 4X 26H DROP 2 50X/
      - 4X 9H USING A4,13H,15 50X/
      - 4X 26H LM 1,2,B 50X/
      - 4X 27H BCR 15,14 50X/
      - 1HAA4,25H STM 14,15,A 50X/
      - 4X 26H L 14,F 50X/
      - 4X 26H BC 15,G0 50X/
      - 4X 26H CNOP 0,4 50X/
      - 4HA 254 DS 2F 50X/
      - 4HB 264 DS 2F 50X/
      - 4HC 26H DS 1F 50X/
      - 4HD 25H DC A(T001) 50X/
      - 4HE 26H DC V(TFRPT) 50X/
      - 4HF 26H DC V(BTERP) 50X)
902 FORMAT(4X 28H END 50X)
END
```

SUBROUTINE PRN360(A,N,NT)

```
C THIS SUBROUTINE WAS WRITTEN IN FORTRAN FOUR.
C A IS THE NUMBER ONE WANTS CONVERTED TO MACHINE LANGUAGE.
C N IS THE VALUE OF THE DO LOOP USED TO GENERATE THE PUNCHED CARDS.
C NT IS THE TAPE NUMBER
C PRN360 PUNCHES THE SPECIFIED ARRAY, T, IN A FORMAT ACCEPTABLE TO THE 360
C
N100=N/100
N10=(N-100*N100)/10
N1=N-100*N100-10*N10
IF(A)10,60,15
10 ABSA=-A
GO TO 16
15 ABSA=A
16 EE=0.434294481* ALOG(ABSA)
IE=EE+40.
IE=IE-40
FRAC=ABSA/(10.**IE)
IF(FRAC-9.999995)25,25,20
20 FRAC=1.
IE=IE+1
25 IIE=IE
IF(IE)21,30,30
21 IE=-IE
30 I10=IE/10
I1=IE-I0*I10
IF(IIE)40,50,50
40 IF(A)41,50,42
41 WRITE(INT,900)N100,N10,N1,FRAC,I10,I1
GO TO 70
42 WRITE(INT,901)N100,N10,N1,FRAC,I10,I1
GO TO 70
50 IF(A)51,60,52
51 WRITE(INT,902)N100,N10,N1,FRAC,I10,I1
GO TO 70
52 WRITE(INT,903)N100,N10,N1,FRAC,I10,I1
GO TO 70
60 WRITE(INT,904)N100,N10,N1
70 RETURN
900 FORMAT(1HT3I1,3X9HDC      E'-F8.6,2HE-2I1,52X)
901 FORMAT(1HT3I1,3X9HDC      E'+F8.6,2HE-2I1,52X)
902 FORMAT(1HT3I1,3X9HDC      E'-F8.6,2HE+2I1,52X)
903 FORMAT(1HT3I1,3X9HDC      E'+F8.6,2HE+2I1,52X)
904 FORMAT(1HT3I1,3X21HDC     E'+0.000000E+0052X)
END
```

SUBROUTINE TYME(I,NT)

```
C THIS IS THE FORTRAN 63 VERSION.
C THIS ROUTINE MUST BE ACCOMPANIED BY THE FUNCTION KLOCK.
C IF I=0, RESET THE CLOCK AND PRINT TIME=0. SEC.
C IF I.NG. 0, READ THE CLOCK AND PRINT TIME =XX.XX SEC.
C
1 IF(I)1,1,2
1 TIME=0
IK = ICLOCKF(0)
WRITE(NT,198) TIME
RETURN
2 A = ICLOCKF(0)-IK
TIME = A/100.
WRITE(NT,198) TIME
198 FORMAT(1H0,1I1***TIME IS F8.3,5H SEC.)
RETURN
END
```

***** ERROR XVAL = 0.332E 00 WIGL IN TABX *****

X
XX ZAP
XXV XXX
XXV XX
XXV X X X
XXXXXXA A A A A A A
XX
XX L U U RRRR K KK XXXXXXXXXXXXXXXXXXXXXXX
XX L U U R R KK XXX
XX L U U RRRR KK XXX
XX LLLL UU R R K K XXX
XX XXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX
XXXXXXX XX XX XXXX XX
XXXXXXX XXXX XXXX

CALCULATE LOG10(.01,10.) N=100

X	LOG(X)	TERPT(X)	ERROR
0.01	-2.0000000	-2.0000000	0.0
0.02	-1.6989698	-1.8959475	0.1969776
0.04	-1.3979406	-1.6987658	0.3008251
0.08	-1.0969095	-1.3480883	0.2511787
0.10	-1.0000000	-1.1945925	0.1945925
0.20	-0.6989706	-0.6455421	-0.0534284
0.40	-0.3979406	-0.4003665	0.0024260
0.80	-0.0969104	-0.0970222	0.0001118
1.00	-0.0000004	-0.0001056	0.0001052
2.00	0.3010296	0.3010038	0.0000258
4.00	0.6020597	0.6020575	0.0000022
8.00	0.9030845	0.9030897	-0.0000002
10.00	1.0000000	0.9999998	0.0000002

CALCULATE LOG10 FROM EXPONENTIAL N=100

Y	LOG(Y)	BTERPI(Y)	ERROR
0.01	-2.0000000	-2.0000000	0.0
0.02	-1.6989698	-1.6989336	-0.0000362
0.04	-1.3979406	-1.3979263	-0.0000143
0.08	-1.0969095	-1.0969324	0.0000229
0.10	-1.0000000	-1.0000267	0.0000267
0.20	-0.6989706	-0.6989994	0.0000288
0.40	-0.3979406	-0.3979158	-0.0000247
0.80	-0.0969104	-0.0968790	-0.0000314
1.00	-0.0000004	0.0000267	-0.0000271
2.00	0.3010296	0.3010206	0.0000089
4.00	0.6020597	0.6020260	0.0000337
8.00	0.9030845	0.9030781	0.0000114
10.00	1.0000000	1.0000000	0.0

LOG10(.01,10.) USING UNEQUAL SPACING N=100

X	LOG(X)	TRPPT(X)	ERROR
***** ERROR X = -0.461E-01 TS. IN TRPT *****			
0.01	-2.0000000	-2.0000000	0.0
0.12	-1.6984693	-1.6984693	0.0
0.24	-1.3979406	-1.3979406	-0.0000010
0.36	-1.0963095	-1.0963095	0.0
0.48	-1.0000000	-1.0000000	0.0
0.60	-0.6989706	-0.6989706	-0.0000002
0.72	-0.3979406	-0.3979411	0.0000005
0.80	-0.0969104	-0.0969112	0.0000008
1.00	-0.0000004	-0.0000009	0.0000005
2.00	0.3010296	0.3010296	0.0000006
4.00	0.6020587	0.6020589	0.0000007
8.00	0.9030895	0.9030887	0.0000008
10.00	1.0000000	0.9999985	0.0000015

CALCULATE SIN(0.,1.7) N=100

X	SIN(X)	TRPPT(X)	ERROR
0.0	0.0	0.0	0.0
0.10	0.0998333	0.0998320	0.0000013
0.20	0.1986692	0.1986682	0.0000010
0.30	0.2955201	0.2955201	-0.000001
0.40	0.3894181	0.3894191	-0.0000010
0.50	0.4794253	0.4794261	-0.0000008
0.60	0.5646423	0.5646414	0.0000008
0.70	0.6442175	0.6442163	0.0000012
0.80	0.7173559	0.7173553	0.0000006
0.90	0.7833267	0.7833264	0.0000003
1.00	0.8414703	0.8414711	-0.0000002
1.10	0.8912072	0.8912072	-0.0000001
1.20	0.9320387	0.9320381	0.0000006
1.30	0.9635578	0.9635572	0.0000005
1.40	0.9854494	0.9854492	0.0000002
1.50	0.9974948	0.9974948	0.0
1.60	0.9995737	0.9995737	0.0
1.70	0.9916654	0.9916655	-0.0000001

CALCULATE SIN(X), N=100

X	SIN(X)	TFRP2(X)	ERROR
0.0	0.0	0.0	0.0
0.10	0.0998333	0.0998331	0.0000002
0.20	0.1986692	0.1986692	0.0
0.30	0.2955201	0.2955197	0.0000004
0.40	0.3894181	0.3894179	0.0000002
0.50	0.4794253	0.4794253	0.0
0.60	0.5646423	0.5646420	0.0000002
0.70	0.6442175	0.6442173	0.0000002
0.80	0.7173559	0.7173558	0.0000001
0.90	0.7833267	0.7833262	0.0000005
1.00	0.8414708	0.8414703	0.0000005
1.10	0.8912072	0.8912070	0.0000002
1.20	0.9320387	0.9320384	0.0000003
1.30	0.9635578	0.9635577	0.0000001
1.40	0.9854494	0.9854492	0.0000002
1.50	0.9974948	0.9974948	0.0
1.60	0.9995737	0.9995738	-0.0000001
1.70	0.99916754	0.99916655	-0.0000001

INTERPOLATE SIN(X), N=100

Z=SIN(X)	X	BTERP(Y)	ERROR
0.0	0.0	0.0	0.0
0.0998333	0.10	0.0999992	-0.0000008
0.1986692	0.20	0.1999991	-0.0000008
0.2955201	0.30	0.2999995	-0.0000004
0.3894181	0.40	0.3999999	0.0000001
0.4794253	0.50	0.5000005	0.0000007
0.5646423	0.60	0.6000007	0.0000009
0.6442175	0.70	0.7000003	0.0000006
0.7173559	0.80	0.7999994	-0.0000003
0.7833267	0.90	0.8999986	-0.0000011
0.8414708	1.00	0.9999985	-0.0000011
0.8912072	1.10	1.0999985	-0.0000010
0.9320387	1.20	1.1999989	0.0
0.9635578	1.30	1.2999983	0.0
0.9854494	1.40	1.3999977	0.0
0.9974948	1.50	1.4999971	0.0

INTERPOLATE SIN(0.,1.5) BACKWARDS N=100

Y=TERPT(X)	X	BTERP(Y)	ERROR
0.0	0.0	0.0	0.0
0.0998340	0.10	0.0999998	-0.0000001
0.1986699	0.20	0.1999998	-0.0000001
0.2955204	0.30	0.2999998	-0.0000001
0.3894180	0.40	0.3999998	-0.0000001
0.4794247	0.50	0.4999997	-0.0000001
0.5646414	0.60	0.5999997	-0.0000001
0.6442170	0.70	0.6999997	-0.0000001
0.7173558	0.80	0.7999987	-0.0000010
0.7833269	0.90	0.8999986	-0.0000011
0.8414708	1.00	0.9999985	-0.0000011
0.8912049	1.10	1.0999985	-0.0000010
0.9320383	1.20	1.1999969	-0.0000019
0.9635573	1.30	1.2999964	-0.0000019
0.9854491	1.40	1.3999968	-0.0000010
0.9974947	1.50	1.4999952	-0.0000019

CALCULATE INTEGRAL OF SIN(X,PI/2.) N=100

X	INTEGRAL	TERPI	ERROR
0.0	1.0000000	0.9999958	0.00000042
0.10	0.9950042	0.9950002	0.00000040
0.20	0.9800667	0.9800622	0.0000045
0.30	0.9553356	0.9553339	0.0000027
0.40	0.9210612	0.9210588	0.0000023
0.50	0.8775827	0.8775802	0.0000026
0.60	0.8253358	0.8253342	0.0000016
0.70	0.7643424	0.7648410	0.0000014
0.80	0.6967070	0.6967056	0.0000014
0.90	0.6216102	0.6216095	0.0000007
1.00	0.5403026	0.5403021	0.0000005
1.10	0.4535956	0.4535959	0.0000007
1.20	0.3623538	0.3623583	0.0000005
1.30	0.2675005	0.2675001	0.0000004
1.40	0.1699694	0.1699692	0.0000002
1.50	0.0707400	0.0707402	-0.0000001
1.60	-0.0291951	-0.0291959	-0.0000002
1.70	-0.1288404	-0.1288402	-0.0000002

DEMONSTRATE SPEED OF SUBROUTINE TERPT

***TIME IS 0.0 SEC.

TERPT HAS CALCULATED 100000 SINES

***TIME IS 12.430 SEC.

ENERGY	RANGE
1.00	0.00345
1.50	0.00669
2.00	0.01080
2.50	0.01560
3.00	0.02100
4.00	0.03450
5.00	0.05030
6.00	0.06910
7.00	0.09000
8.00	0.11320
9.00	0.13880
10.00	0.16670
12.00	0.22900
15.00	0.33930
21.00	0.61430
25.00	0.83690
30.00	1.15700
35.00	1.52300
40.00	1.93300
45.00	2.38500
50.00	2.87800
60.00	3.98300
70.00	5.24000
80.00	5.24000
90.00	8.18200
100.00	9.85400
120.00	13.58000
160.00	22.39999

200.00	32.84000
250.00	47.87000
300.00	64.84000
350.00	83.34000
400.00	103.29999
500.00	146.70000
600.00	193.79999
700.00	243.79999
800.00	296.09985
900.00	350.09985
1000.00	405.50000

***** ERROR XVAL = 0.440E 01 WIGL IN TABX *****

LOG-LOG INTERPOLATION OF PROTON RANGES IN AL		
ENERGY	RANGE	DE/DR
1.0	0.003	179.493
1.5	0.007	135.749
2.0	0.011	111.265
2.5	0.016	97.772
3.0	0.021	86.455
4.0	0.034	67.191
5.0	0.050	58.235
6.0	0.069	50.103
7.0	0.090	45.438
8.0	0.113	41.037
10.0	0.167	34.440
12.0	0.229	30.005
14.0	0.300	26.410
16.0	0.380	23.866
18.0	0.468	21.801
22.0	0.667	19.615
26.0	0.897	16.317
30.0	1.157	14.573
34.0	1.446	13.172
38.0	1.764	12.070
46.0	2.480	10.399
54.0	3.301	9.175
62.0	4.222	8.248
70.0	5.160	7.594
78.0	5.471	7.046
94.0	9.090	5.272

110.0	11.655	5.367
126.0	14.790	4.875
142.0	18.215	4.486
158.0	21.918	4.172
190.0	30.088	3.696
222.0	39.197	3.352
254.0	49.159	3.087
286.0	59.906	2.877
318.0	71.336	2.729
382.0	95.959	2.483
446.0	122.732	2.311
510.0	151.252	2.184
574.0	181.245	2.088
638.0	212.490	2.012
766.0	278.084	1.900
894.0	346.816	1.829

TRPT TRPT(X,T) FOR SYSTEM/360

LOC	OBJECT CODE	ADDR1	ADDR2	STMT	SOURCE STATEMENT
00C000				2	TERPT START
00C000				3	USING *,15
00C000 9058	F0EC	000EC	4	STM 5,8,REGS	SAVE GPR'S 5-8
00C004 6020	F110	00110	5	STD 2,TEMP+8	SAVE FPR2
00C008 6040	F118	00118	6	STD 4,TEMP+16	SAVE FPR4
00C00C 5861	0000	00000	7	L 6,0(1)	A(X) TO GPR6
00C010 5871	0004	00004	8	L 7,4(1)	A(T) TO GPR7
00C014 7826	0000	00000	9	LE 2,0(6)	X TO FPR2
00C018 7B27	0000	00000	10	SE 2,0(7)	SUB T(1)
00C01C 7C27	0004	00004	11	ME 2,4(7)	MPY T(2)
000020 4740	F072	00072	12	BC 4,ERR1	BRANCH IF -
000024 3842			13	LER 4,2	Z TO FPR4
00C026 7B47	000C	0000C	14	SE 4,12(7)	SUB T(4)
00C02A 4720	F09E	0009E	15	BC 2,ERR2	BRANCH IF +
00C02E 4780	F0C2	000C2	16	BC 8,ERR3	BRANCH IF 0
00C032 3842			17	OK LER 4,2	Z TO FPR4
000034 6E40	F148	00148	18	AW 4,MASK1	UNNORMALIZED ADD
000038 5040	F108	00108	19	STD 4,TEMP	FPR4 TO TEMP
00C03C 5850	F10C	0010C	20	L 5,TEMP+4	INTEGER TO GPR5
000040 6A40	F150	00150	21	AD 4,MASK2	NORMALIZED ADD
000044 3344			22	LCER 4,4	CHANGE SIGN
000046 3A42			23	AER 4,2	ADD Z
00C048 1885			24	LR 8,5	I TO GPR8
00004A 8850	0002	00002	25	SLA 5,2	SHIFT GPR5 2 LEFT
00004E 8880	0003	00003	26	SLA 8,3	SHIFT GPR8 3 LEFT
00C052 1A58			27	AR 5,8	EFFECTIVE MPY 12
00C054 3804			28	LER 0,4	F TO FPR0
000056 7C05	7020	00020	29	ME 0,32(5,7)	MPY T(3*I+9)
00C05A 7A05	701C	0001C	30	AE 0,28(5,7)	ADD T(3*I+8)
00C05E 3C04			31	MER 0,4	MPY F
00C060 7A05	7018	00018	32	AE 0,24(5,7)	ADD T(3*I+7)
000064 9858	F0EC	000EC	33	LM 5,8,REGS	RESTORE GPR'S 5-8
00C068 6820	F110	00110	34	LD 2,TEMP+8	RESTORE FPR2
00006C 6840	F118	00118	35	LD 4,TEMP+16	RESTORE FPR4
00C070 07FE			36	BCR 15,14	RETURN
00C072 7A20	F104	00104	37	ERR1 AE 2,SLOP	TEST Z VS SLOP
00C076 4720	F096	00096	38	BC 2,ZERO	BRANCH IF +
00C07A 90EF	F0FC	000FC	39	STM 14,15,REGS+16	SAVE GPR'S 14-15
			40	DROP 15	
00007E 185F			41	LR 5,15	
000000			42	USING TERPT,5	
000080 7840	50D4	000D4	43	LE 4,X	X TO FPR4
000084 7040	50D4	000D4	44	STE 4,X	SAVE X
00C088 4110	5128	00128	45	LA 1,CALL1	ARG ADDRESSES
00C08C 58F0	5124	00124	46	L 15,VECT	BRANCH ADDRESS
00C090 05EF			47	BALR 14,15	TRANSFER
00C092 98EF	50FC	000FC	48	LM 14,15,REGS+16	RESTORE GPR'S 14-15
			49	DROP 5	
000000			50	USING TERPT,15	
00C096 7820	F120	00120	51	ZERO LE 2,NONE	SET Z=0.0
00C09A 47F0	F032	00032	52	BC 15,OK	BRANCH TO OK
00C09E 7B40	F104	00104	53	ERR2 SE 4,SLOP	TEST Z-T(4) VS SLOP
00C0A2 4740	F0C2	000C2	54	BC 4,ERR3	BRANCH IF -
00C0A6 90EF	F0FC	000FC	55	STM 14,15,REGS+16	SAVE GPR'S 14-15
			56	DROP 15	
0000AA 185F			57	LR 5,15	

TRPT TRPT(X,T) FOR SYSTEM/360

LOC	OBJECT CODE	ADDR1	ADDR2	STMT	SOURCE STATEMENT	
000000				58	USING TERPT,5	
0000AC	7846 0000	00000		59	LE 4,0(6)	X TO FPR4
0000B0	7040 50D4	00004		60	STE 4,X	SAVE X
0000B4	4110 5138	00138		61	LA 1,CALL2	ARG ADDRESSES
0000B8	58F0 5124	00124		62	L 15,VECT	BRANCH ADDRESS
0000BC	05EF			63	BALR 14,15	TRANSFER
0000BE	98EF 50FC	000FC		64	LM 14,15,REGS+16	RESTORE GPR'S 14-1
				65	DROP 5	
000000				66	USING TERPT,15	
0000C2	7827 000C	0000C	67	ERR3	LE 2,12(7)	T(4) TO FPR2
0000C6	7B20 F0E8	000E8		68	SE 2,ONE	SUB 1.0
0000CA	47F0 F032	00032		69	BC 15,OK	BRANCH TO OK
0000CE	070007000700			70	CNOP 4,8	BOUNDARY ALIGNMENT
0000D4				71	X DS 1F	
0000D8	404040E7			72	A1 DC C' X'	
0000DC	4BE3E24B			73	A2 DC C'.TS.'	
0000E0	48E3C24B			74	A3 DC C'.TB.'	
0000E4	E3D9D7E3			75	A4 DC C'TRPT'	
0000E8	41100000			76	ONE DC E'1.0'	
0000EC				77	REGS DS 6F	
00C104	3C10C6F8			78	SLOP DC E'1.0E-6'	
000108				79	TEMP DS 3D	
000120	00000000			80	NONE DC E'0.0'	
000124	00000000			81	VECT DC V(TTRACE)	
000128	000000D800000004			82	CALL1 DC A(A1,X,A2,A4)	
00C138	000000D800000004			83	CALL2 DC A(A1,X,A3,A4)	
000148	4E00000000000000			84	MASK1 DC X'4E00000000000000'	
000150	4600000000000000			85	MASK2 DC X'4600000000000000'	
				86	END	

TRPT

RELOCATION DICTIONARY

POS.ID	REL.ID	FLAGS	ADDRESS
01	01	OC	000128
01	01	OC	00012C
01	01	OC	000130
01	01	OC	000134
01	01	OC	000138
01	01	OC	00013C
01	01	OC	000140
01	01	OC	000144
01	02	1C	000124

TRPT

CROSS-REFERENCE

SYMBOL	LEN	VALUE	DEFN	REFERENCES					
A1	00004	0000D8	0072	0082	0083				
A2	00004	0000DC	0073	0082					
A3	00004	0000E0	0074	0083					
A4	00004	0000F4	0075	0082	0083				
CALL1	00004	000128	0082	0045					
CALL2	00004	000138	0083	0061					
ERR1	00004	000072	0037	0012					
ERR2	00004	00009E	0053	0015					
ERR3	00004	0000C2	0067	0016	0054				
MASK1	00008	000148	0084	0018					
MASK2	00008	000150	0085	0021					
NONE	00004	000120	0080	0051					
OK	00002	000032	0017	0052	0069				
ONE	00004	0000E8	0076	0068					
REGS	00004	0000EC	0077	0004	0033	0039	0048	0055	0064
SLGP	00004	0000104	0078	0037	0053				
TEMP	00008	000108	0079	0005	0006	0019	0020	0034	0035
TERPT	00001	000000	0002	0042	0050	0058	0066		
VECT	00004	000124	0081	0046	0062				
X	00004	000004	0071	0043	0044	0060	0082	0083	
ZERO	00004	000096	0051	0038					

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